



Last lecture (8)

- Aurora
- Magnetospheric dynamics

Today's lecture (9)

- Magnetospheric dynamics
- Cosmic radiation
- Interstellar plasma



Today

<u>Activity</u>	<u>Date</u>	<u>Time</u>	<u>Room</u>	<u>Subject</u>	<u>Litterature</u>
L1	2/9	10-12	Q33	Course description, Introduction, The Sun 1, Plasma physics 1	CGF Ch 1, 5, (p 110-113)
L2	3/9	15-17	Q31	The Sun 2, Plasma physics 2	CGF Ch 5 (p 114-121), 6.3
L3	9/9	10-12	Q33	Solar wind, The ionosphere and atmosphere 1, Plasma physics 3	CGF Ch 6.1, 2.1-2.6, 3.1-3.2, 3.5, LL Ch III, Extra material
T1	11/9	10-12	Q34	Mini-group work 1	
L4	16/9	15-17	Q33	The ionosphere 2, Plasma physics 4	CGF Ch 3.4, 3.7, 3.8
L5	18/9	15-17	Q21	The Earth's magnetosphere 1, Plasma physics 5	CGF 4.1-4.3, LL Ch I, II, IV.A
T2	23/9	10-12	Q34	Mini-group work 2	
L6	25/9	10-12	M33	The Earth's magnetosphere 2, Other magnetospheres	CGF Ch 4.6-4.9, LL Ch V.
L7	30/9	14-16	L51	Aurora, Measurement methods in space plasmas and data analysis 1	CGF Ch 4.5, 10, LL Ch VI, Extra material
T3	3/10	10-12	V22	Mini-group work 3	
L8	7/10	10-12	V22	Space weather and geomagnetic storms	CGF Ch 4.4, LL Ch IV.B-C, VII.A-C
T4	9/10	15-17	Q31	Mini-group work 4	
L9	11/10	10-12	M33	Interstellar and intergalactic plasma, Cosmic radiation, Swedish and international space physics research.	CGF Ch 7-9
T5	15/10	10-12	L51	Mini-group work 5	
L10	16/10	13-15	Q36	Guest lecture: Swedish astronaut Christer Fuglesang	
T6	17/10	15-17	Q31	Round-up	
Written examination	30/10	14-19	B21-24		

EF2245 Space Physics II

7.5 ECTS credits, P2

- shocks and boundaries in space
- solar wind interaction with magnetized and unmagnetized bodies
- sources of magnetospheric plasma
- magnetospheric and ionospheric convection
- auroral physics
- storms and substorms
- global oscillations of the magnetosphere

**First lecture Mon November 4, 10.15 at
Teknikringen 31, seminar room, second floor.
(Signs will be posted)**



Thesis work at Space and Plasma Physics

Talk to Tomas



Examination

1. Written examination
(open book*), 30/10

100 p

2. Continuous examination
(mini-group works)

25 p

Grades:

A: 111-125 p

B: 96-110 p

C: 81-95 p

D: 66-80 p

E: 50-65 p

(Fx)



Written examination, 30/10 (No academic 15 minutes!)

You may bring:

- all the course material
- any notes you have made
- pocket calculator
- mathematics and physics formula books or your favourite physics book
- formula sheet

(No computers are allowed, due to the possibility to communicate with the outside world.)

Approx. 5 different problems (which may contain sub-problems).



About the exam

Motivate your answers!

Be careful with units and
numerical calculations!

Mini-groupwork 4

a)

$$\rho_{SW} v_{SW}^2 = \left[\frac{\mu_0 a}{4\pi} \frac{1}{r^3} \right]^2 / 2\mu_0 \Rightarrow$$

$$r = \left(\frac{\mu_0 a}{4\pi} \right)^{1/3} \left(2\mu_0 \rho_{SW} v_{SW}^2 \right)^{-1/6}$$

Assuming the solar wind consists of protons

$$\rho_{SW} = n_{e,SW} m_p = 1.7 \cdot 10^{-22} \text{ kg m}^{-3}$$

Thus

$$r = 2.7 \cdot 10^9 \text{ m} \approx 38 R_J$$

Mini-groupwork 4

b)

$$\rho_{SW} v_{SW}^2 = \left[\frac{\mu_0 a}{4\pi} \frac{1}{r^3} \right]^2 / 2\mu_0 + n_e k_B T \Rightarrow$$

$$\rho_{SW} v_{SW}^2 = \left[\frac{\mu_0 a}{4\pi} \frac{1}{r^3} \right]^2 / 2\mu_0 + n_{e0} \left(\frac{R_J}{r} \right)^3 k_B T$$

Substitute $x = 1/r^3$. This gives you an equation on the form

$$ax^2 + bx + c = 0$$

with

$$a = \left[\frac{\mu_0 a}{4\pi} \right]^2 / 2\mu_0 = 1.02 \cdot 10^{46}$$

$$b = n_{e0} R_J^3 k_B T = 1.78 \cdot 10^{18}$$

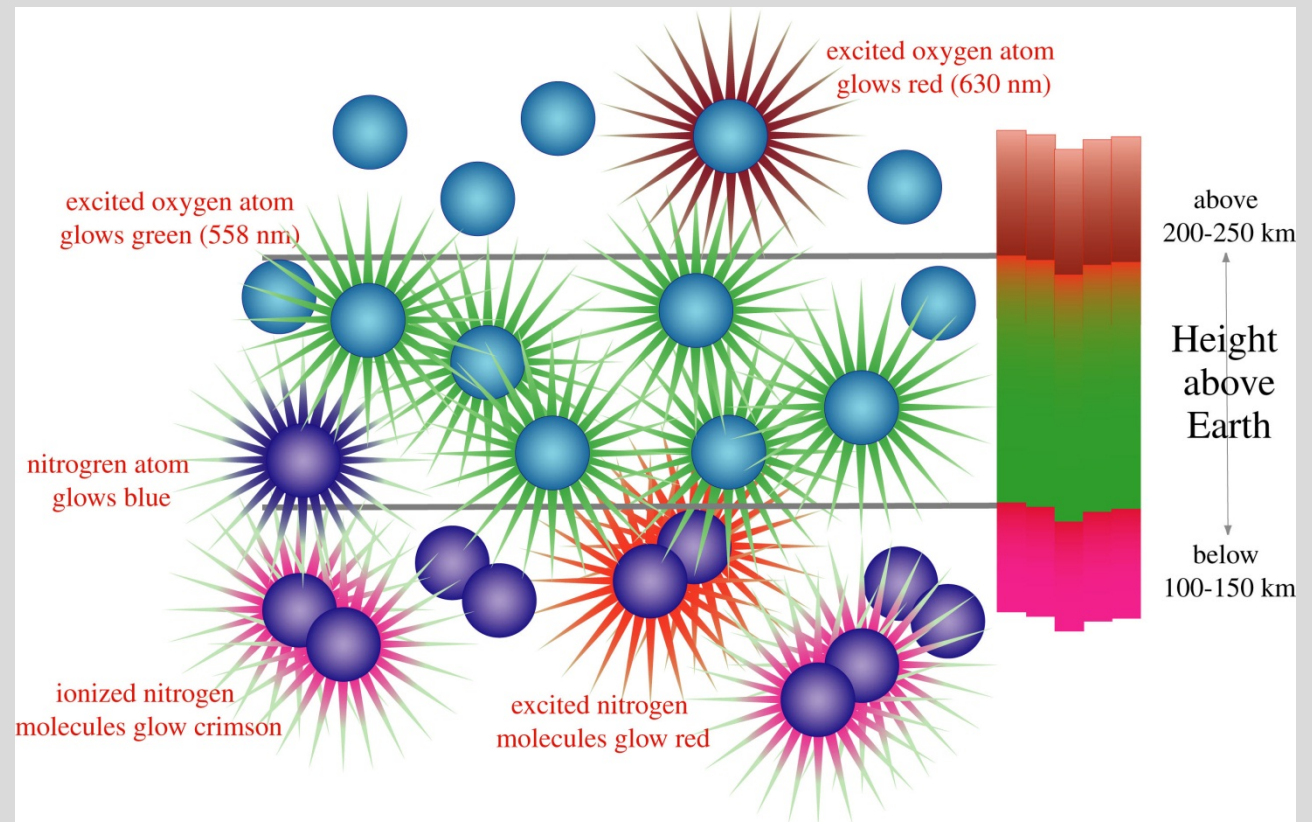
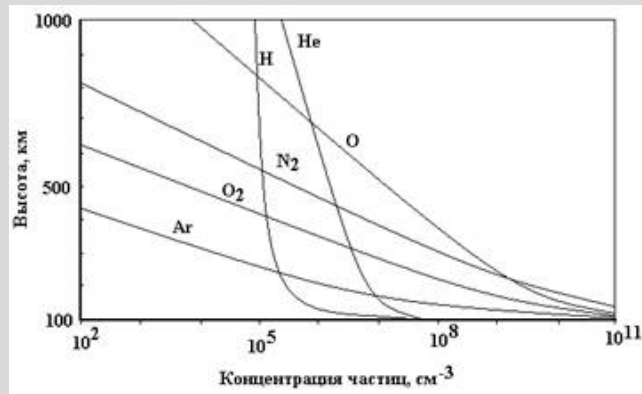
$$c = -\rho_{SW} v_{SW}^2 = -2.7 \cdot 10^{-11}$$

$$x = -\frac{b}{2a} \pm \sqrt{\frac{b^2}{4a^2} - \frac{c}{a}} =$$

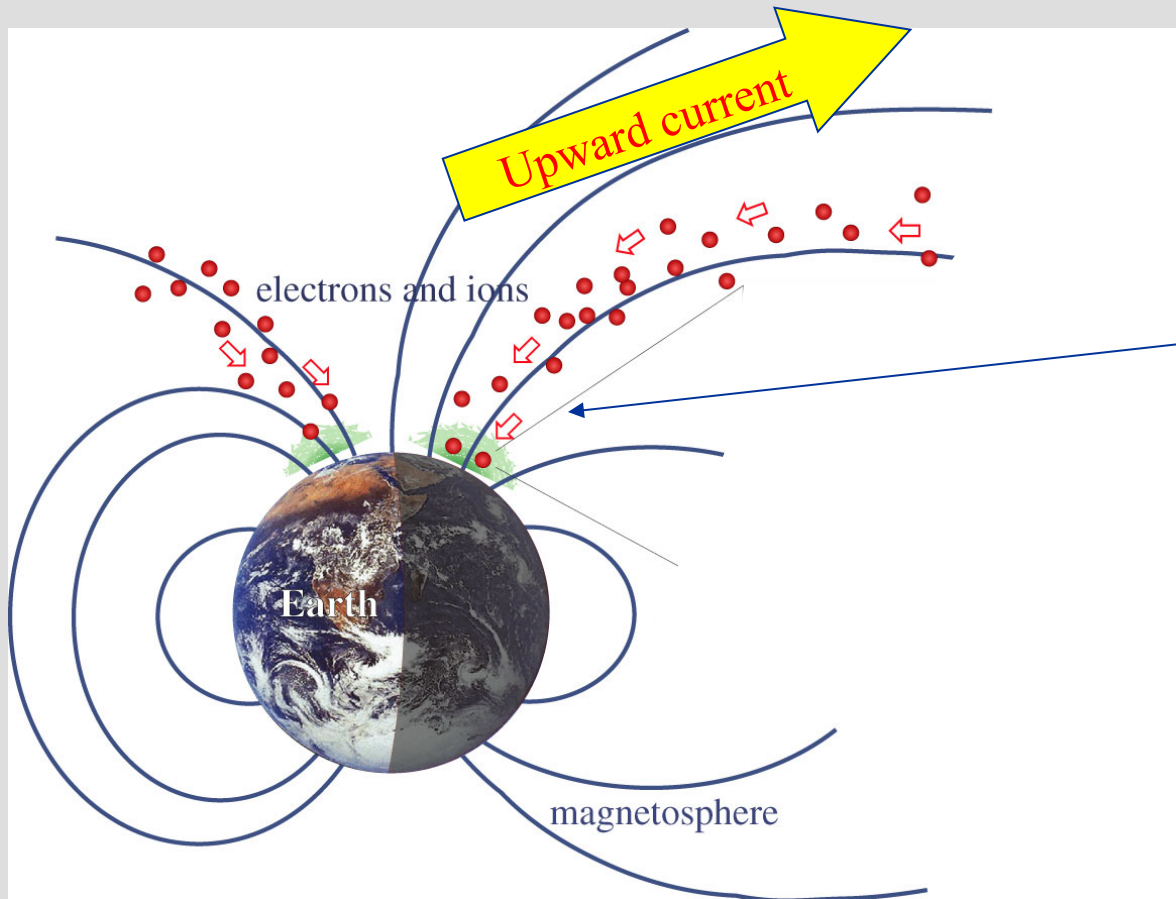
$$\begin{aligned} & -8.768 \cdot 10^{-29} + \sqrt{7.689 \cdot 10^{-57} + 2.635 \cdot 10^{-57}} = \\ & = -8.768 \cdot 10^{-29} + 1.01610^{-28} = 1.39 \cdot 10^{-29} \text{ m} \end{aligned}$$

From this you get $r \approx 59 R_J$

Emissions

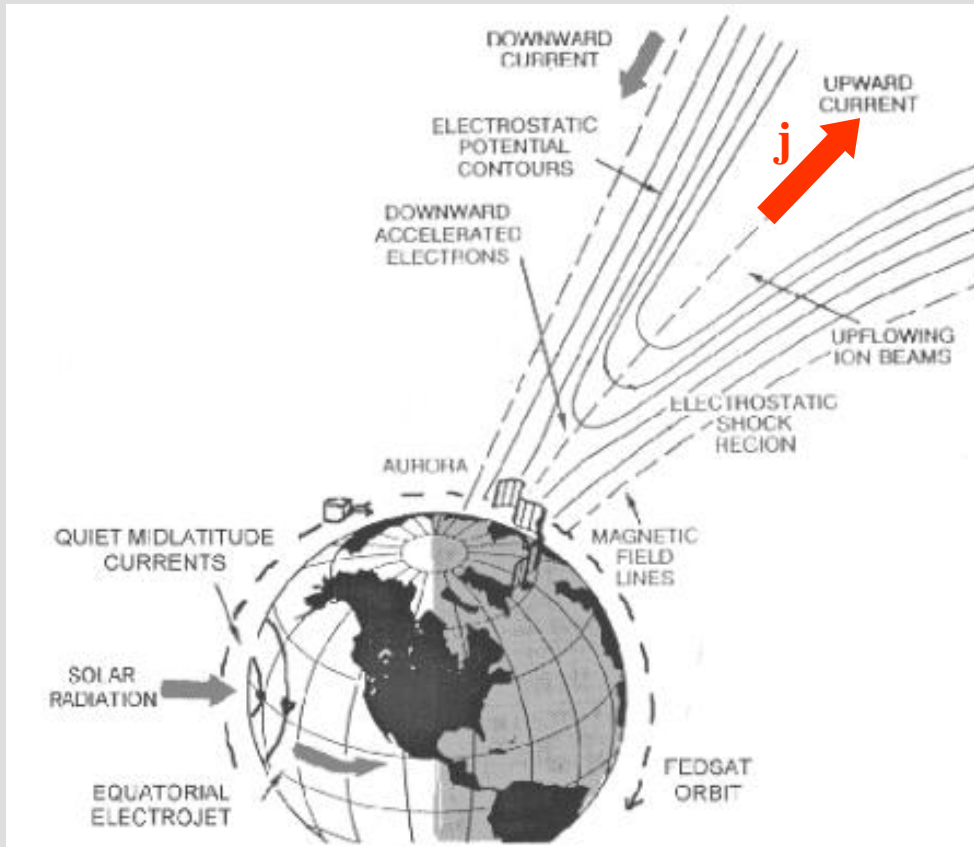


Why particle acceleration?



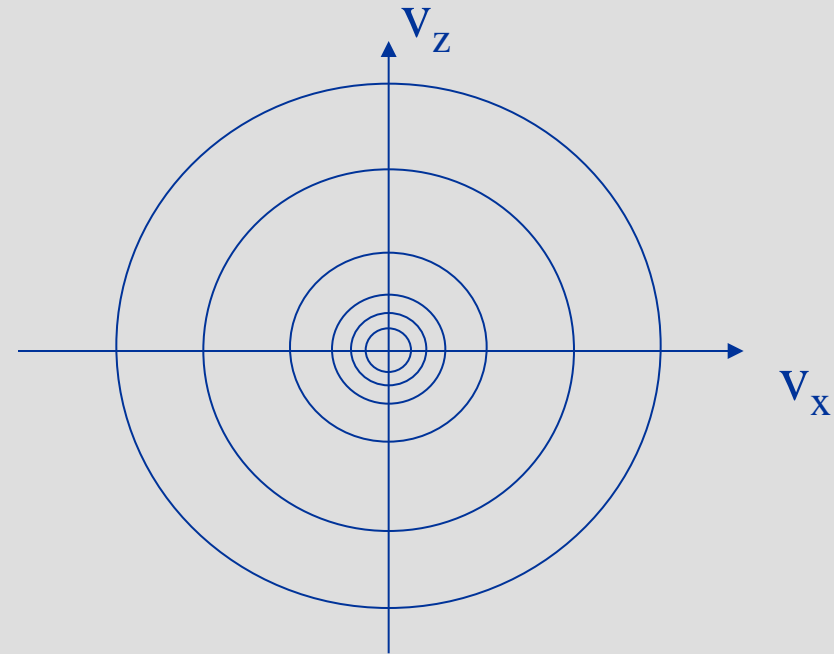
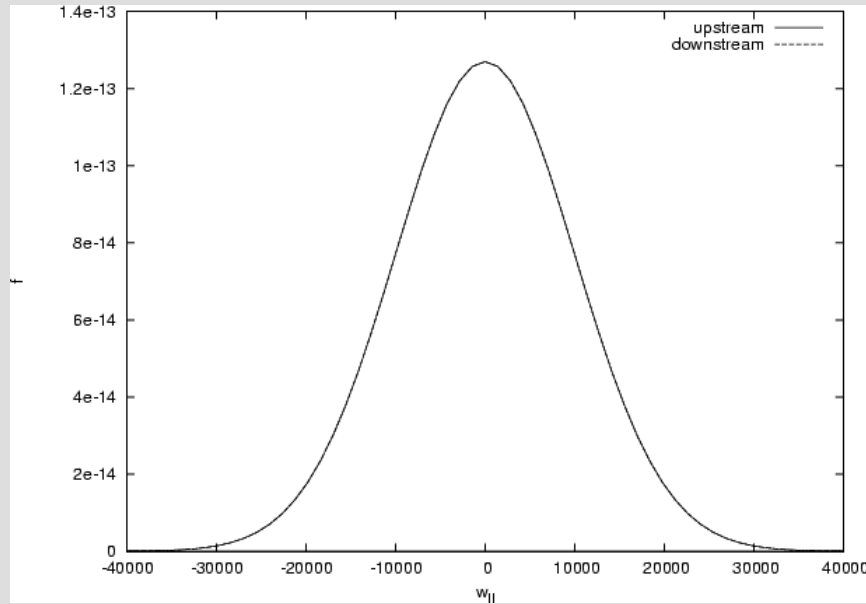
- The magnetosphere often seems to act as a current generator.
- The lower down you are on the field line, the more particles have been reflected by the magnetic mirror.
- At low altitudes there are not enough electrons to carry the current.

Why particle acceleration?



- Electrons are accelerated downwards by upward E-field.
- This increases the pitch-angle of the electrons, and more electrons can reach the ionosphere, where the current can be closed.

