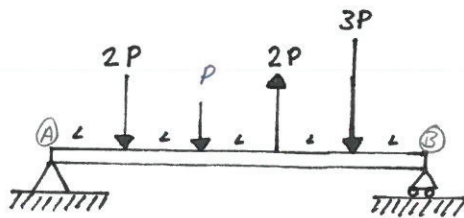


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Givet

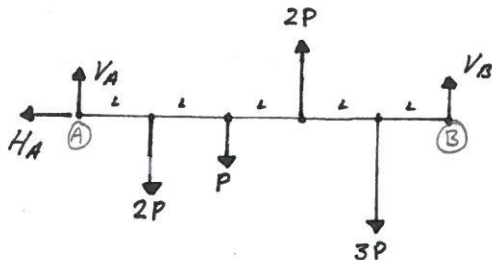


x Fritt upplagd balk
 x Avstånd L
 x Kraft P

Sökt Rita T- och M-diagram

Lösning

1. Frilägg



2. Jmv

$$\uparrow: V_A - 2P - P + 2P - 3P + V_B = 0$$

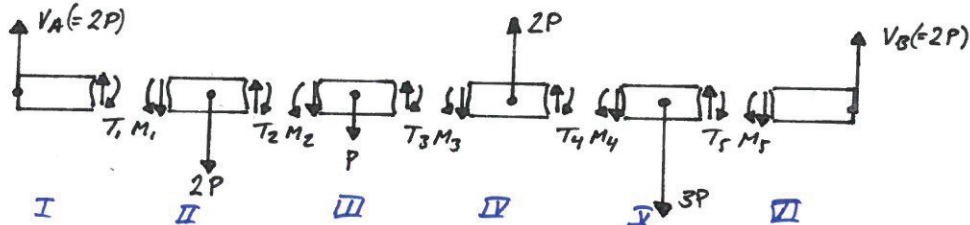
$$\Rightarrow V_A + V_B = 4P$$

$$\rightarrow: -H_A = 0$$

$$\sum \bar{A}: -L \cdot 2P - 2L \cdot P + 3L \cdot 2P - 4L \cdot 3P + 5L \cdot V_B = 0$$

$$\Rightarrow V_B = 2P \quad \Rightarrow V_A = 2P$$

3. Snitta



4. Jmv

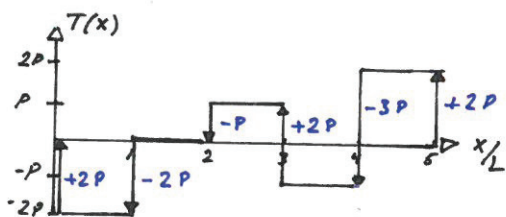
$$\uparrow_I: 2P + T_1 = 0 \Rightarrow T_1 = -2P$$

$$\uparrow_{II}: -T_1 - 2P + T_2 = 0 \Rightarrow T_2 = 0$$

$$\uparrow_{III}: -T_2 - P + T_3 = 0 \Rightarrow T_3 = P$$

$$\uparrow_{IV}: -T_3 + 2P + T_4 = 0 \Rightarrow T_4 = -P$$

$$\uparrow_V: -T_4 - 3P + T_5 = 0 \Rightarrow T_5 = 2P$$



Randvillkor: $T(x=0) = T(x=5L) = 0$

$M_1, T_1: 0 \leq x < L$

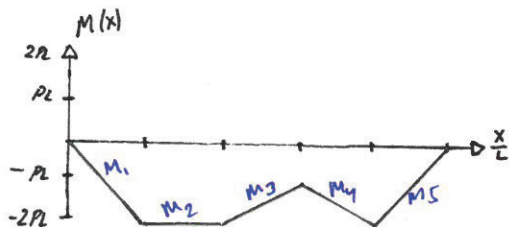
$M_2, T_2: L \leq x < 2L$

$M_3, T_3: 2L \leq x < 3L$

$M_4, T_4: 3L \leq x < 4L$

$M_5, T_5: 4L \leq x < 5L$

Randvillkor: $M(x=0) = M(x=5L) = 0$
 ty ter ej upp moment där



$$[M(x) = \int T(x) dx]$$

dvs

$$M_1(x) = -2Px + c_1 \rightarrow c_1 = 0$$

$$M_2(x) = 0 + c_2 \rightarrow c_2 = -2PL$$

$$M_3(x) = Px + c_3 \rightarrow c_3 = -4PL$$

$$M_4(x) = -Px + c_4 \rightarrow c_4 = 2PL$$

$$M_5(x) = 2Px + c_5 \rightarrow c_5 = -10PL$$

$M_2(L) = M_1(L)$
 osv...

