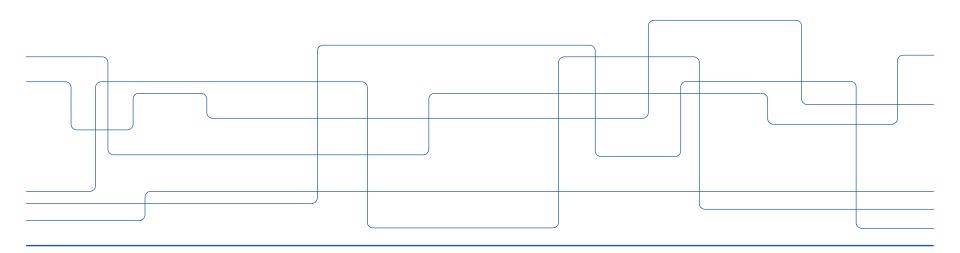


# Reinforcement learning

Applications to chemistry and biology



# What is needed for applying RL?

Data
Problem

Cheap, preferrably online
Represents a process

Simulations
Is a decision-making problem (ideally)

Representable states and actions
Possible to formulate a reward



# Data and problems in biology

**Data** Problem

2D/3D images Image segmentation/classification

Time series Controlling dynamical systems

Medication – results Drug discovery

Disease – symptoms Disease diagnosis

Gene modification – effects Gene expression

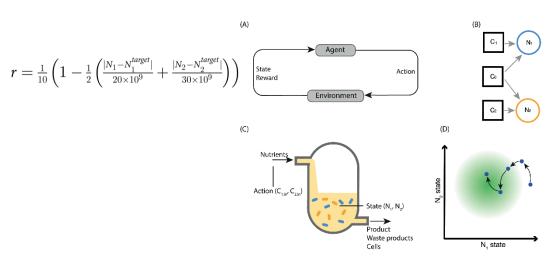


# RL for (biological) control

### Deep reinforcement learning for the control of microbial co-cultures in bioreactors

Treloar NJ, Fedorec AJH, Ingalls B, Barnes CP (2020) PLOS Comput Biol 16(4)

Problem: how to feed two competitive microbial cultures to keep their populations within a desired range?



$$\begin{split} \frac{d}{dt}C_0(t) &= q(C_{0,in} - C_0(t)) - \sum_{i=1}^m \frac{1}{\gamma_{0,i}} \boldsymbol{\mu}_i(t) \mathbf{N}_i(t) \\ \boldsymbol{\mu}_i &= \boldsymbol{\mu}_{max,i} \frac{\mathbf{C}_i}{\mathbf{K}_{s,i} + \mathbf{C}_i} \frac{C_0}{\mathbf{K}_{s0,i} + C_0} \\ \frac{d}{dt} \mathbf{N}_i(t) &= (\boldsymbol{\mu}_i(t) - q) \mathbf{N}_i(t) \end{split}$$

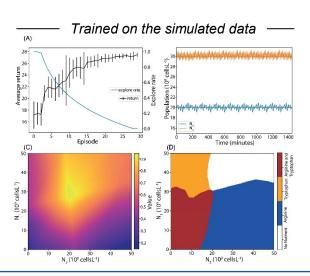


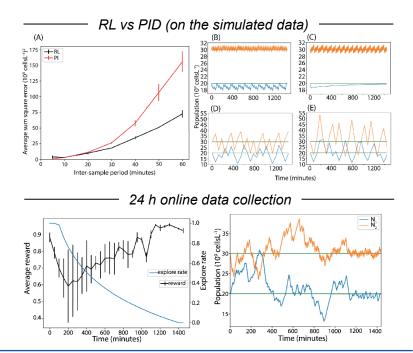
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## RL for treatment strategy

Improving sepsis treatment strategies by combining deep and kernel-based reinforcement learning Peng X, Ding Y, Wihl D, Gottesman O, Komorowski M, Lehman LH, Ross A, Faisal A, Doshi-Velez F (2018) AMIA Annual Symposium

Problem: how to improve sepsis treatment to decrease mortality?

Inputs: age, Weight\_kg, GCS, HR, SysBP, MeanBP, DiaBP, RR, Temp\_C, FiO2\_1, Potassium, Sodium, Chloride, Glucose, Magnesium, Calcium, Hb, WBC\_count, Platelets\_count, PTT, PT, Arterial\_pH, paO2, paCO2, Arterial\_BE, HCO3, Arterial\_lactate, SOFA, SIRS, Shock\_Index, PaO2\_FiO2, cumulated\_balance\_tev, Elixhauser, Albumin, CO2\_mEqL, Ionised\_Ca, max\_dose\_vaso, SpO2, BUN, Creatinine, SGOT, SGPT, Total\_bili, INR, input\_total\_tev, input\_4hourly-tev, output\_total, output\_4hourly

Output: administration levels of 2 drugs (0-4 each)

Reward: 
$$r(o, a, o') = -\log \frac{f(o')}{1 - f(o')} f(o') + \log \frac{f(o)}{1 - f(o)}$$

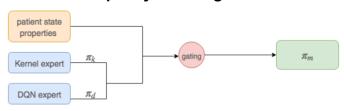
f(o) – probability of mortality (pre-trained NN)