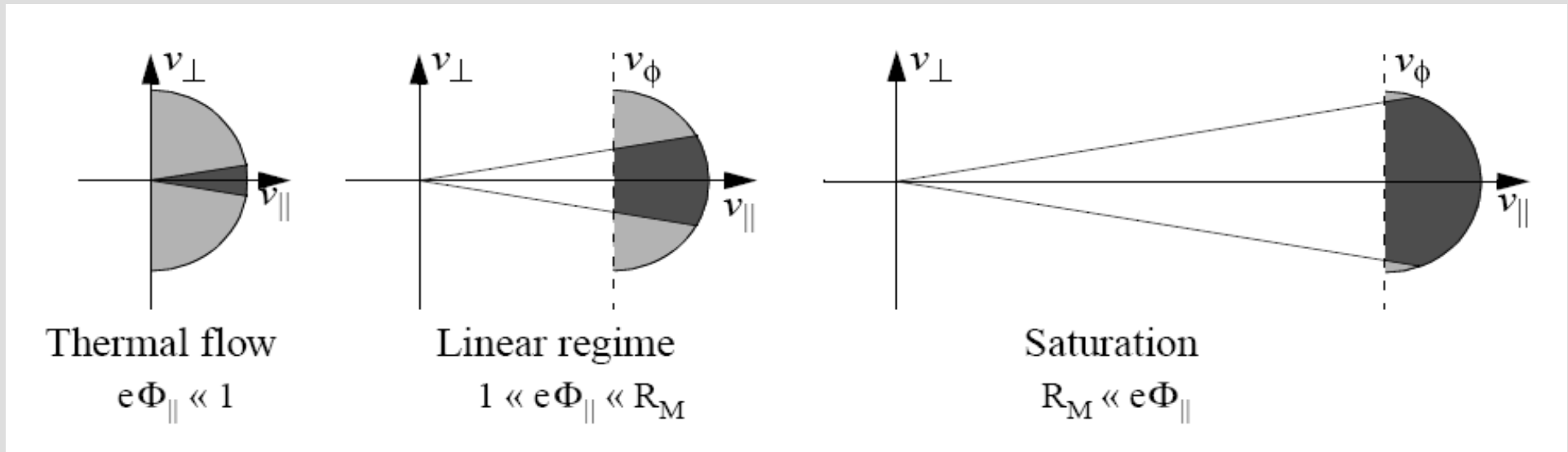
Distribution function



Example:
Maxwellian
distribution

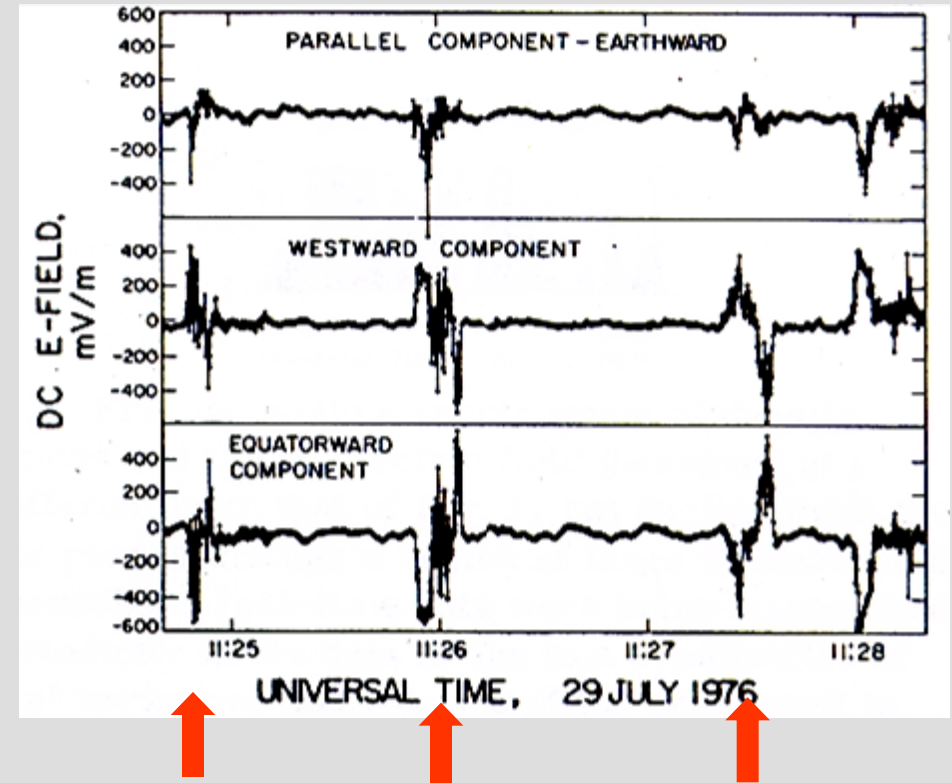
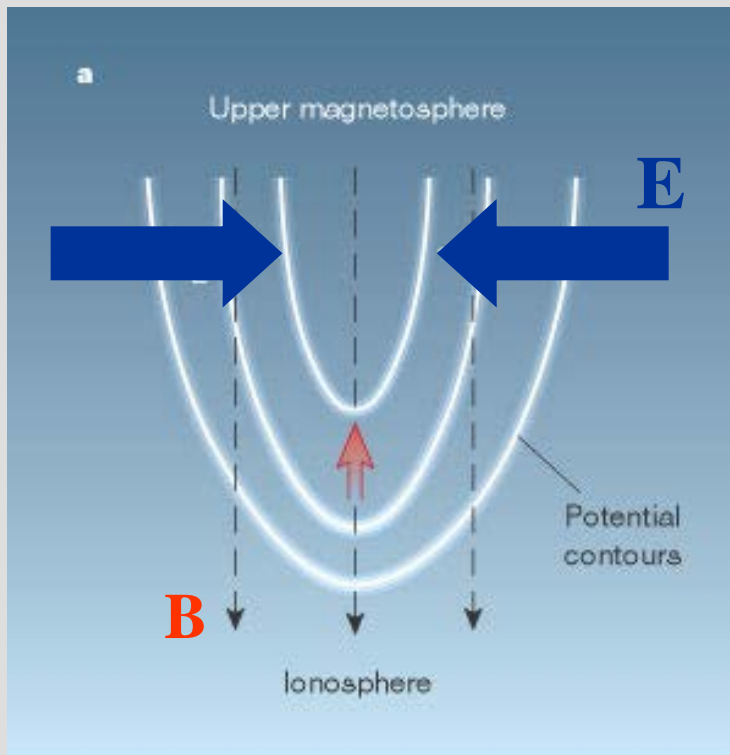
$$f = \frac{n}{\sqrt{(2\pi RT)^3}} \exp \left(-\frac{m(v_x^2 + v_y^2 + v_z^2)}{2kT} \right)$$

Why particle acceleration?



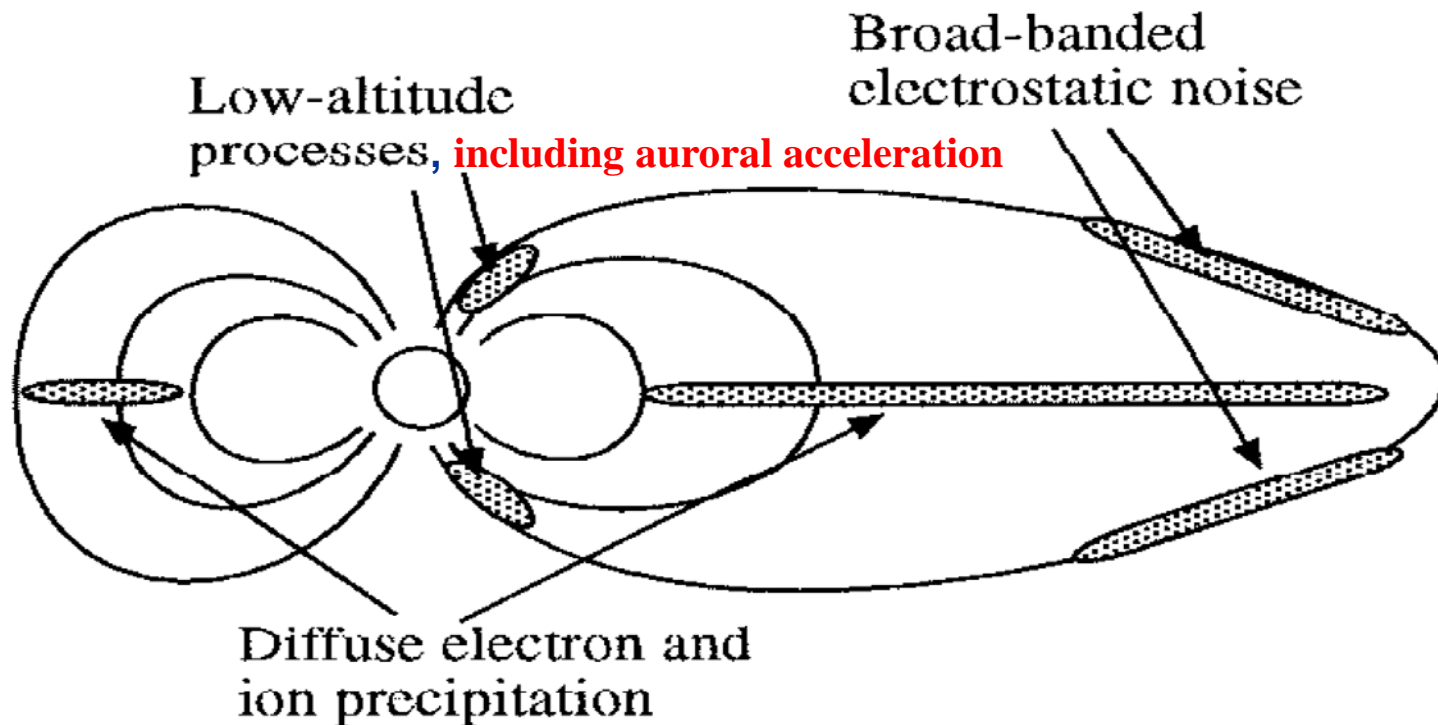
- Electrons are accelerated downwards by upward E-field.
- This increases the pitch-angle of the electrons, and more electrons can reach the ionosphere, where the current can be closed.

Satellite signatures of U potential



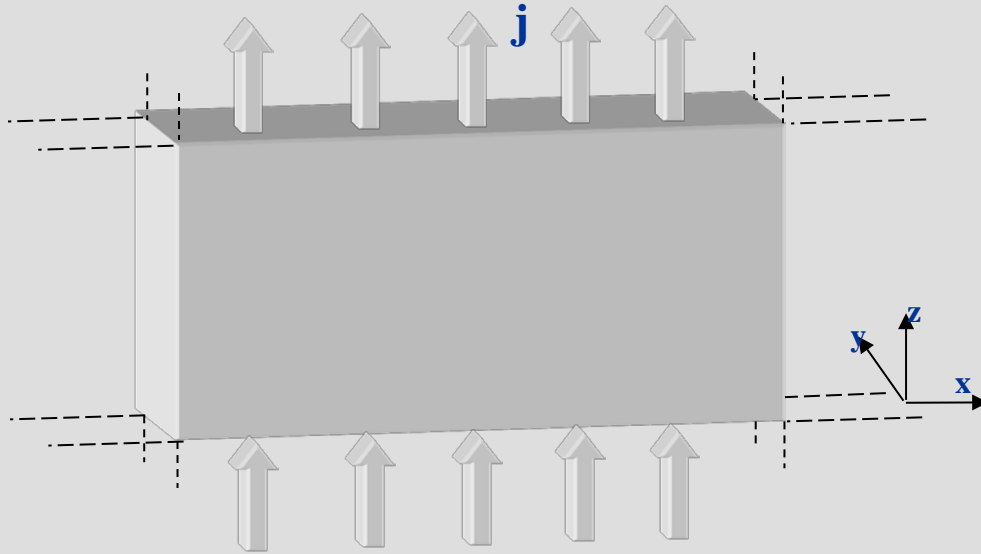
Measurements made by the ISEE satellite
(Mozer et al., 1977)

Acceleration regions



Auroral acceleration region typically situated at altitude of 1-3 R_E

Current sheet approximation and Ampère's law



$$\left(\frac{\partial B_z}{\partial y} - \frac{\partial B_y}{\partial z}, \frac{\partial B_x}{\partial z} - \frac{\partial B_z}{\partial x}, \frac{\partial B_y}{\partial x} - \frac{\partial B_x}{\partial y} \right) = \mu_0 (j_x, j_y, j_z)$$

But $\frac{\partial}{\partial x} = 0$ and $\frac{\partial}{\partial z} = 0$

$$\left(\frac{\partial B_z}{\partial y}, 0, -\frac{\partial B_x}{\partial y} \right) = \mu_0 (0, 0, j_z)$$

eller

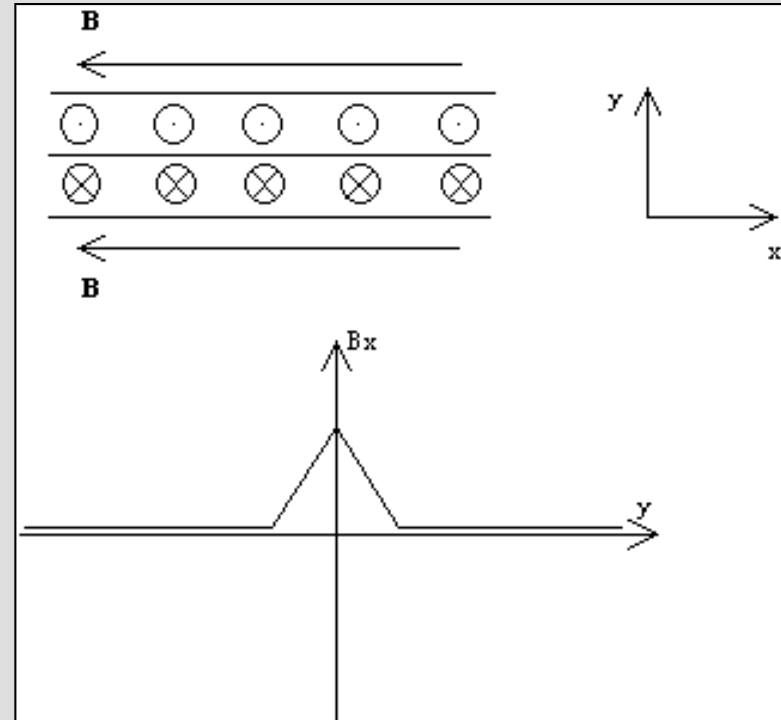
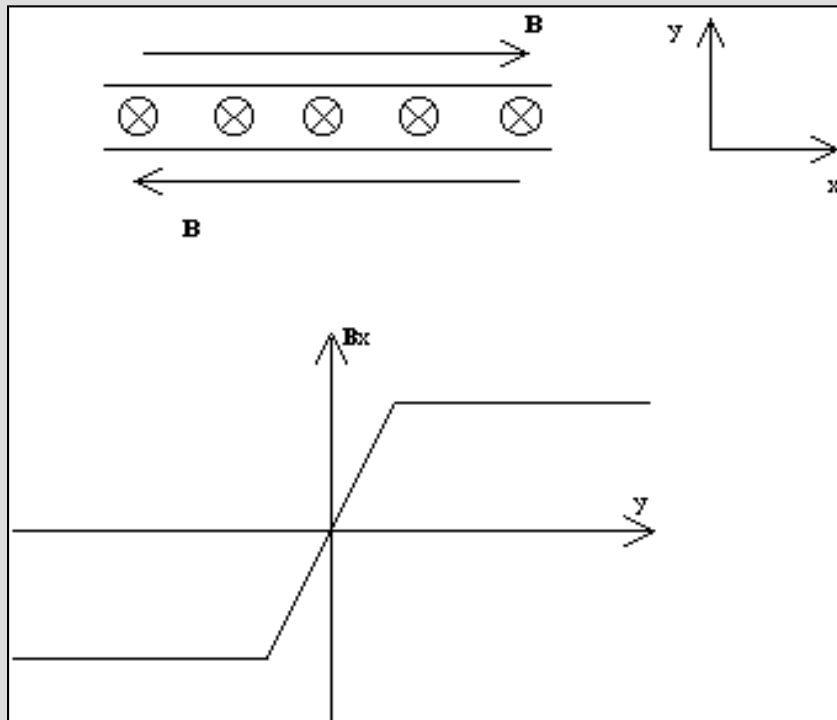
Ampère's law (no time dependence):

$$\nabla \times \mathbf{B} = \mu_0 \mathbf{j}$$

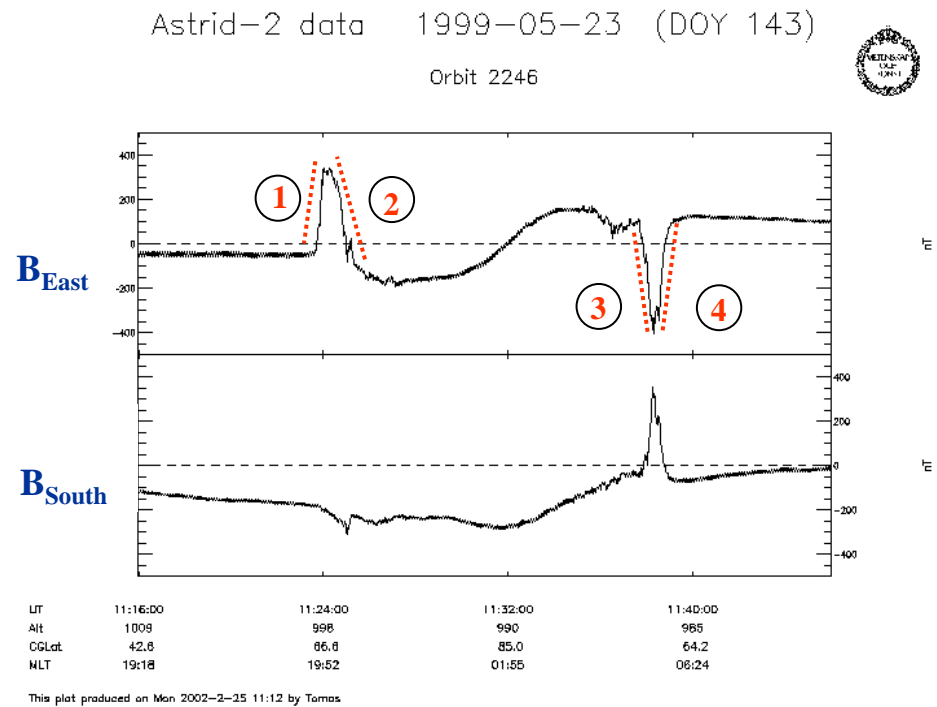
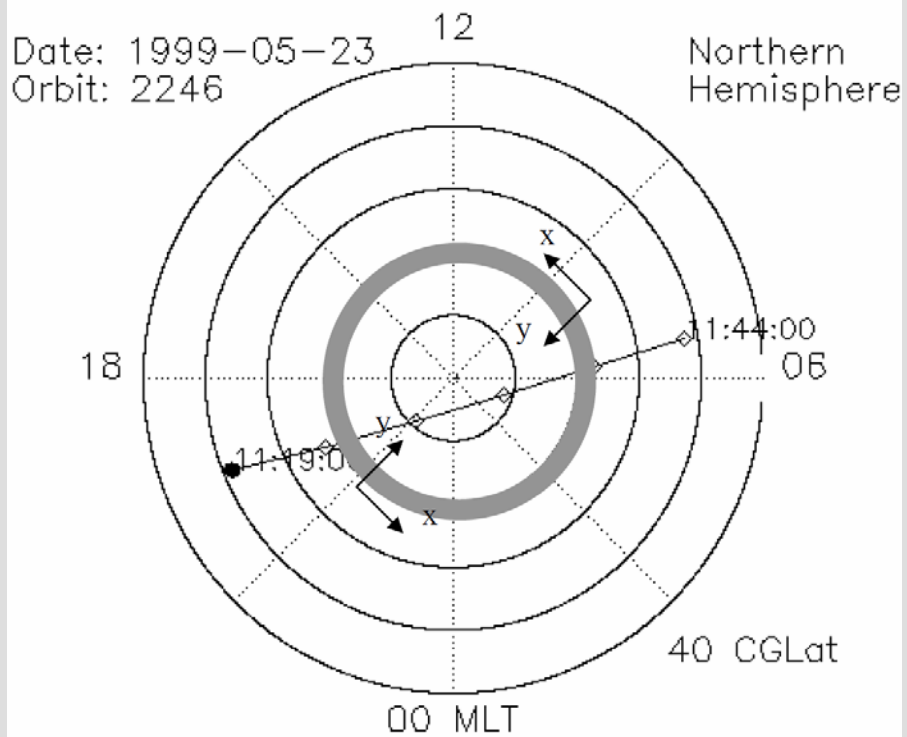