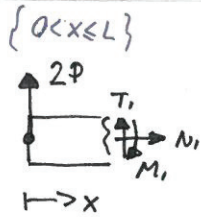
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"Alternativt" sätt att lösa T- och M-diagram utifrån snittning

3. Snitta

4. Jmv

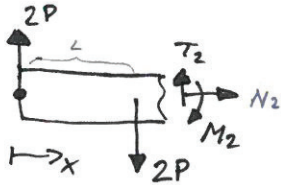
Del 1



$$\begin{aligned} \rightarrow: N_1 &= 0 \\ \uparrow: 2P + T_1 &= 0 \Rightarrow T_1 = -2P \\ \curvearrowleft: T_1 \cdot x - M_1 &= 0 \Rightarrow M_1(x) = -2P \cdot x \end{aligned}$$

Del 2

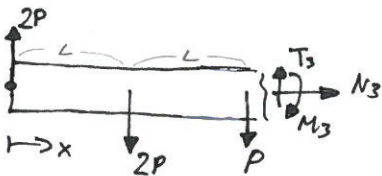
$\{L < x < 2L\}$



$$\begin{aligned} \rightarrow: N_2 &= 0 \\ \uparrow: 2P - 2P + T_2 &= 0 \Rightarrow T_2 = 0 \\ \curvearrowleft: -2P \cdot L + T_2 \cdot x - M_2 &= 0 \Rightarrow M_2 = -2PL \end{aligned}$$

Del 3

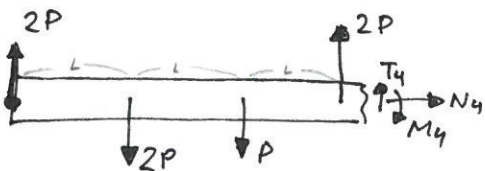
$\{2L < x < 3L\}$



$$\begin{aligned} \rightarrow: N_3 &= 0 \\ \uparrow: 2P - 2P - P + T_3 &= 0 \Rightarrow T_3 = P \\ \curvearrowleft: -2P \cdot L - P \cdot 2L + T_3 \cdot x - M_3 &= 0 \Rightarrow M_3(x) = P \cdot x - 4PL \end{aligned}$$

Del 4

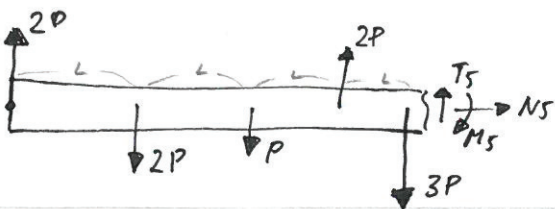
$\{3L < x < 4L\}$



$$\begin{aligned} \rightarrow: N_4 &= 0 \\ \uparrow: 2P - 2P - P + 2P + T_4 &= 0 \Rightarrow T_4 = -P \\ \curvearrowleft: -2P \cdot L - P \cdot 2L + 2P \cdot 3L + T_4 \cdot x - M_4 &= 0 \\ &\Rightarrow M_4(x) = -P \cdot x + 2PL \end{aligned}$$

Del 5

$\{4L < x < 5L\}$



$$\begin{aligned} \rightarrow: N_5 &= 0 \\ \uparrow: 2P - 2P - P + 2P - 3P + T_5 &= 0 \Rightarrow T_5 = 2P \\ \curvearrowleft: -2P \cdot L - P \cdot 2L + 2P \cdot 3L - 3P \cdot 4L + T_5 \cdot x - M_5 &= 0 \\ &\Rightarrow M_5(x) = 2Px - 10PL \end{aligned}$$

Således fås för de olika intervallen:

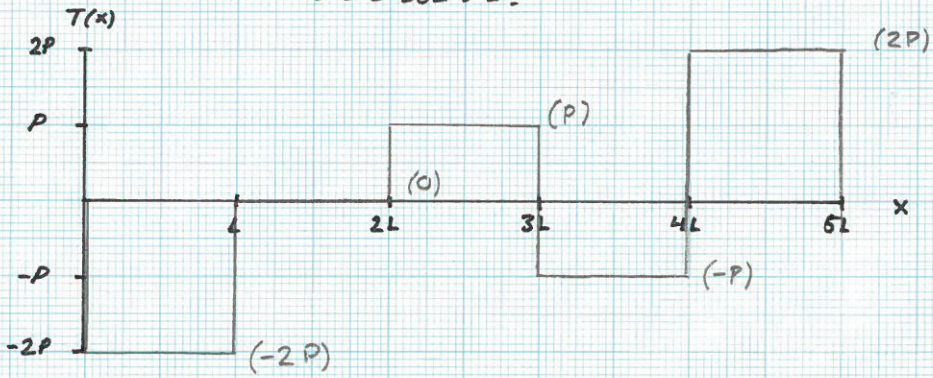
	$x=0$	$0 < x < L$	$L < x < 2L$	$2L < x < 3L$	$3L < x < 4L$	$4L < x < 5L$	$x=5L$
$T(x)$	0	-2P	0	P	-P	2P	0
$M(x)$	0	-2Px	-2PL	Px - 4PL	-Px + 2PL	2Px - 10PL	0

... Nu är det enkelt att rita in dessa i T- resp. M-diagram

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forts. 2

T-diagram



M-diagram