### Policy: Kernel vs Deep

2022-05-04



#### DQN policy has no guarantees!





# Data and problems in chemistry

Data

Molecule datasets

Chemical reactions Predict reaction outcome

Reaction kinetics Control reaction process

Molecule – properties Predict molecular property

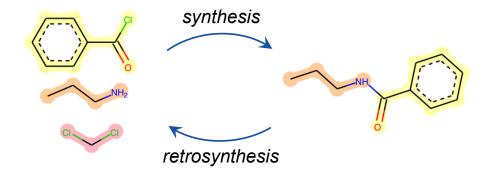
Interaction graphs Predict interactions

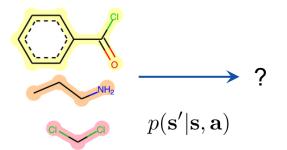
**Problem** 

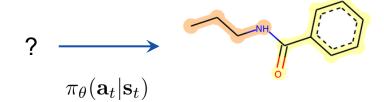
(Conditionally) generate molecules



# Retrosynthesis





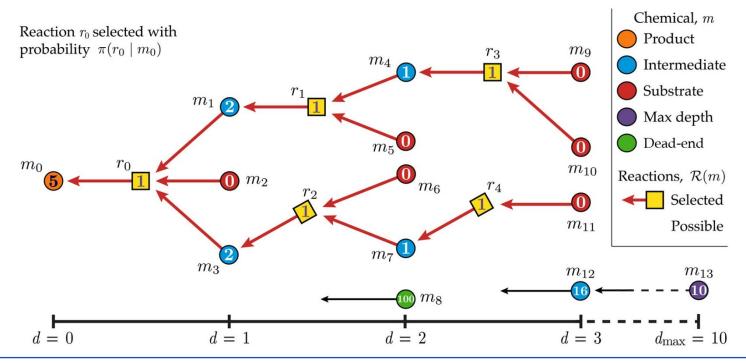




# Retrosynthesis

### **Learning Retrosynthetic Planning through Simulated Experience**

Schreck JS, Coley CW, Bishop KJM (2019) ACS Cent. Sci. 5(6)





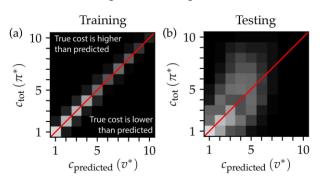
# **Retrosynthesis** – initial policy

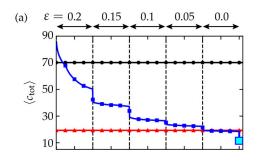


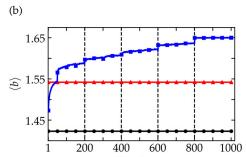
# **Retrosynthesis – optimal policy**

$$\bigcap_{N \to \infty} \bigcap_{OH} \bigcap_{OH} \bigcap_{OH} \bigcap_{OH} \bigcap_{N \to \infty} \bigcap_{OH} \bigcap$$

### Benefit of using a meaningful reward function:

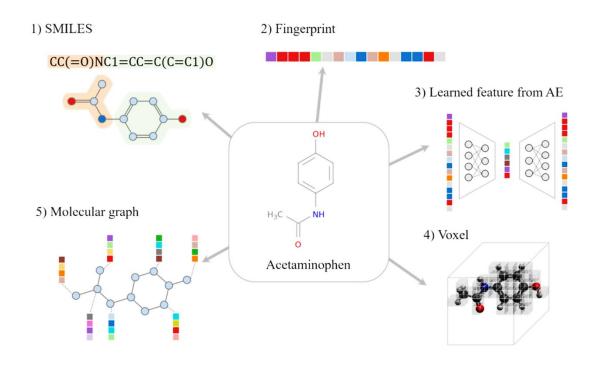








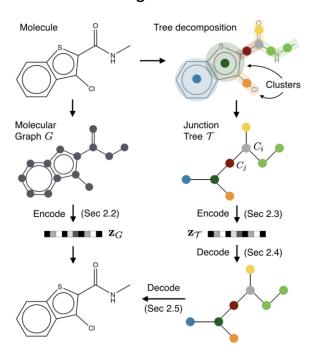
# **Molecular representations**



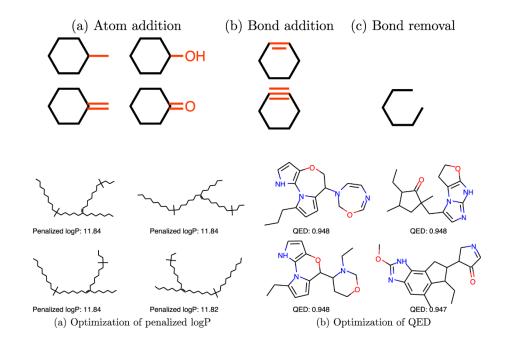


## Molecule generation

### "Direct" latent generative model



### Stepwise modification model – formulated as RL problem





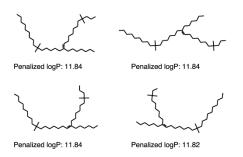
### Molecule generation

### Optimization of molecules via deep reinforcement learning

Zhou Z, Kearnes S, Li L, Zare RN, Riley P (2019) Sci. Rep. 9:10752

Objective: modify given molecule maximizing one or several of (QED, logP) while retaining similarity

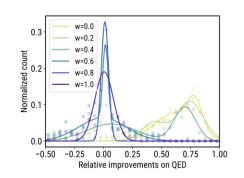
### Constrained optimization



$$\mathcal{R}(s) = \begin{cases} \log P(m) - \lambda \times (\delta - SIM(m, m_0)) & \text{if } SIM(m, m_0) < \delta \\ \log P(m) & \text{otherwise} \end{cases}$$

### Multi-objective optimization

$$\mathcal{R}(s) = w \times SIM(s) + (1 - w) \times OED(s)$$



### Example