$$j_z = -\frac{1}{\mu_0} \frac{\partial B_x}{\partial y}$$

Current sheet - example



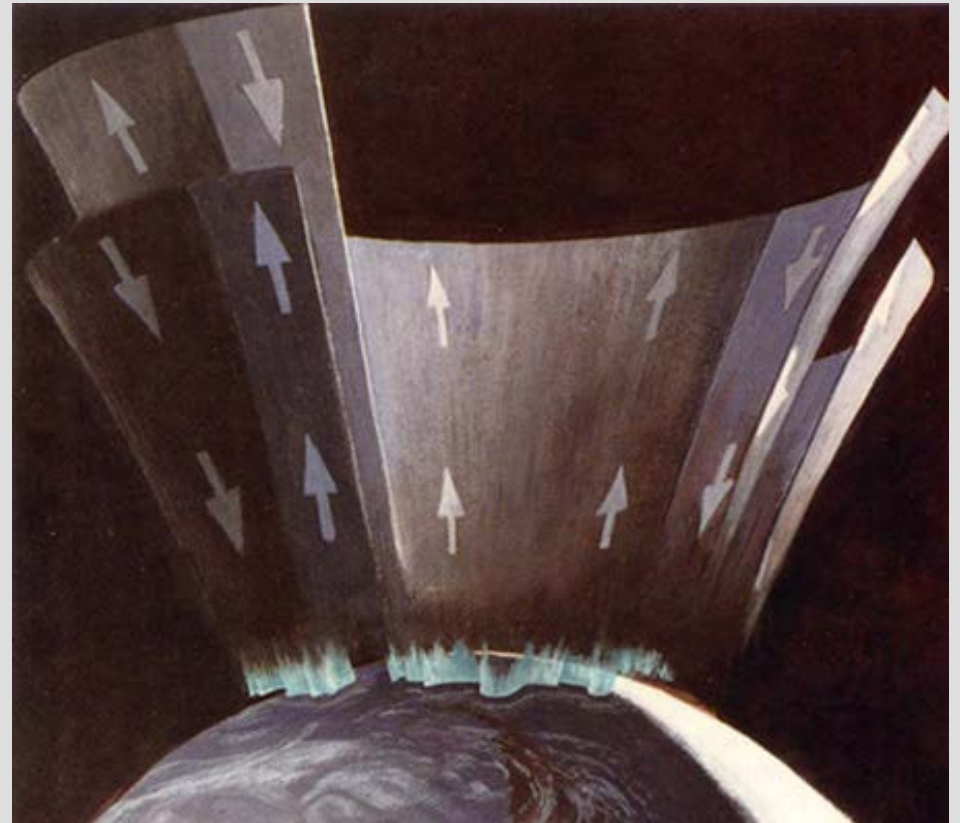
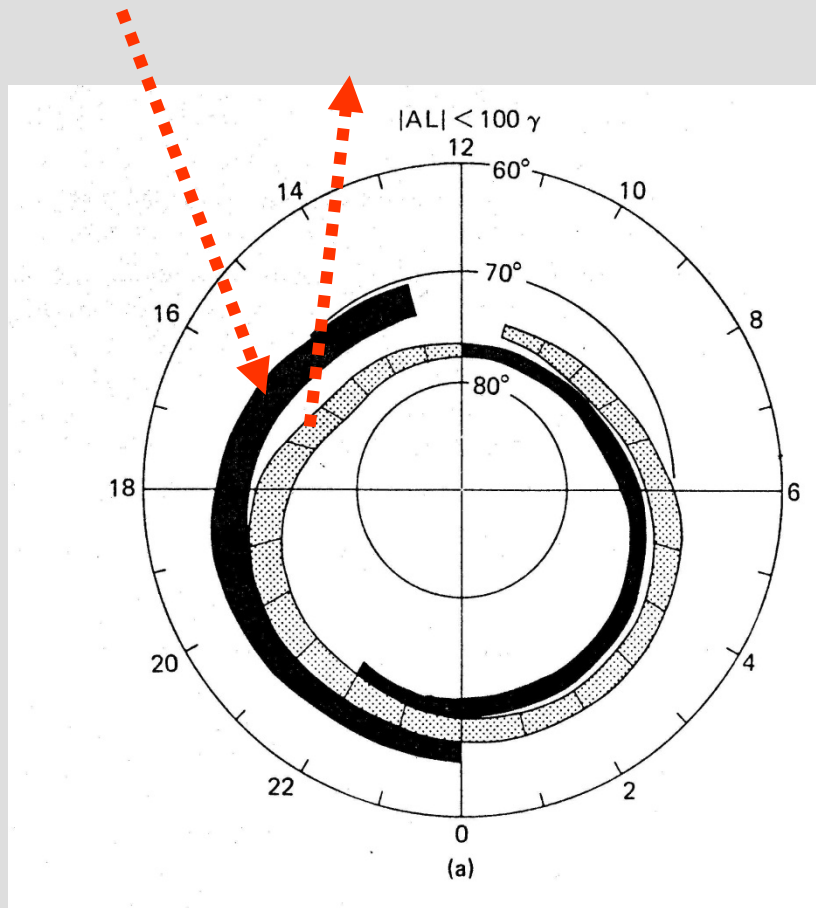
$$j_z = -\frac{1}{\mu_0} \frac{\partial B_x}{\partial y}$$



$$j_z = -\frac{1}{\mu_0} \frac{\partial B_x}{\partial y}$$

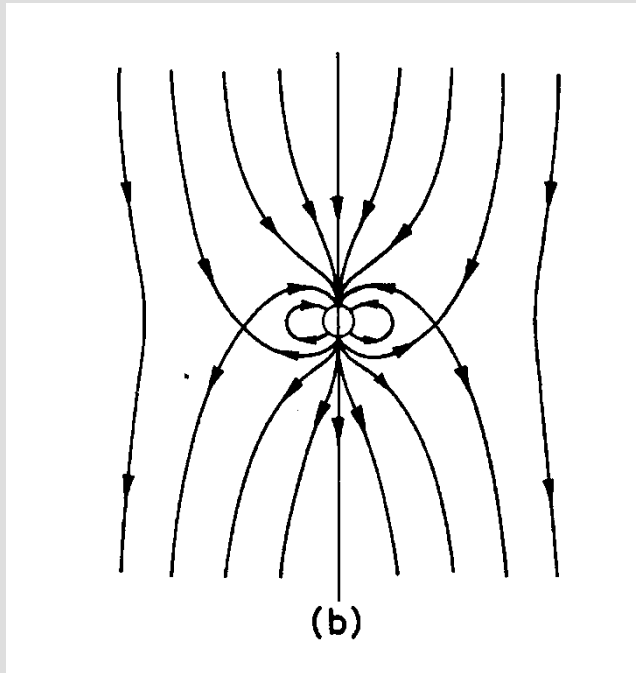
- | | | | | |
|----|---------------------------------------|---------------|-----------|-----------------------|
| 1) | $\frac{\partial B_x}{\partial y} > 0$ | \Rightarrow | $j_z < 0$ | Into the ionosphere |
| 2) | $\frac{\partial B_x}{\partial y} < 0$ | \Rightarrow | $j_z > 0$ | Out of the ionosphere |
| 3) | $\frac{\partial B_x}{\partial y} > 0$ | \Rightarrow | $j_z < 0$ | Into the ionosphere |
| 4) | $\frac{\partial B_x}{\partial y} < 0$ | \Rightarrow | $j_z > 0$ | Out of the ionosphere |

Birkeland currents in the auroral oval

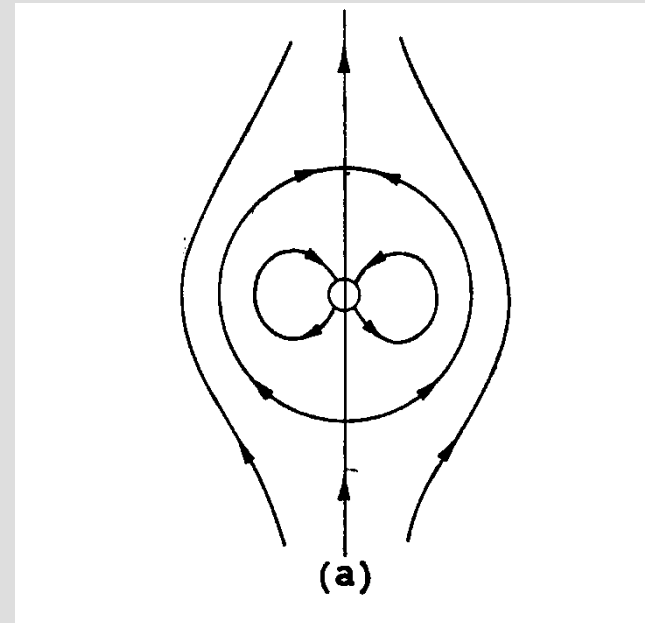


Magnetospheric dynamics

open magnetosphere



closed magnetosphere

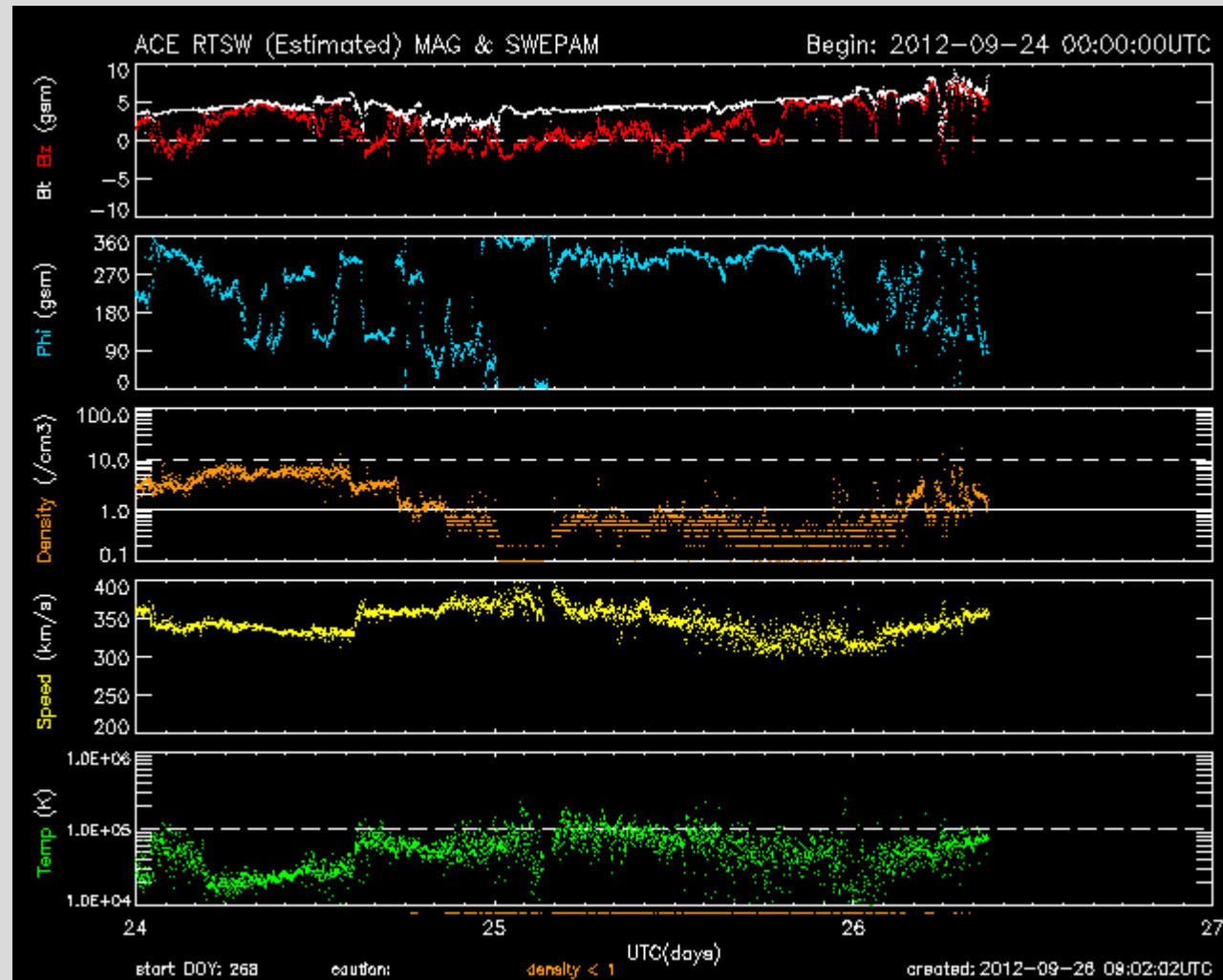


southward


Interplanetary
magnetic field (IMF)

 northward

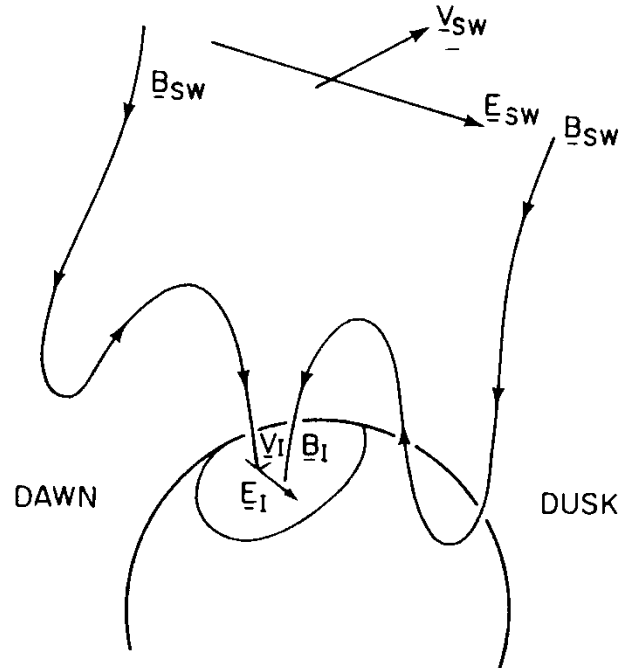
Solar wind magnetic field



Magnetospheric dynamics

open magnetosphere

Viewpoint 1



The solar wind generates an electric field

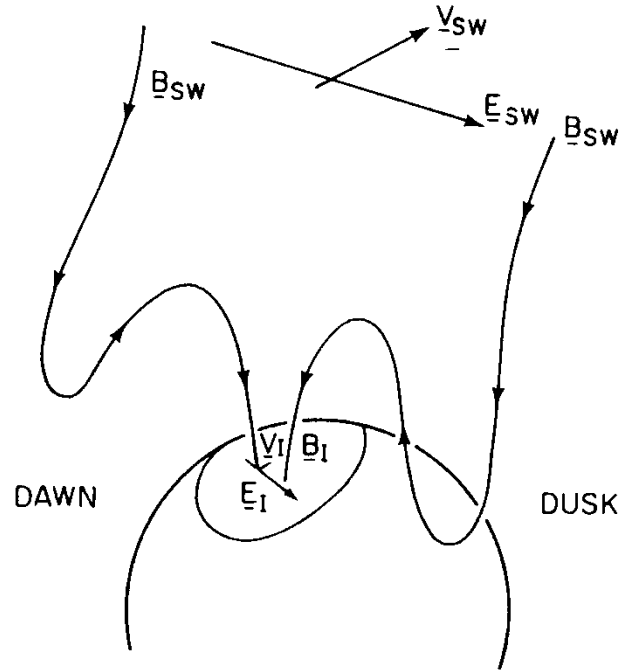
$$\mathbf{E}_{SW} = - \mathbf{v}_{SW} \times \mathbf{B}_{SW}$$

which maps down to the ionosphere, since the field lines are very good conductors

Magnetospheric dynamics

open magnetosphere

Viewpoint 2



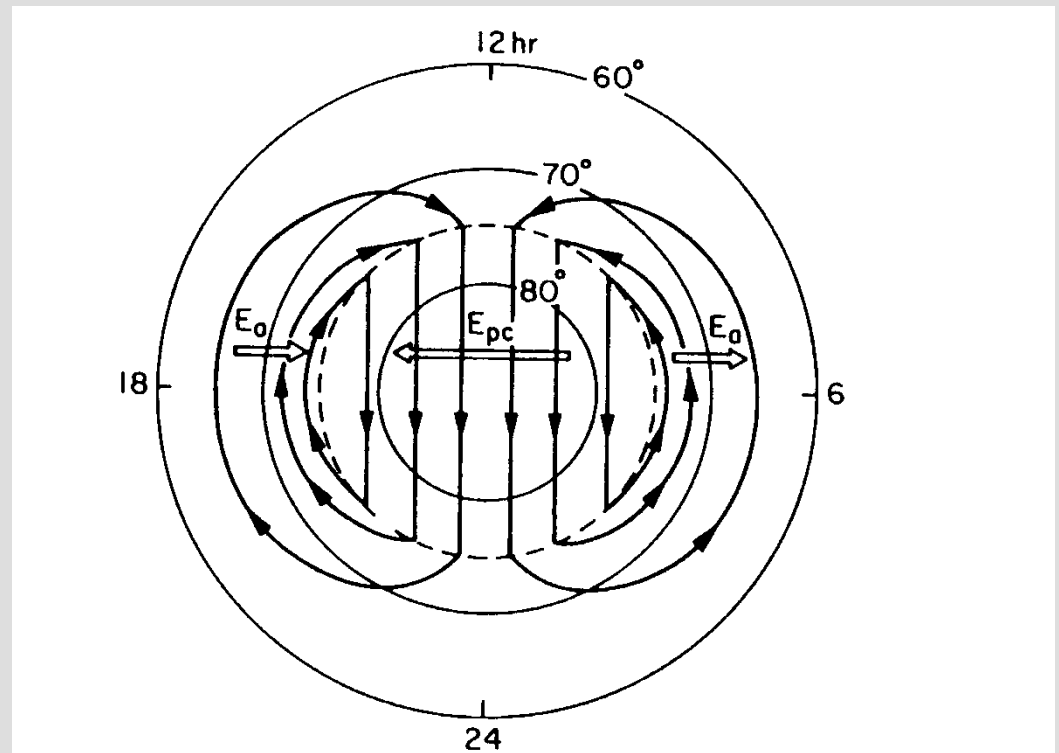
The solar wind magnetic field draws the ionospheric plasma with it, since the field is frozen into the plasma. This motion induces an ionospheric electric field

$$\mathbf{E}_I = - \mathbf{v}_I \times \mathbf{B}_I$$

Magnetospheric dynamics

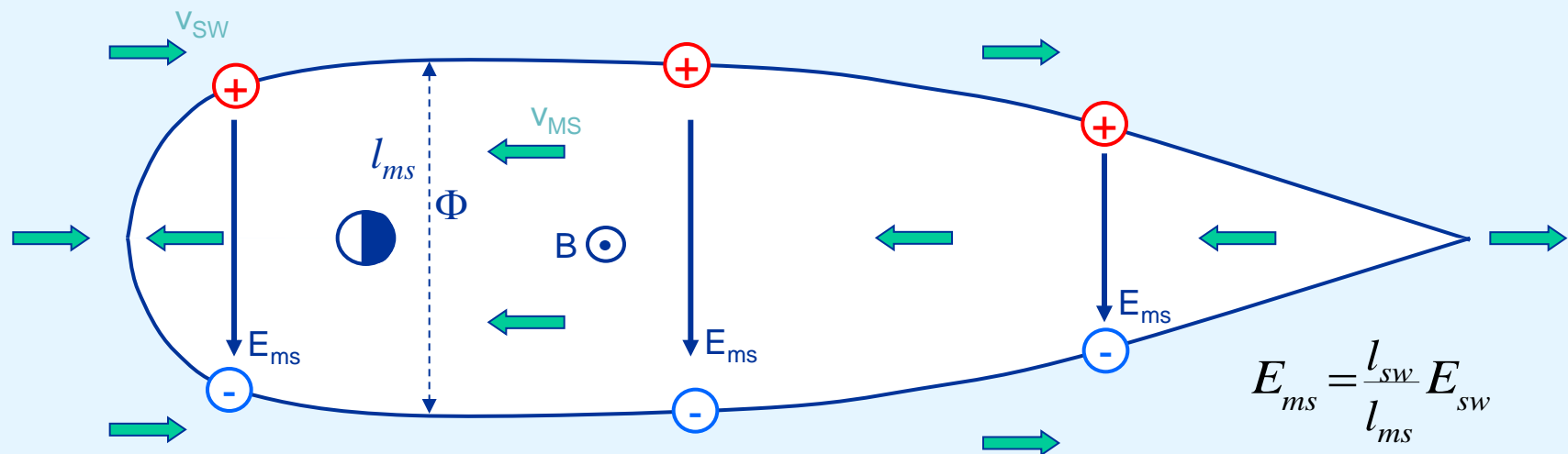
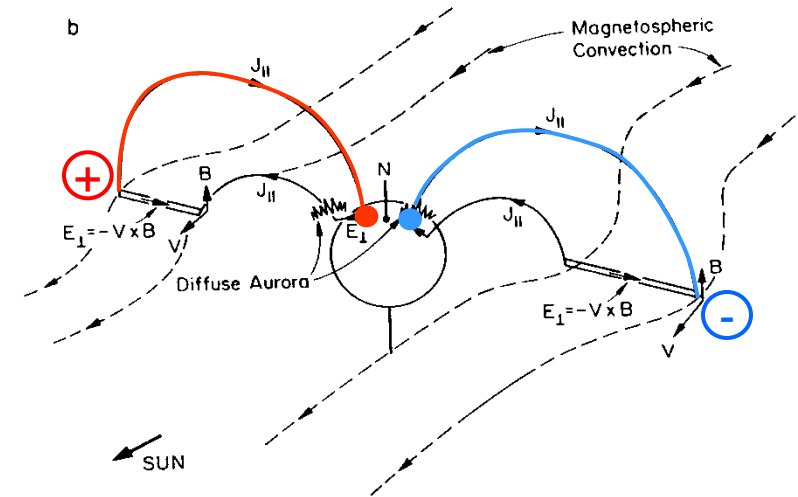
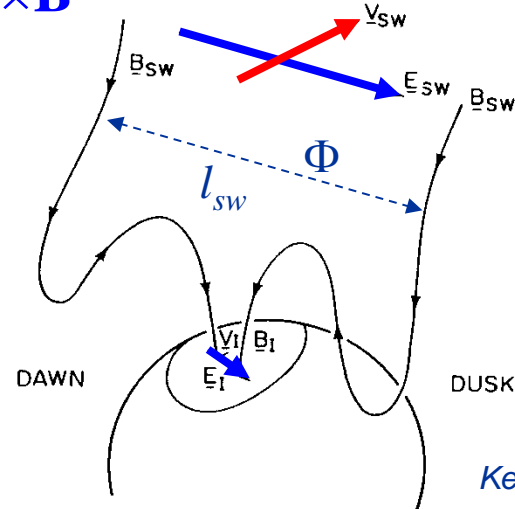
Plasma convection in the ionosphere

