

Optimum Allocation and Utilisation of track possession time: A case study of tamping

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Luleå Railway Research Center Contents

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Introduction to project



Introduction to article

- Railway transport is expected to be competitive and sustainable transportation.
- Competitiveness requires increase in <u>quantity</u> (capacity) and <u>quality</u> of service.
- Sustainability ensures tomorrow's competitiveness is not limited by present performance.



Research Question

- Decision support for allocation and utilisation of track possession time (efficiency).
- Strategy to <u>support quality</u> (effectiveness) and <u>sustain</u> quality of track .



Railway Track Behavior

- Patience? During a period of inadequate maintenance, it is a relatively long time before the track shows signs of stress
- Anger? The track reacts badly & irreversibly to a prolonged maintenance deficiency and could result into undesired consequence
- Should we understand it then we can manage it-Track geometry parameters map this behavior

Conventional or derived parameter

Railway track behavior

• Track geometry quality EN 13848 1-6



Track geometry prediction

• Good track quality deteriorates slowly while poor one does rapidly

$$\frac{\Delta\sigma}{\sigma} = b$$
$$\frac{d\sigma}{dt} = b\sigma$$

solving the differential equation

$$\sigma = \sigma_o e^{b^{*t}}$$



Existing tamping strategies

- Assumed degradation rates of the track geometry,
- Known critical/problem spots
- Track geometry data showing where problems are emerging
- Availability of the tampers itself
- Correction of isolated defects (c-failures)
- Line tamping when TQI becomes very low
- Advantage of short term saving but long term cost



Proposed strategy

- Line tamping using mulitple sleeper tamper
- Spot tamping
- Both are based on longitudinal defect

Track possession time > Systematic + Spot tamping

• Fix the root cause of isolated defects and not tamping







Case Study

- Northern section of iron ore line
- Length considered is ca 134km
- Divided into 200m segment
- Renewal period 2006-2009
- Special treatment for S&C, critical areas (stations) with recurrent c- failures or irregular measmt



HNOLOG'

Track geometry measurement data





20 inspections from April 2007- Aug 2012





b with distance





Modelling process

INPUT



OF TECHNOLOGY

Modelling Process Strategy 1: Direct



Search for Worse area



Each segment is characterised by σ , b, description of the quality and its evolution over time



Modelling Process Strategy 2: Selective



Search for Worse segment





Optimization Framework



Model Formulation

Constraints & Limits

Growth of defects

$$\sigma(s,t) = \sigma_o e^{b_s * t}$$

When to tamp

$$\overline{\sigma}(nm,t) = \frac{1}{nm} \sum_{s}^{s+nm} \sigma(s,t) \ge \sigma_{p} \qquad (s = 1, \dots, N - nm)$$

Otherwise when

$$\sigma(s,t) \ge \sigma_{\sigma}$$

Limit for a shift

$$\frac{s_o d}{v} + \frac{\Delta s_p d}{u} + \frac{\left(s_o + \Delta s_p\right) d}{v} \le 6 \qquad \left(d = 200m\right)$$

Recovery or improvement

EN:13858-5	Standard deviation (in mm)
Speed (in km/h)	D1
<u>ò80</u>	2,3 to 3
80 < V ≤ 120	1,8 to 2,7
120 < V ≤ 160	1,4 to 2,4
<mark>160 < ℓ</mark> ≤ <mark>230</mark>	(1,2 to 1,9)
230 < V ≤ 300	1,0 to 1,5

Model Formulation

Number of segments

$$N_{p(c)} = \sum_{1}^{s} \sum_{1}^{730} f \left[\sigma(s,t) - \sigma_{threshold} \right]$$

$$f(x) = \begin{vmatrix} 1 & (x \ge 0) \\ 0 & (x < 0) \end{vmatrix}$$

Table B.4 — Longitudinal level – AL – Standard deviation

	Standard deviation
	(in mm)
Speed	D1
(in km/h)	
<u>V ≤ 80</u>	2,3 to 3
80 < V < 120	1,8 to 2,7
120 < V ≤ 160	1,4 to 2,4
160 < V ≤ 230	1,2 to 1,9
230 < V ≤ 300	1,0 to 1,5

, $f_c(s,t) =$

Objective Functions

Total cos
$$t = \sum_{1}^{s} \sum_{1}^{730} (c_{p} * f_{p} + c_{c} * f_{c})$$

$$f_{p}(s,t) = \begin{vmatrix} 1, & \sigma(s,t) \ge \sigma_{p} \\ 0 & else \end{vmatrix}$$



 $\begin{array}{ll}
1, & \sigma(s,t) \geq \sigma_c \\
0 & else
\end{array}$

Optimization

- i. The problem is a mixed binary non linear programming
- ii. The optimization is done using FORTRAN.
- iii. The expected output include



Result

- Estimation of tamping need (nos of segment that will require tamping over a period of time)
- Optimum number of systematic tamping for a given period of time
- Number of spot tamping for a given period of time under a specified specified preventive
- Expected track possession time for different scenario of the parameter combination



Conclusion

- Estimation of maintenance need is facilitated with this approach.
- The booking of tamping machine is enhanced and planning of tamping action.
- Desired geometrical quality of track can be supported and sustained in an effective way.
- Implementing this approach with a proactive way of treating isolated failure will contribute to long term cost saving and reduced track possession time.



Future work

- Introduction of multiple machine parks
- Emperical study of recovery or improvement.
- Accomodation of critical spots into the model
- Consideration of bandwith of exponential growth.
- Validation of model and improvement.











THANKS