The electric field "propagates" to the ionosphere, since the field lines are good conductors, and thus equipotentials



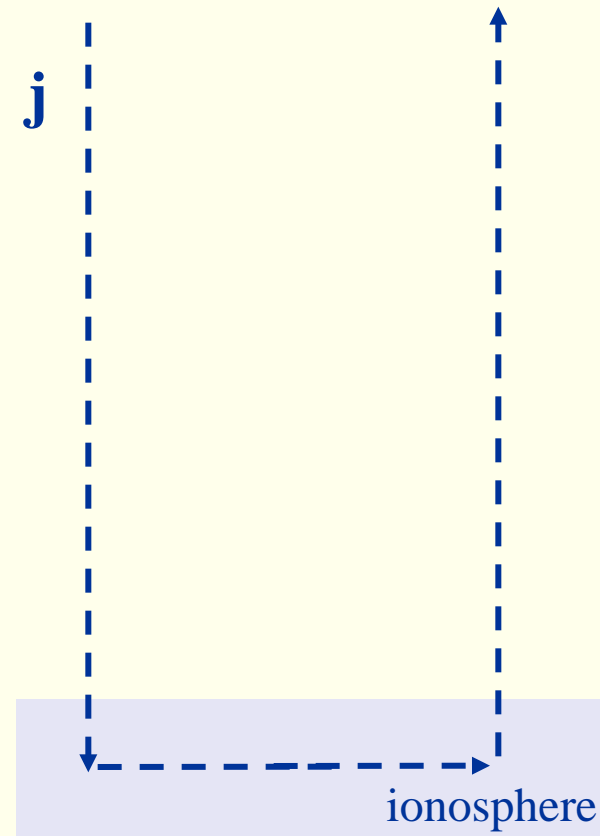
Magnetospheric plasma convection

$$\mathbf{E}_{sw} = -\mathbf{v} \times \mathbf{B}$$



Geomagnetic activity, definition

- Geomagnetic activity = temporal variations in the geomagnetic field.
- These variations are caused by temporal variations in the currents in the magnetosphere and ionosphere.

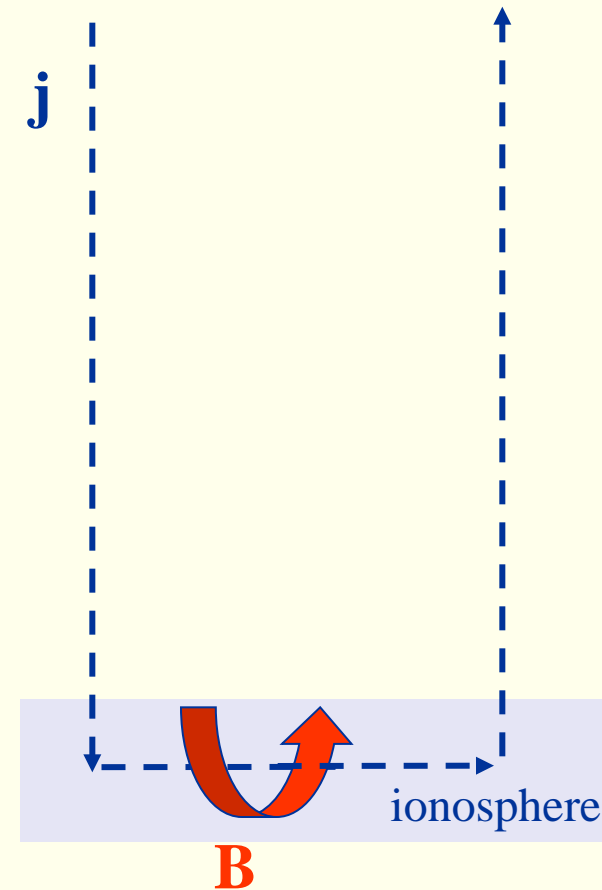




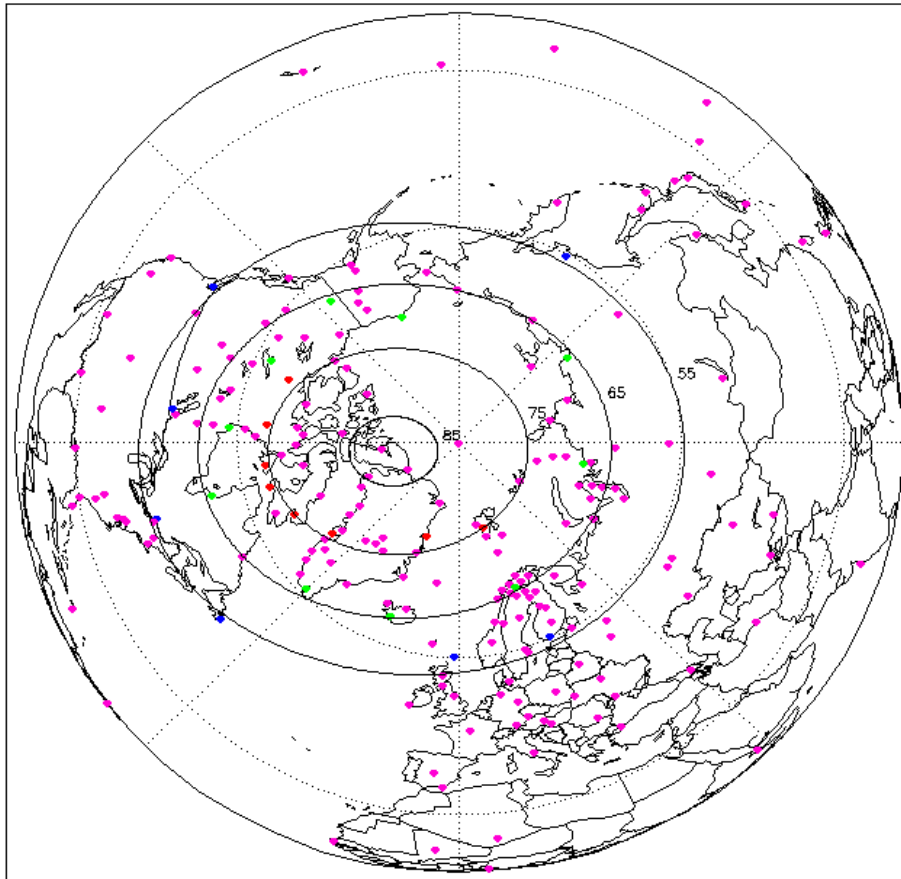
How can you observe these changing currents on Earth?

Geomagnetic activity, definition

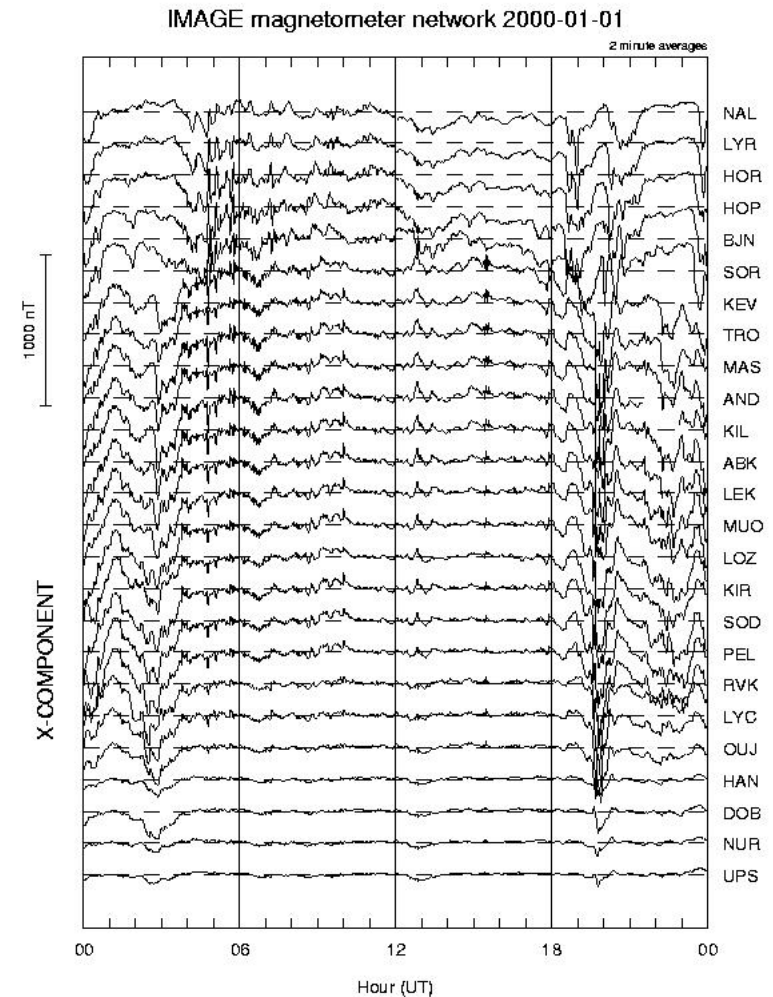
- Geomagnetic activity = temporal variations in the geomagnetic field.
- These variations are caused by temporal variations in the currents in the magnetosphere and ionosphere.
- The variations are observed by geomagnetic observatories



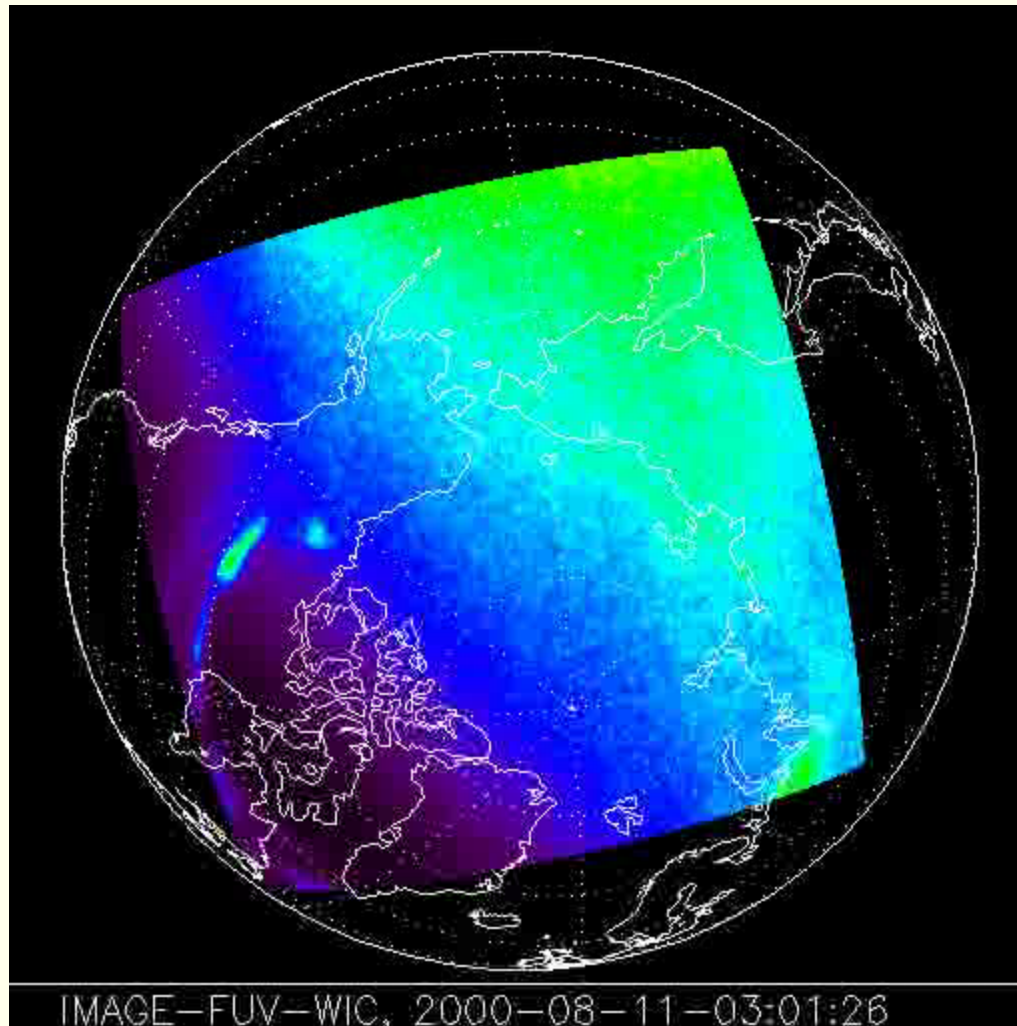
Magnetic observatories



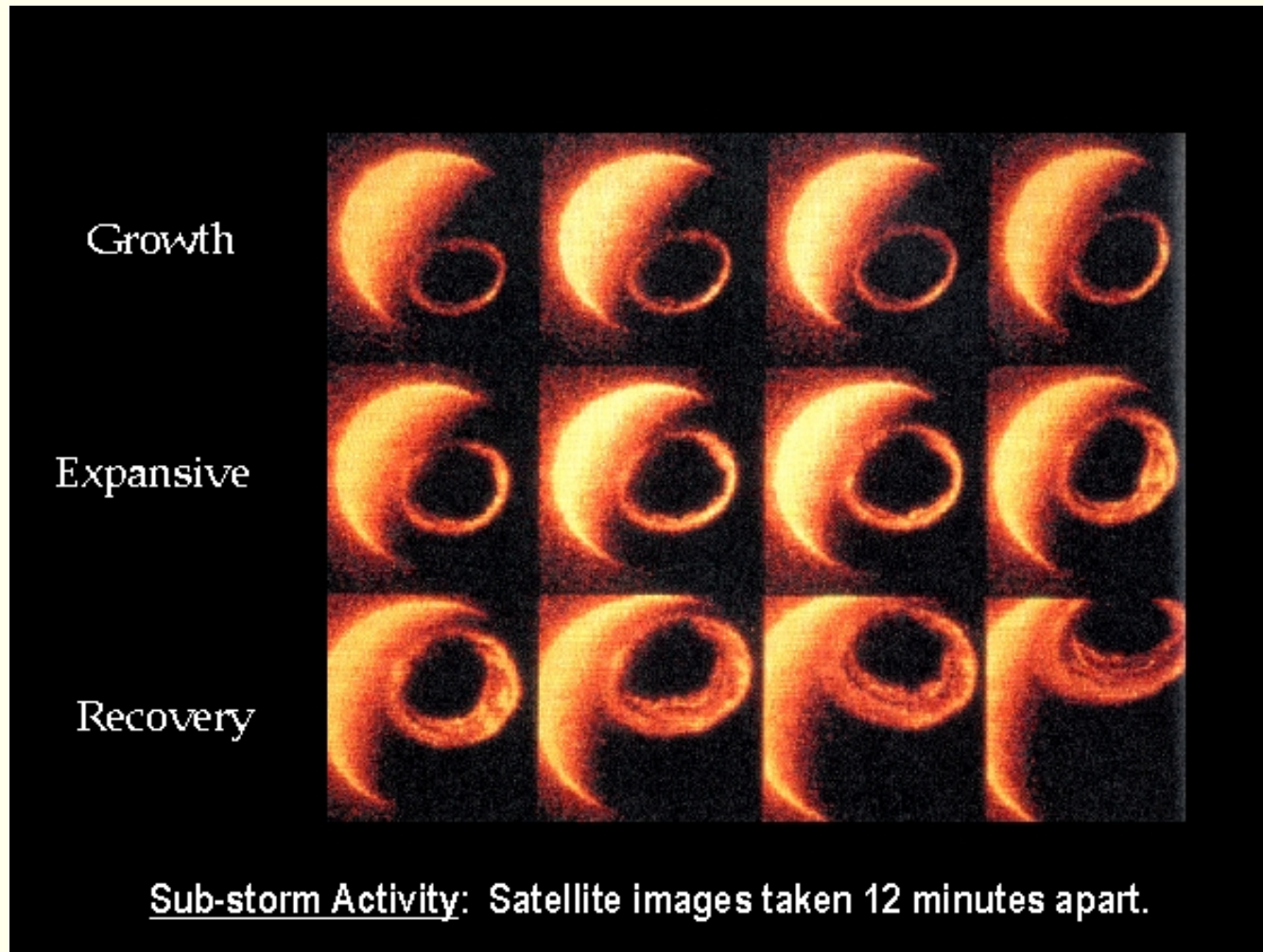
Magnetogram



Aurora during substorm



Aurora during substorm

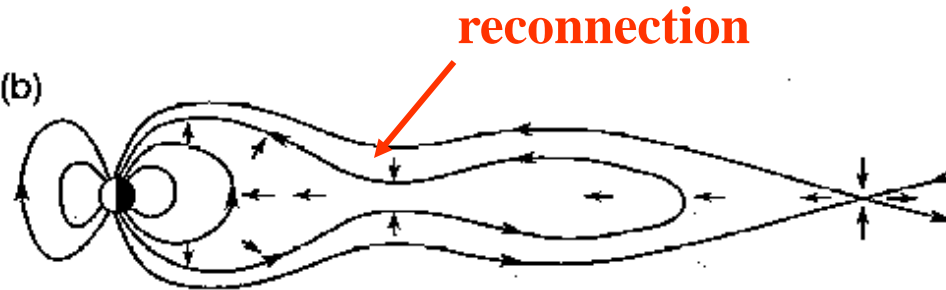


Substorms - magnetosphere

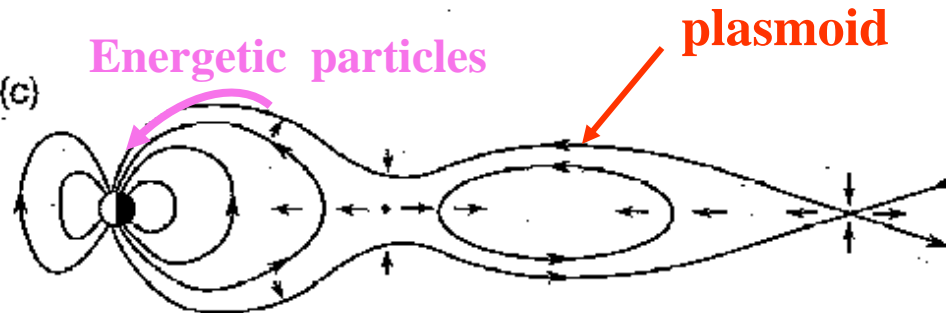
(a)



(b)

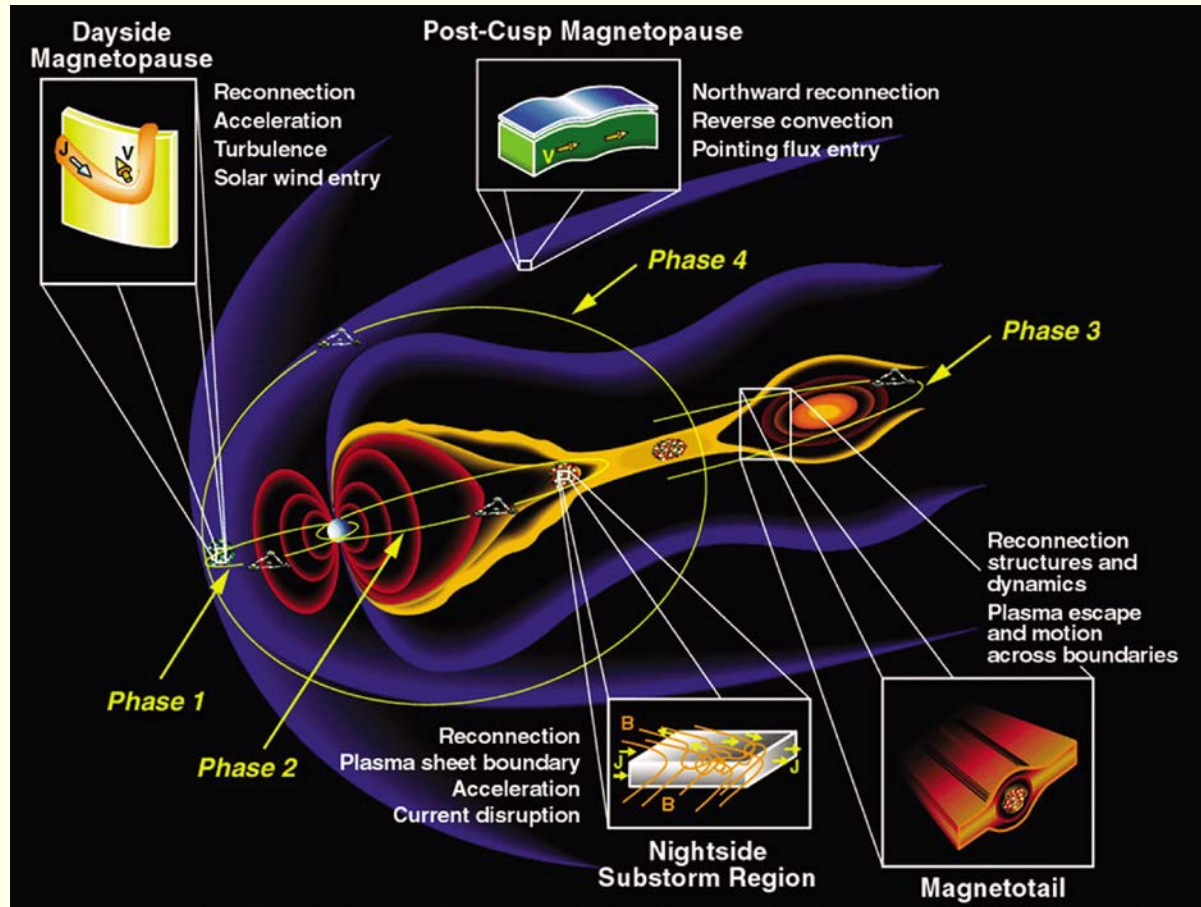


(c)



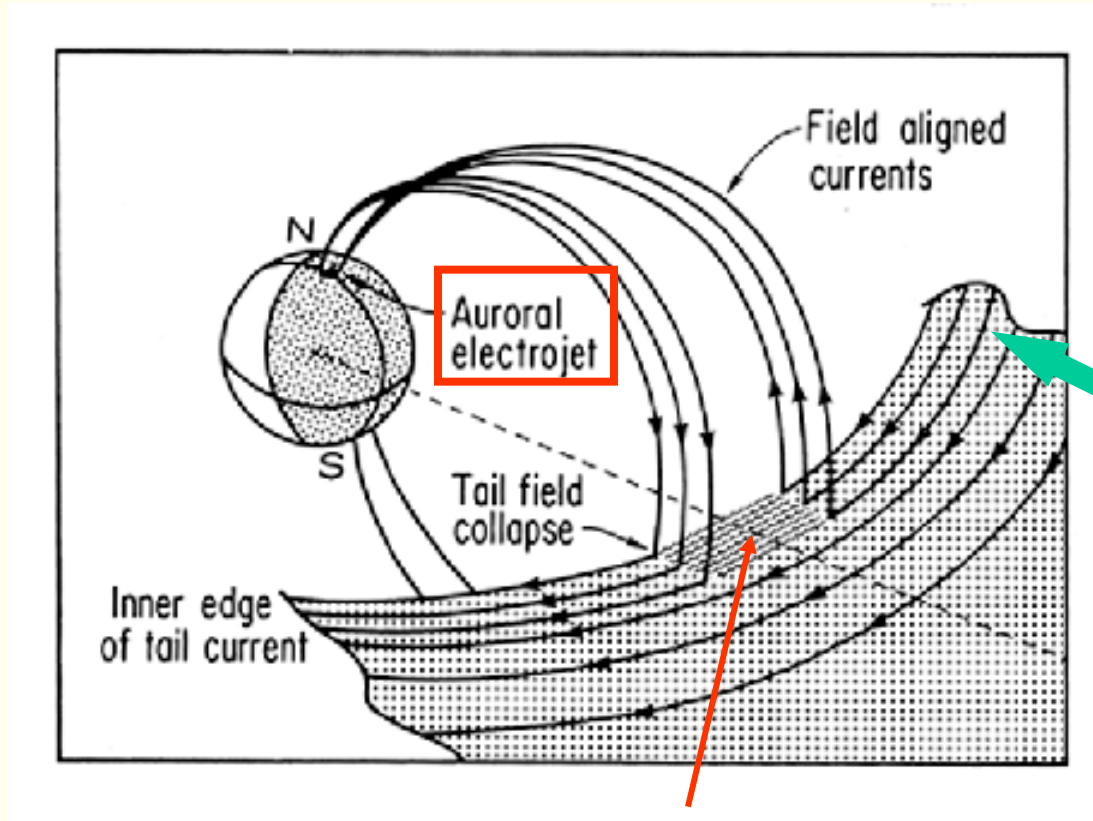
- **GROWTH PHASE:** When IMF southward, energy is pumped into magnetotail and is stored as magnetic energy
- **ONSET:** After a certain time (~ 1 h) the magnetotail goes unstable and “snaps” due to fast reconnection.
- **EXPANSION/MAIN PHASE:** Close to Earth the magnetosphere returns to dipole-like configuration. Plasma is energized and injected into the inner parts of the magnetosphere.
- **RECOVERY PHASE:** In the outer parts of the magnetotail a *plasmoid* is ejected. The magnetosphere returns to its ground state.

Substorms - magnetosphere



- **GROWTH PHASE:** When IMF southward, energy is pumped into magnetotail and is stored as magnetic energy
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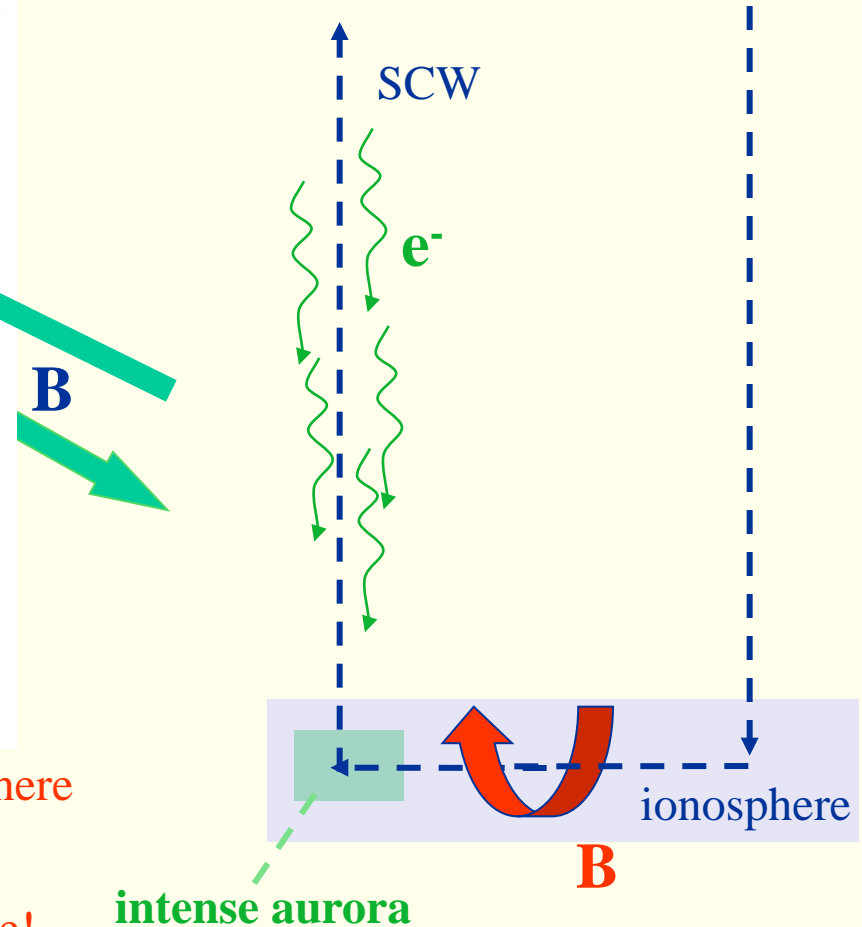
Substorm Current Wedge (SCW)



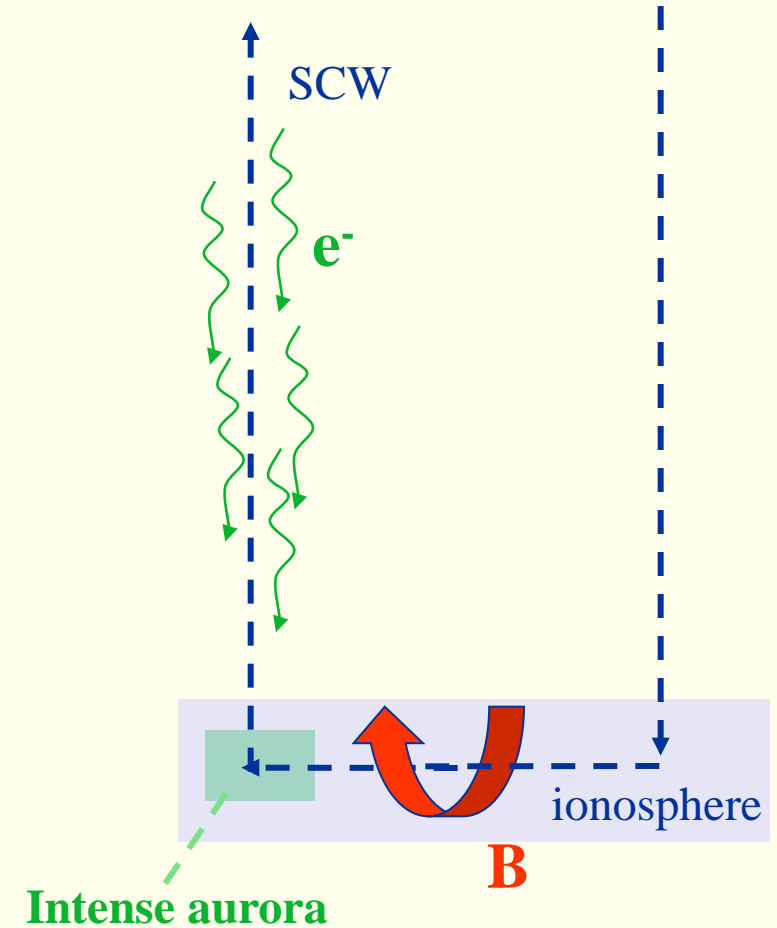
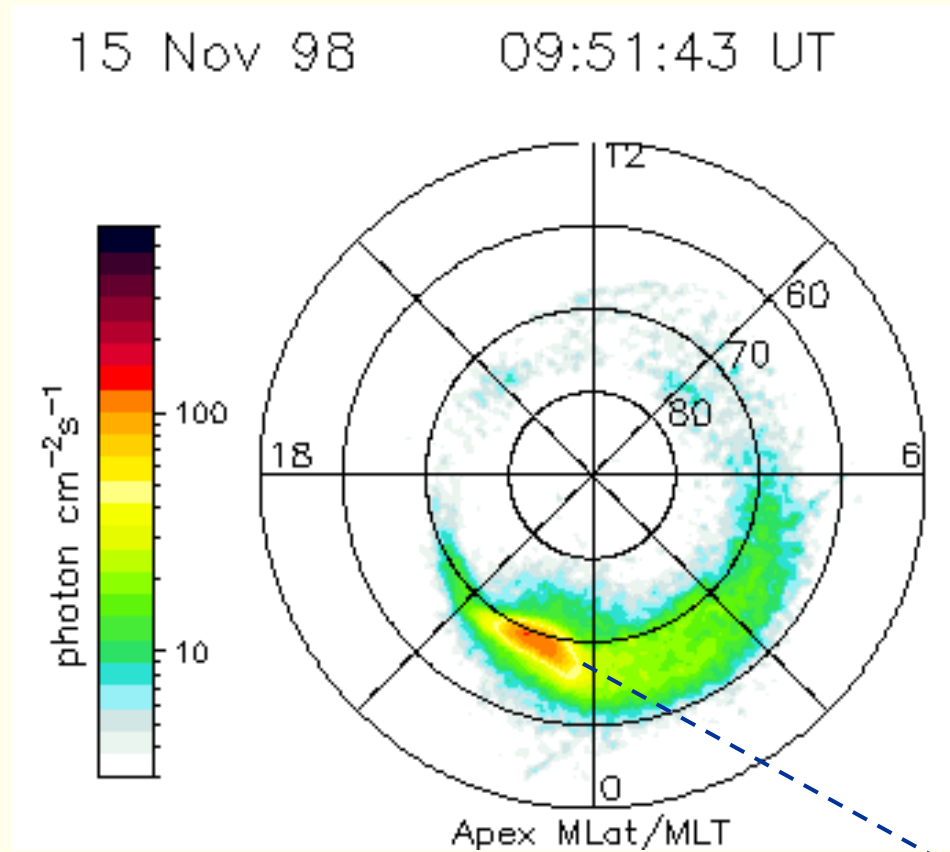
Due to reconnection processes the resistivity increases here

⇒

Current takes another direction – through the ionosphere!

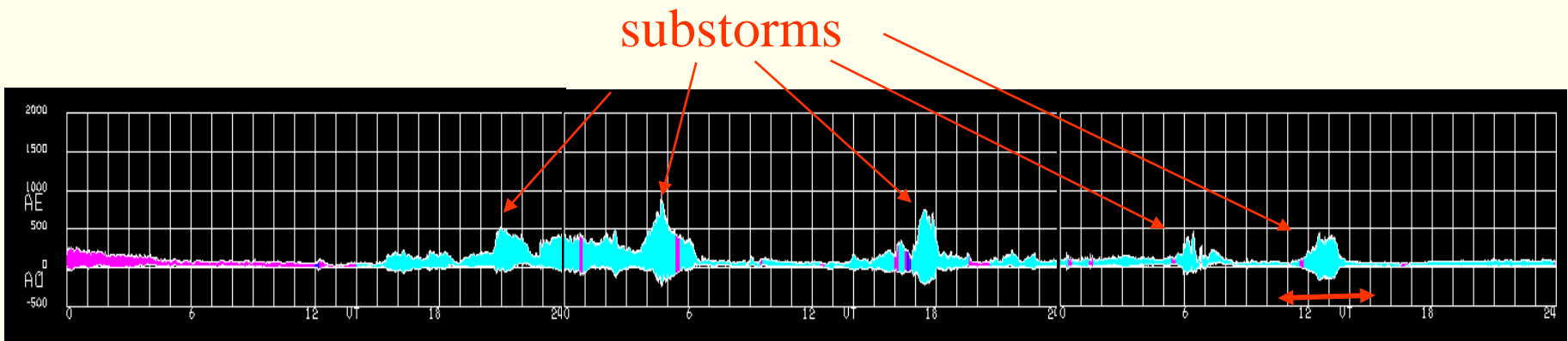
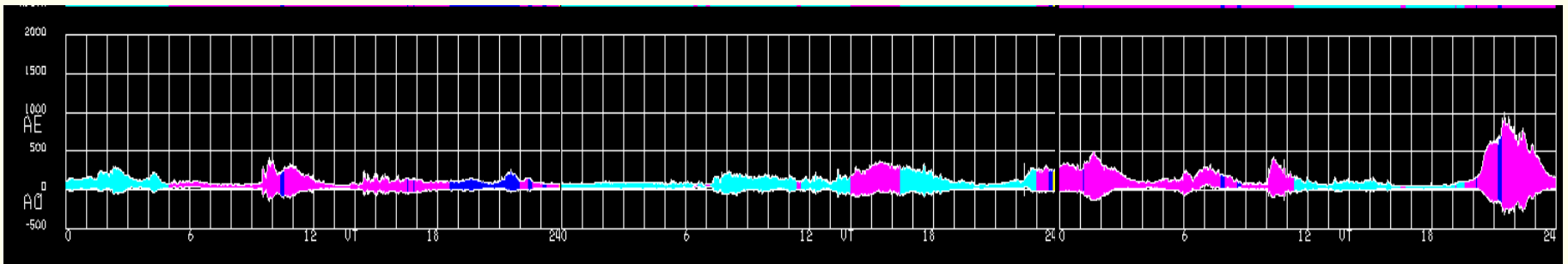


Substorm Current Wedge (SCW)



Auroral Electrojet (AE) index

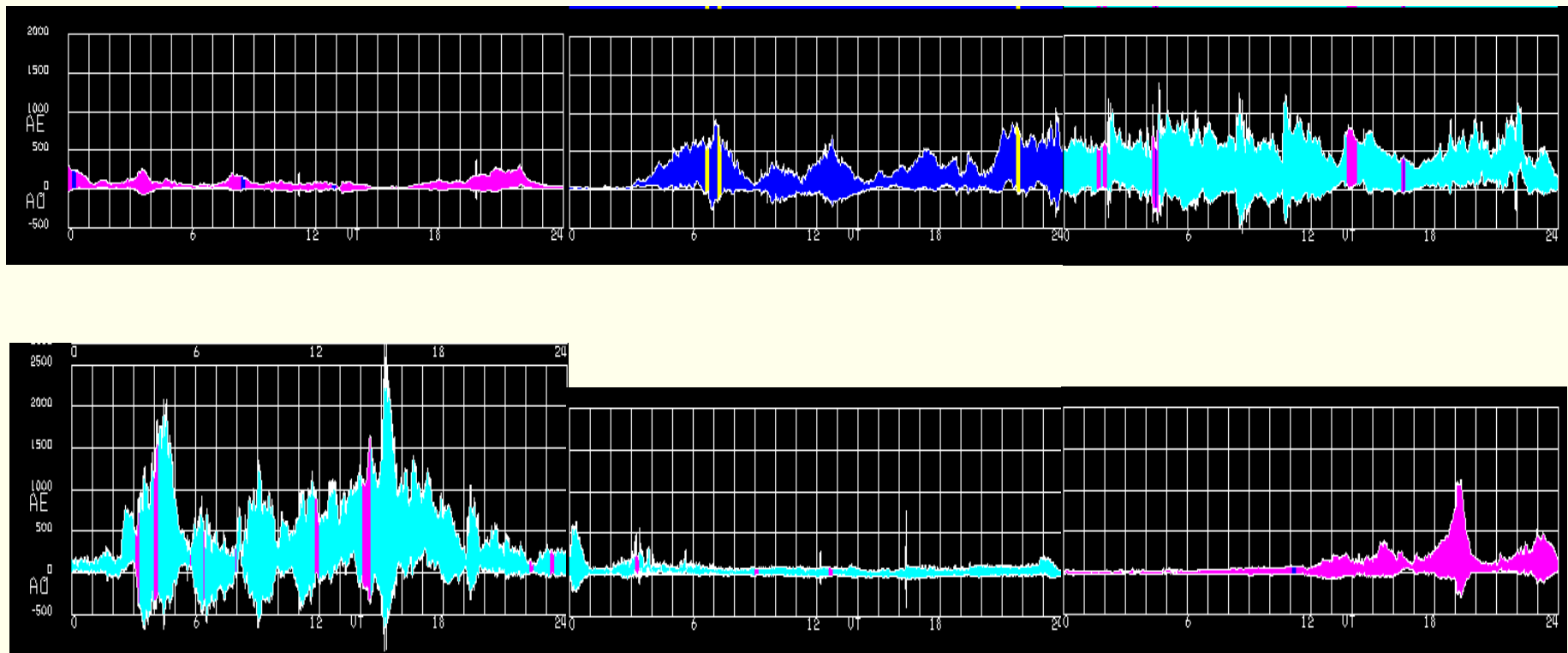
The AE index Measures the strength of the substorm current wedge (SCW), by using the information from several magnetic observatories.



~1 – 3 h

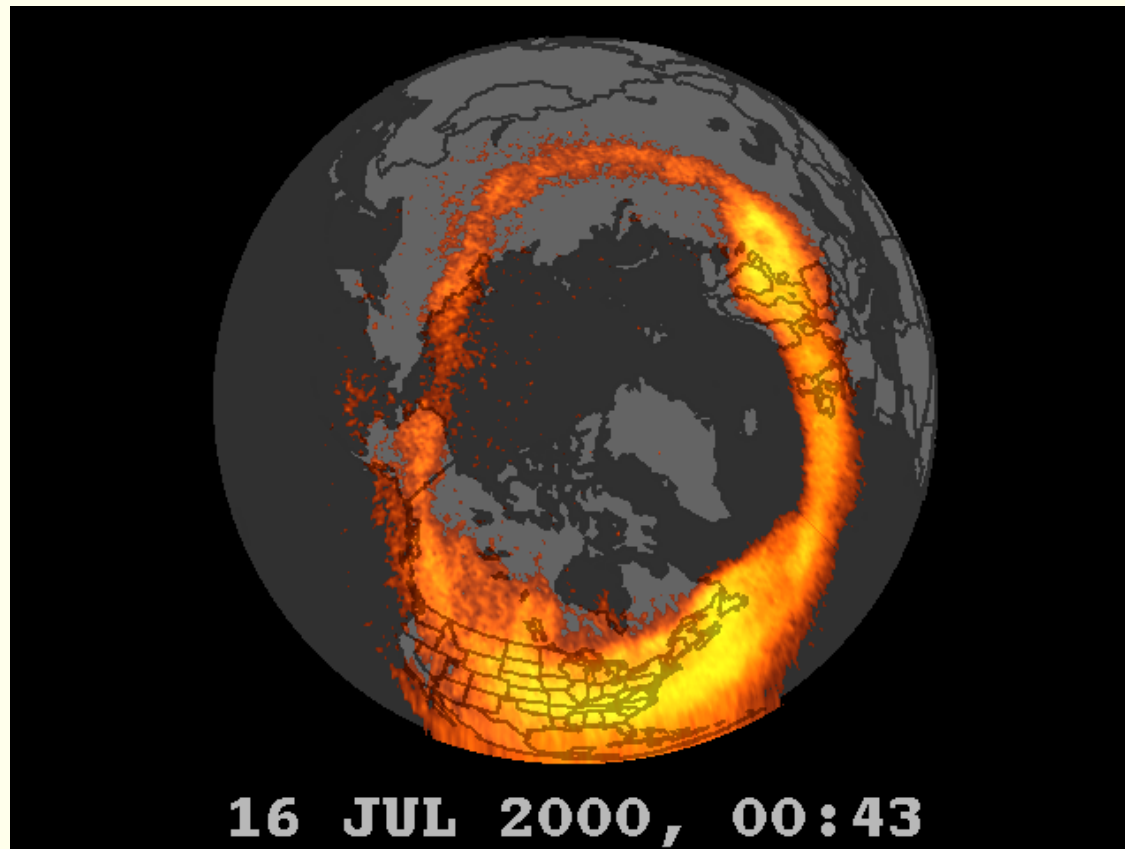
Geomagnetic storms

Geomagnetic storms are extended periods with southward interplanetary magnetic field (IMF) and a large energy input into the magnetosphere.

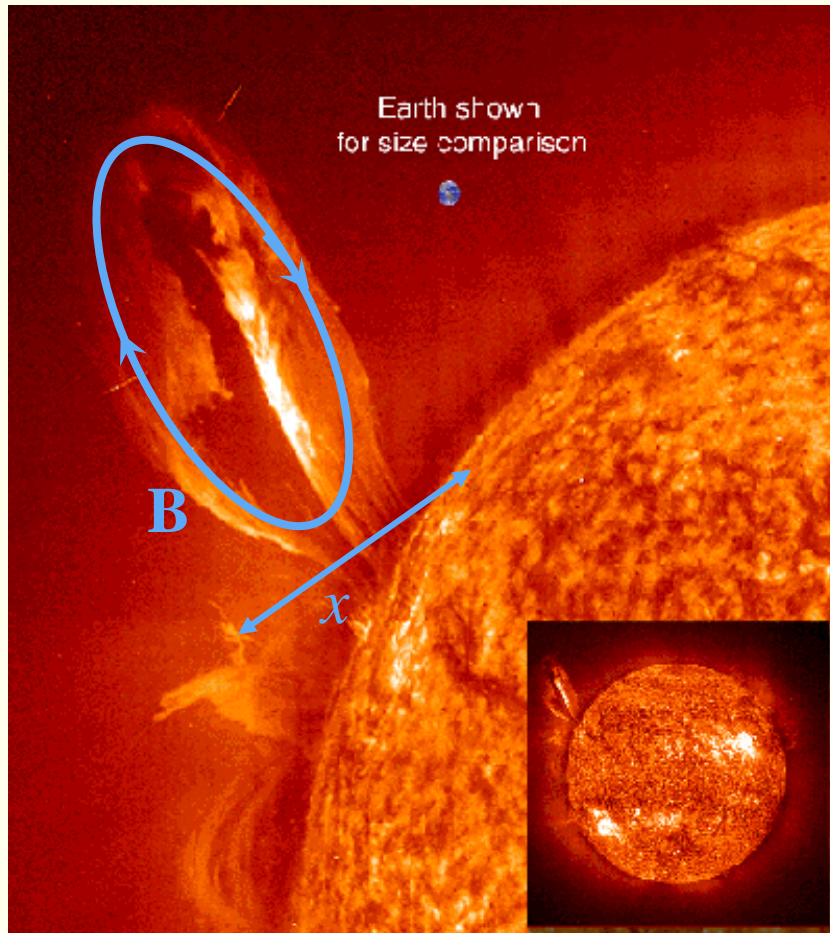


Geomagnetic storms

Auroral oval very extended

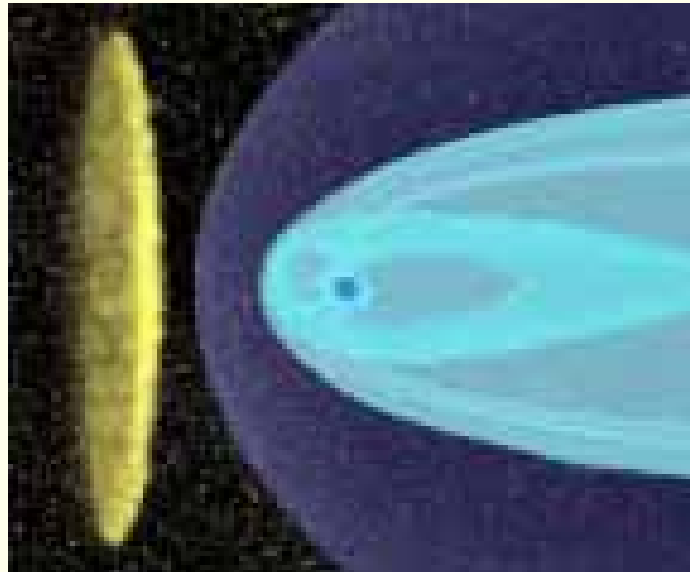


Geomagnetic storms and coronal mass ejections



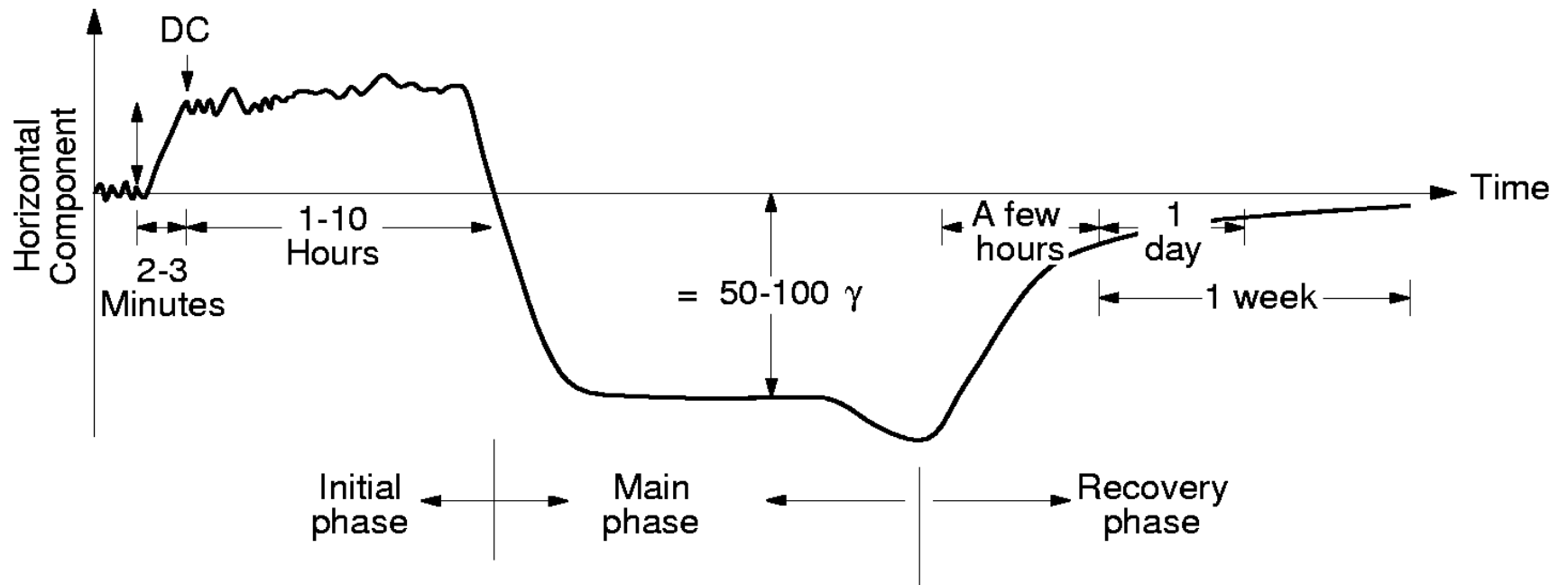
- Large geomagnetic storms are often associated with coronal mass ejections (CMEs)
- Because of their magnetic structure, they will give long periods with a constant IMF
- A typical time for a CME to pass Earth becomes $T = x/v \sim 10 R_E / 1000 \text{ km s}^{-1} \sim 60 \text{ h}$

What happens with the geomagnetic field when the CME hits the magnetosphere?

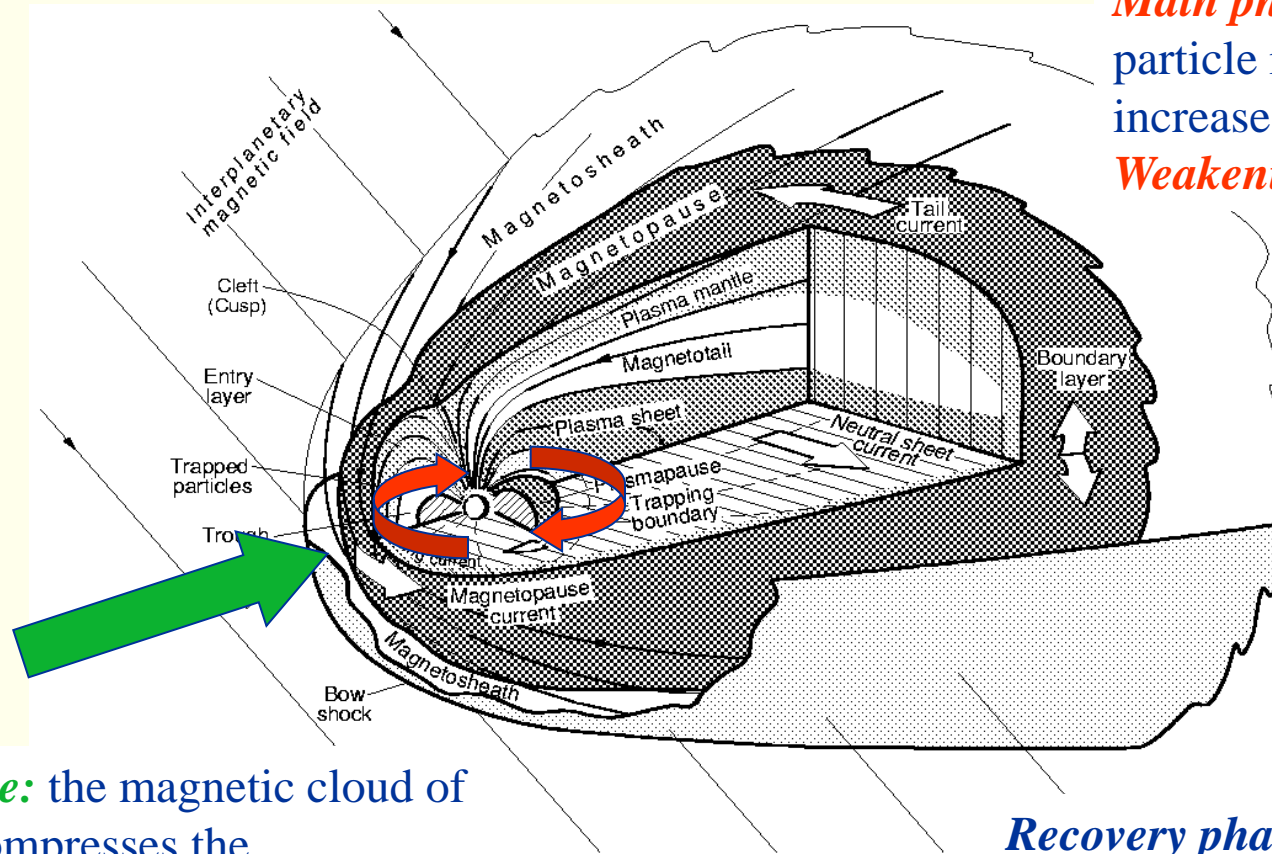


Geomagnetic storms - phases

Magnetogram



Geomagnetic storms - phases



Initial phase: the magnetic cloud of the CME compresses the geomagnetic field.

Increase of B

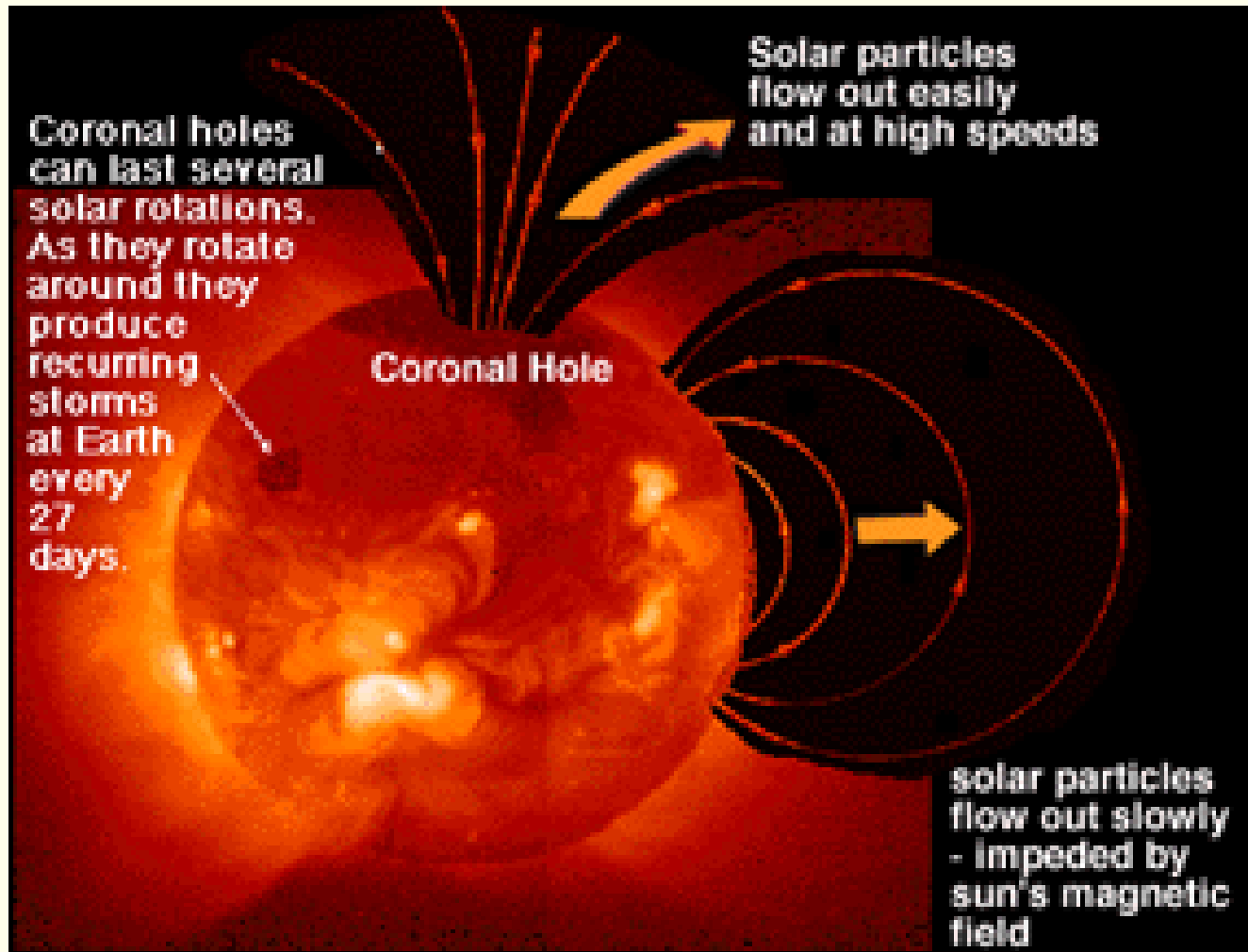
Main phase: Several particle injections increase the ring current.

Weakening of B

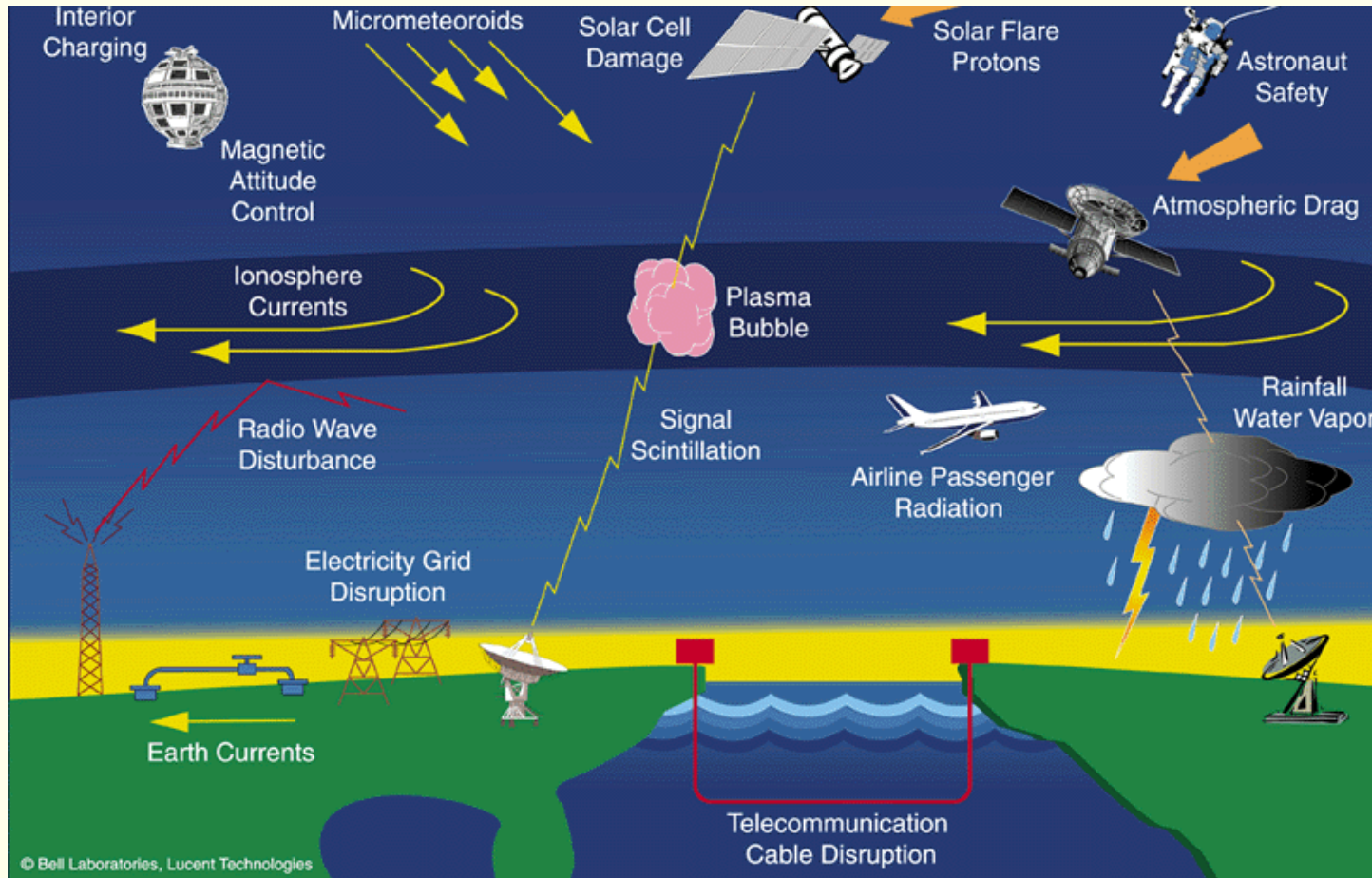
Recovery phase: ring current returns to normal strength.

Recovery of B

Periodic geomagnetic activity

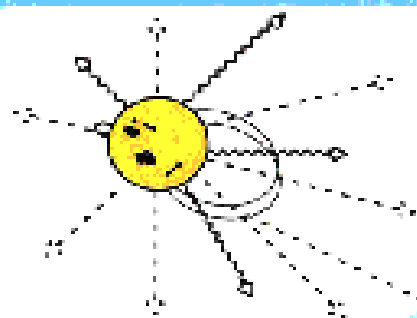


Space weather : consequences of solar and geomagnetic activity



"conditions on the Sun and in the solar wind, magnetosphere, ionosphere and thermosphere that can influence the performance and reliability of space-borne and ground-based technological systems and can endanger human life or health."

US National Space Weather Programme



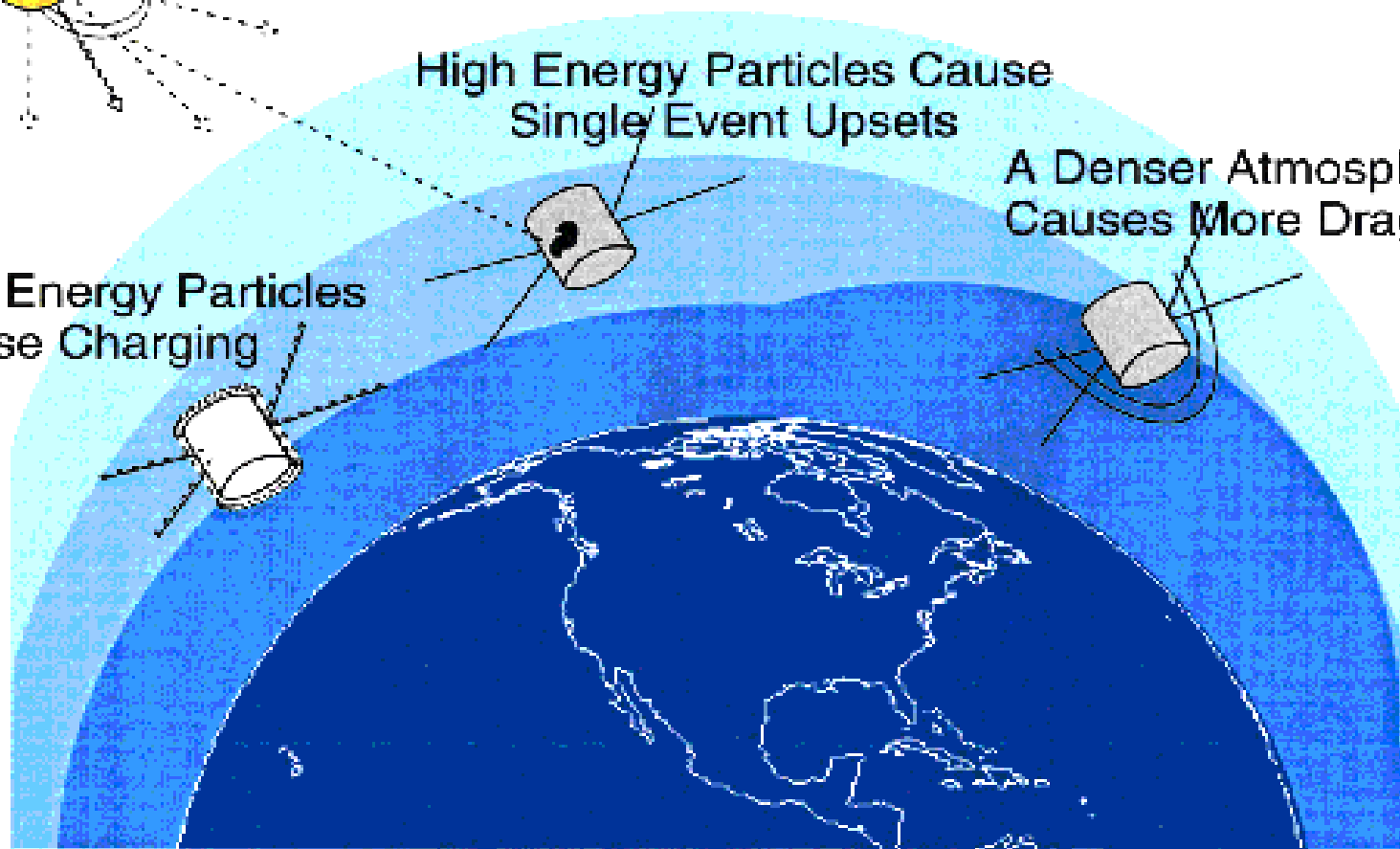
Effects on Satellites

Outages and Orbital Decay

Low Energy Particles
Cause Charging

High Energy Particles Cause
Single Event Upsets

A Denser Atmosphere
Causes More Drag



Space
Environment
Center

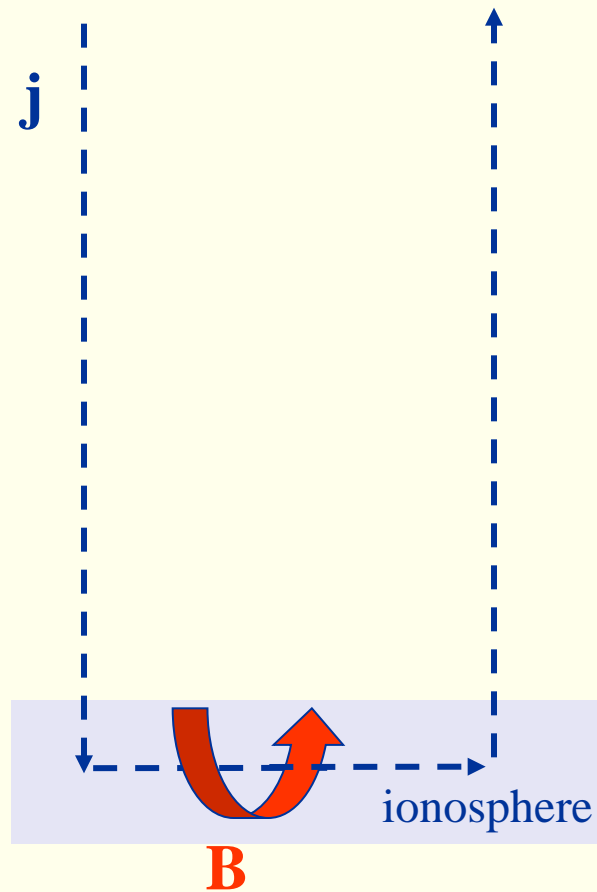
Damage To Solar Panels



Satellite power budgets can be very tight so degradation in solar panel performance is a serious issue.

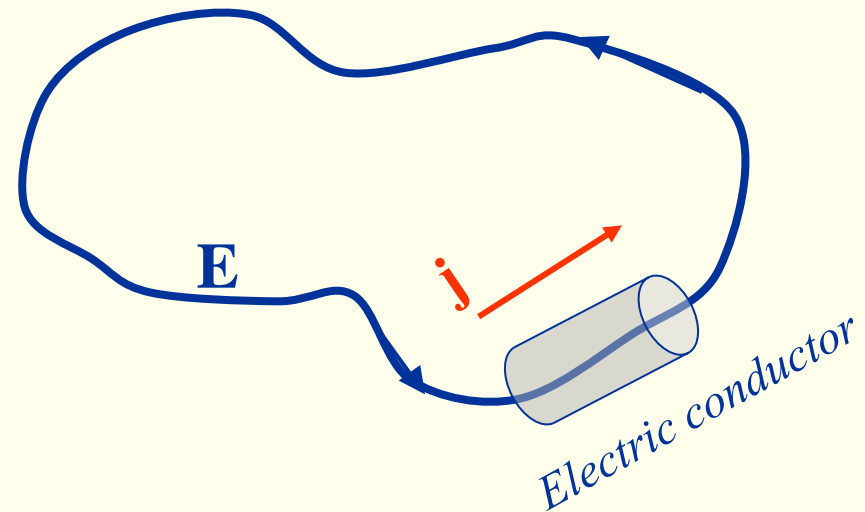
The damage is done by energetic particles which penetrate the surface of the panel and deposit a significant amount of energy inside the solar cells. This displaces the atoms within the cells and causes a loss in efficiency.

GIC – Geomagnetically Induced Currents



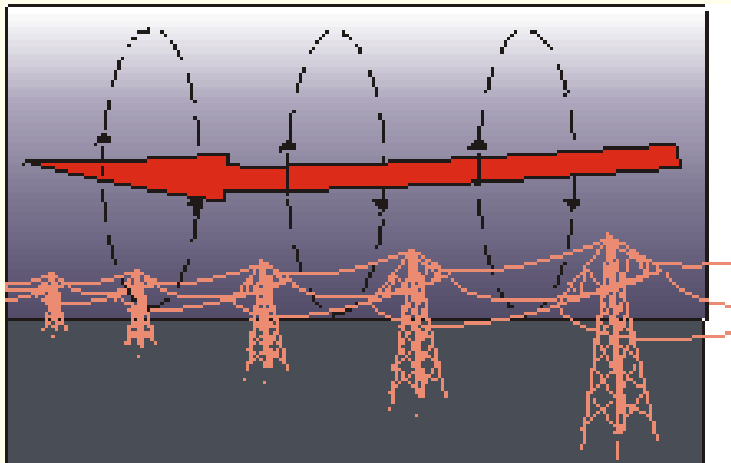
$$\frac{\partial B}{\partial t} = -\nabla \times \mathbf{E}$$

Faraday's law

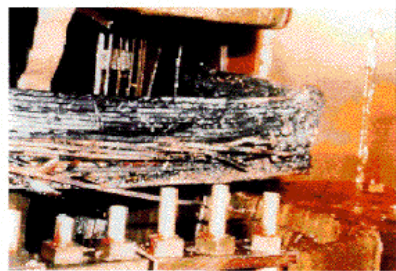


GIC – Geomagnetically Induced Currents

Can damage electric power grids



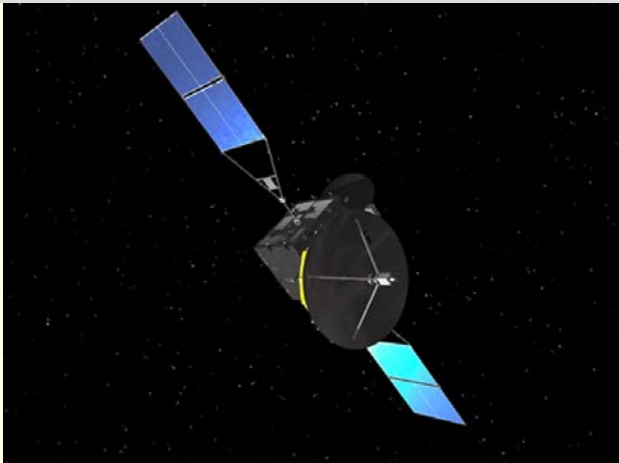
PJM Public Service
Step Up Transformer
Severe internal damage caused by
the space storm of 13 March, 1989.



Induced currents in pipelines increase corrosion.

Highly energetic particles

- Particles in the radiation belts.
- Particles from solar activity (solar flares, CME)
- Cosmic radiation



Disturb or damage electronics on satellites and aeroplanes.

Danger to astronauts



Increase the rate of ionization in lower D region and thus increases absorption of radio waves.





Space weather on the internet

www.spaceweather.com

www.swpc.noaa.gov/SWN (Space Weather Prediction Centre)



What is cosmic radiation?

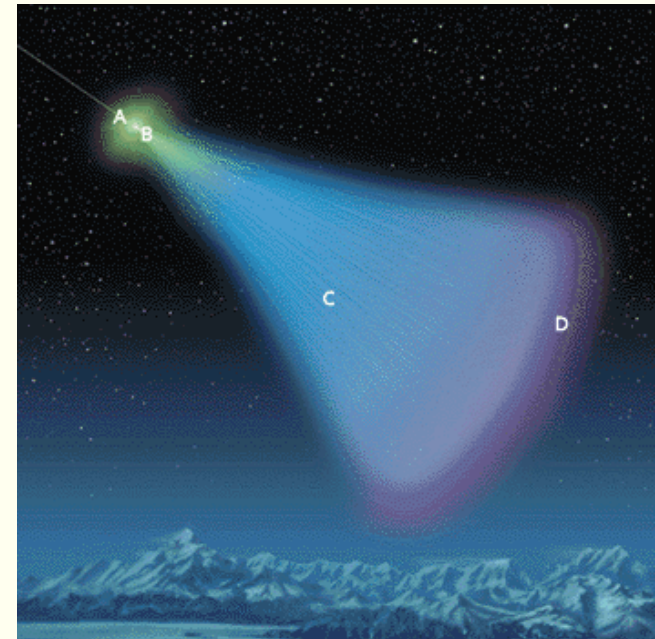
Cosmic rays (= cosmic radiation)

Primary cosmic radiation

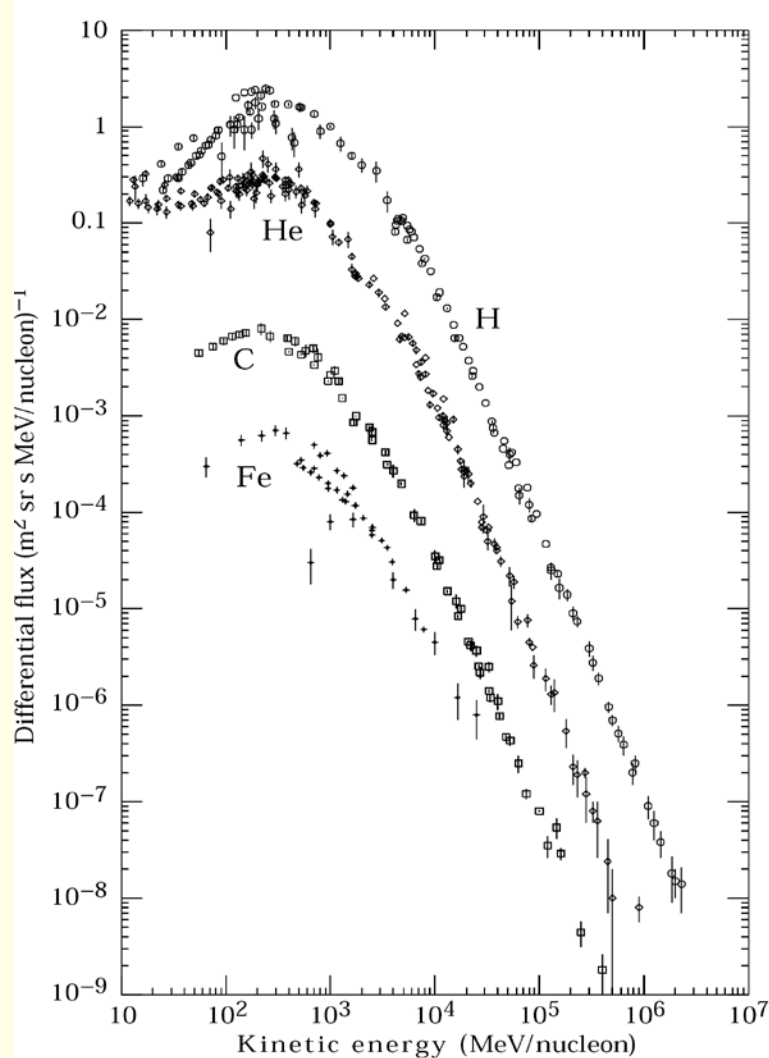
Extremely energetic particles
($>10^8$ eV)

- Galactic cosmic rays
- Solar 'cosmic rays' (Solar Energetic Particles)

Secondary cosmic radiation



Composition and spectrum of galactic cosmic radiation

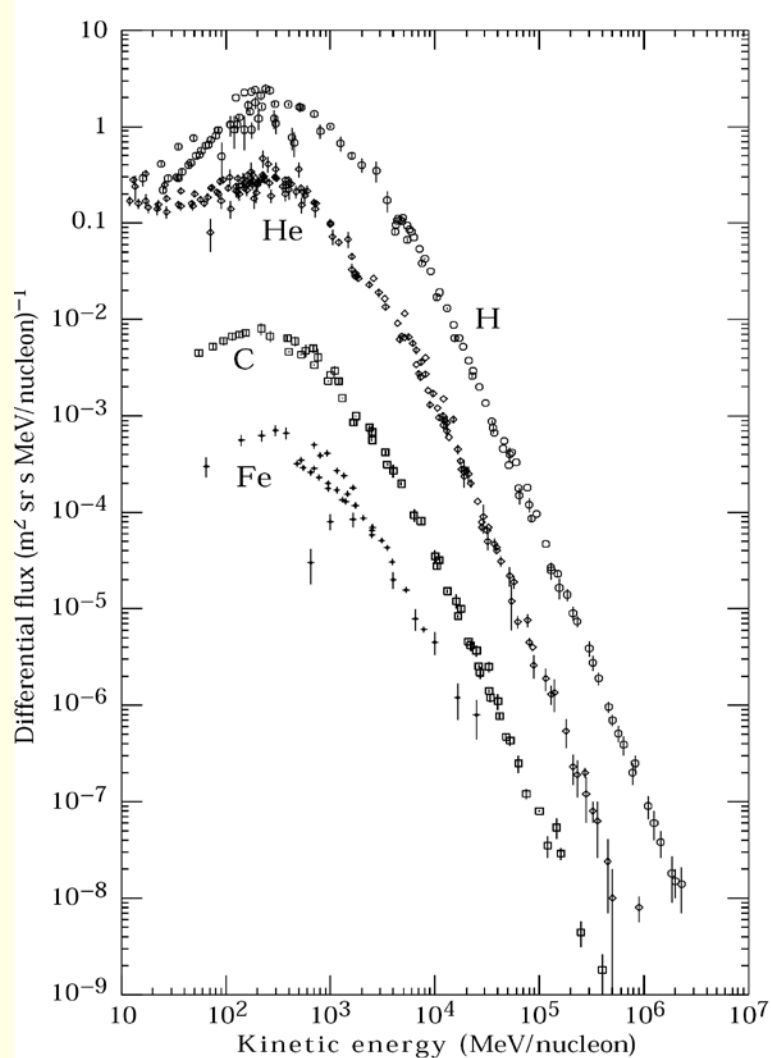


Simpson, 1983.

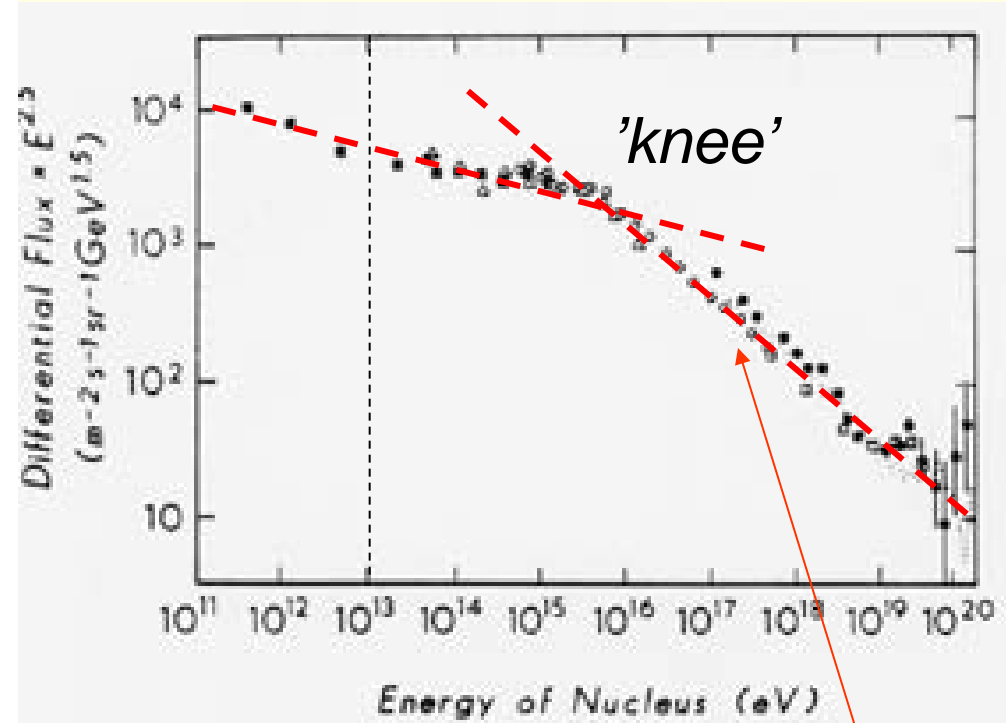
83 % protons
13 % alpha particles
3 % electrons
1 % other nuclei

All cosmic ray particles are fully ionized

Spectrum of galactic cosmic radiation

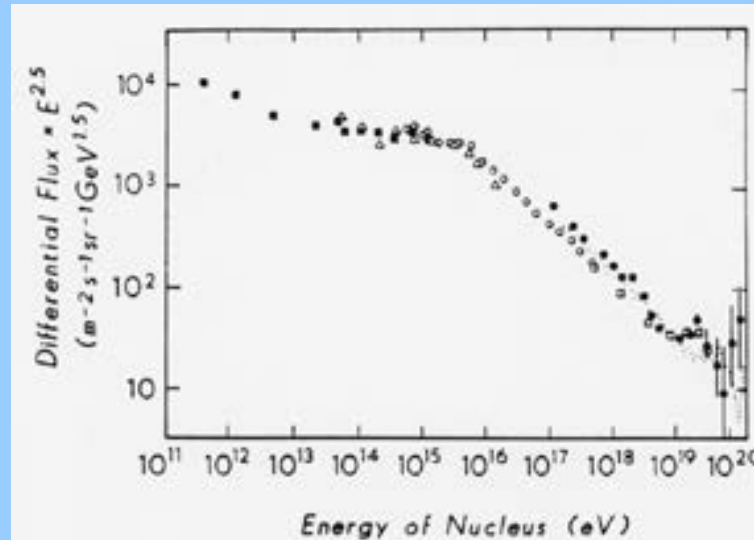


Simpson, 1983.



Ultra-energetic cosmic radiation.
Origin unknown. Extragalactic???

How much kinetic energy is there in a 10^{20} eV cosmic ray particle?



Blue

Energy of a mosquito
moving at 10 km/h

Yellow

Energy of a tennis ball
moving at 100 km/h

Red

Energy of a car
moving at 10 km/h

How much kinetic energy is there in a 10^{20} eV cosmic ray particle?

$$10^{20} \text{ eV} = 10^{20} \cdot 1.6 \cdot 10^{-19} \text{ J} = 16 \text{ J}$$

A mosquito weighs about 5 mg. 10 km/h \approx 2.8 m/s
 \Rightarrow

$$\frac{mv^2}{2} = \frac{5 \cdot 10^{-6} \cdot (10/3.6)^2}{2}$$
$$= 2 \cdot 10^{-5} \text{ J}$$

A tennis ball weighs about 50 g. 100 km/h \approx 28 m/s
 \Rightarrow

$$\frac{mv^2}{2} = \frac{0.05 \cdot (100/3.6)^2}{2}$$
$$= 19 \text{ J}$$

A car weighs about 1 ton. 10 km/h \approx 3 m/s \Rightarrow

$$\frac{mv^2}{2} = \frac{1000 \cdot (10/3.6)^2}{2}$$
$$= 39 \text{ kJ}$$

Yellow

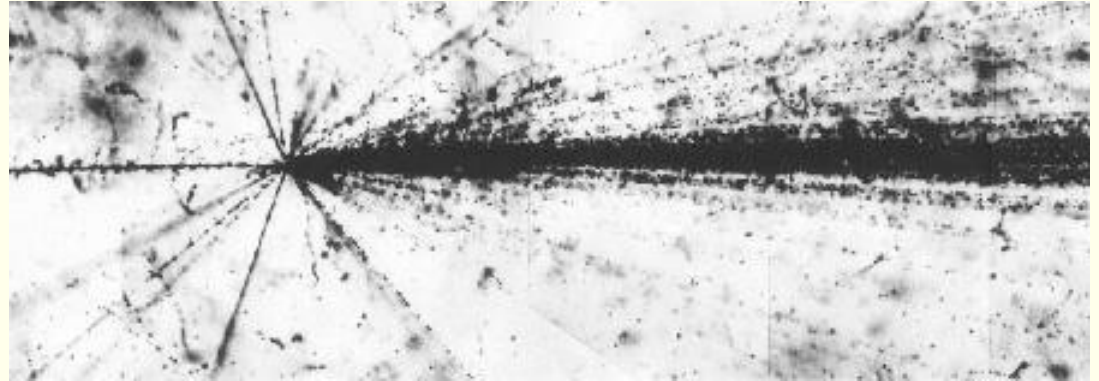
Tennis ball moving at 100 km/h

Cosmic radiation

Primary cosmic radiation

Extremely energetic particles ($>10^8$ eV) which originate outside of the solar system.

83 % protons
13 % alpha particles
3 % electrons
1 % other nuclei



Secondary cosmic radiation

- Starts at about 55 km altitude.
- Created by collisions between primary cosmic radiation and the atmosphere.
- Maximum (“*Pfotzer maximum*”) at approx. 20 km altitude.
- Contains mostly protons, neutrons and mesons

Pfotzer maximum

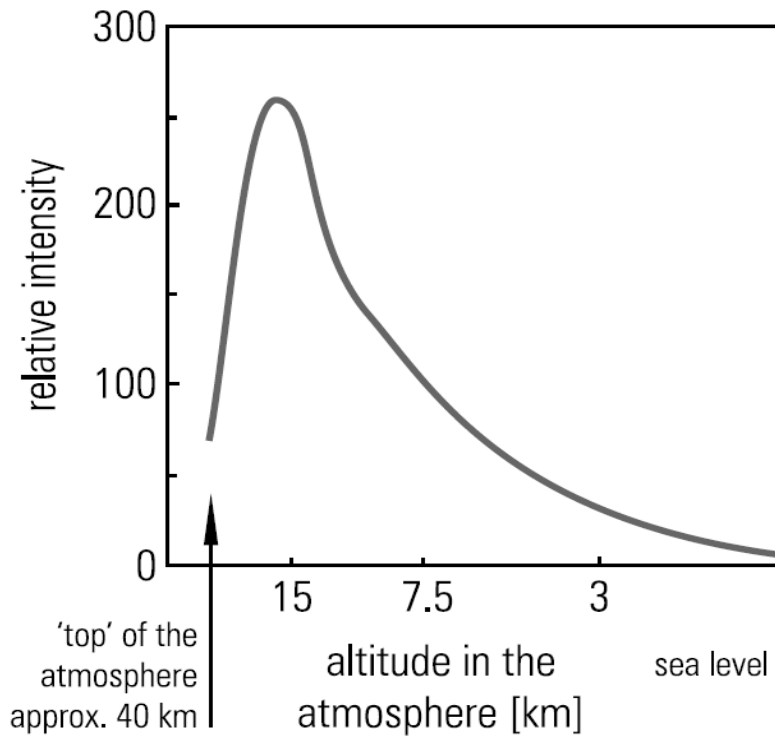
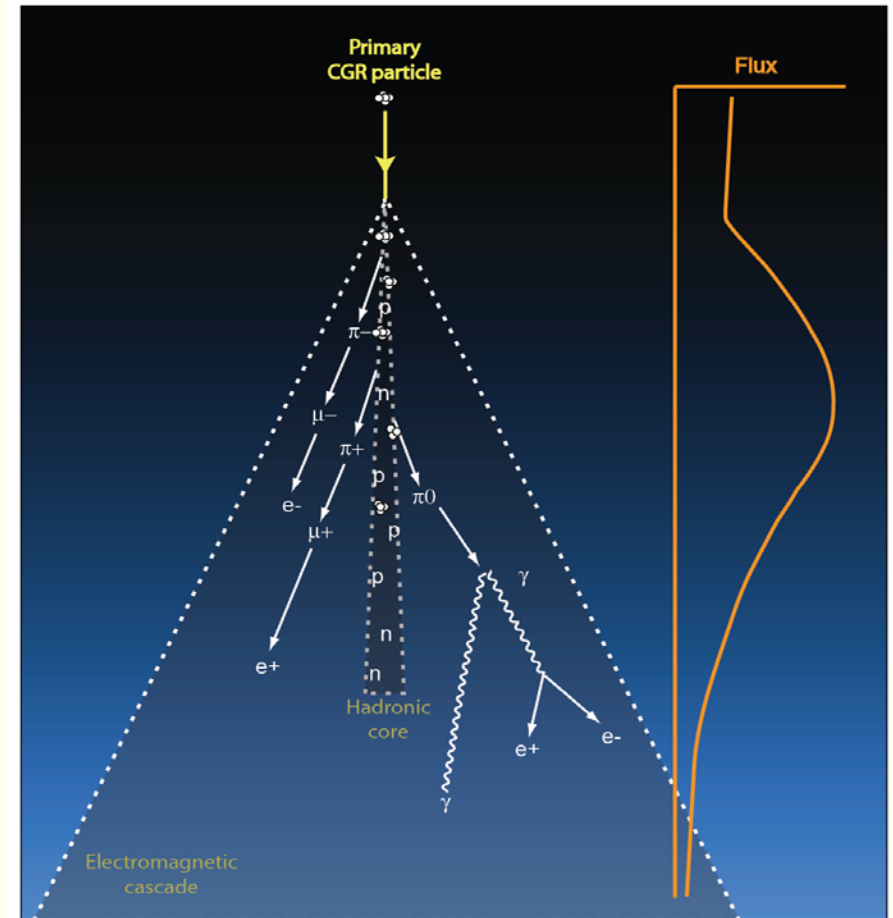


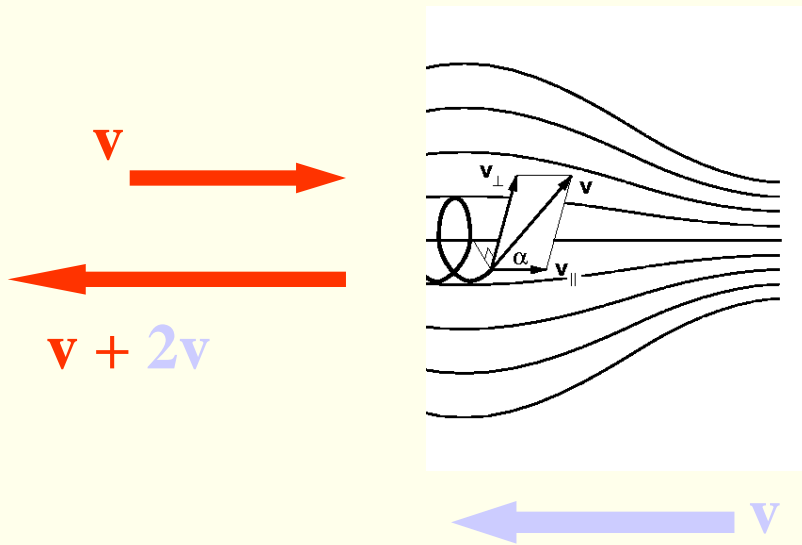
Fig. 1.12

Intensity profile of cosmic particles in the atmosphere

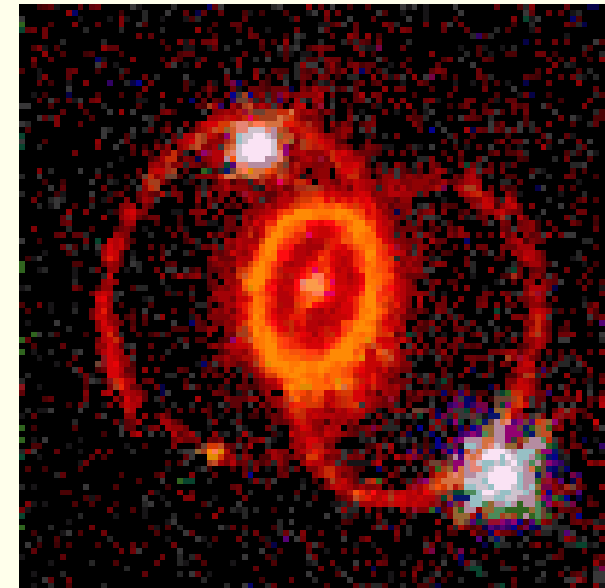


Origin of galactic cosmic radiation

Two main theories



Fermi acceleration
by two magnetic
mirrors in motion



Shock waves from
supernova explosion

Solar Energetic Particles (SEP)

- Associated with solar flares or coronal mass ejections
- Energies of tens of keV to GeV

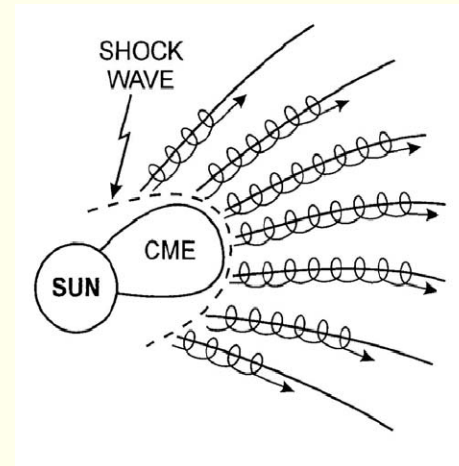
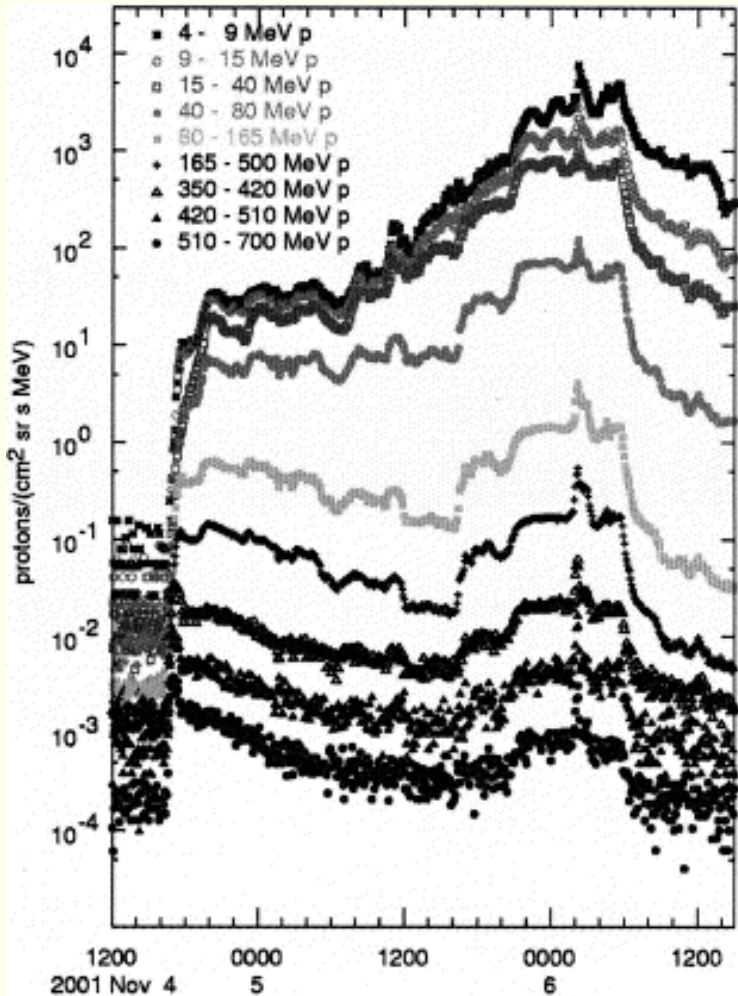


Figure 22: Time profiles of the strong SEP proton flux event of November 4, The peak at the time of shock passage is clearly defined early on November 6, even at proton energies as high as 510 – 700 MeV. From Reames (2004).

Neutron albedo

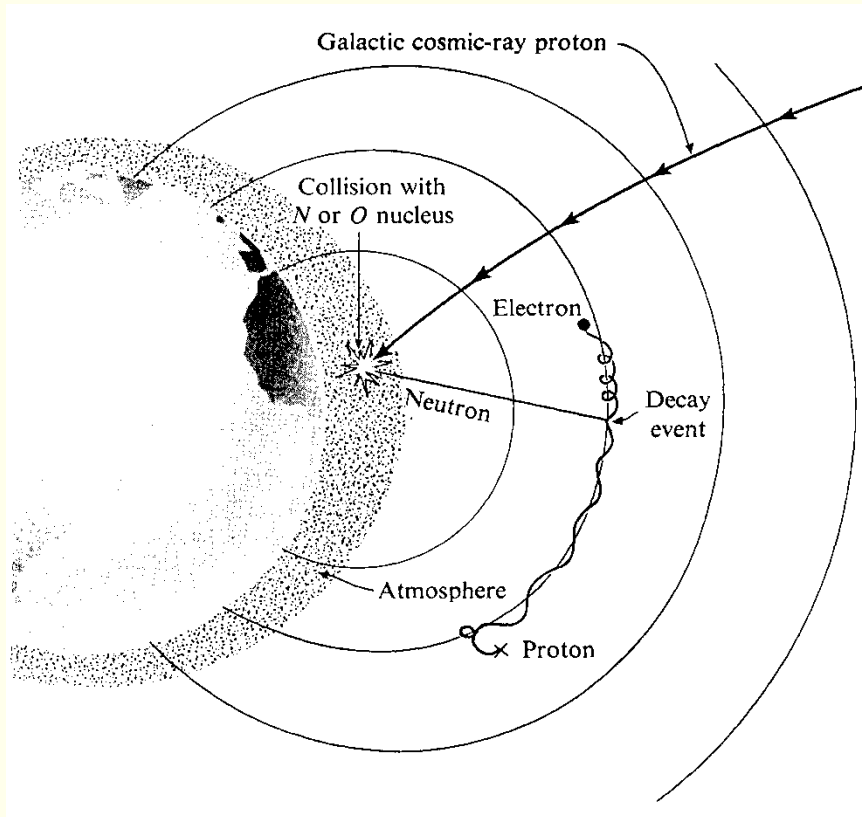


Figure 8. An illustration of the CRAND process for populating the inner radiation belts [Hess, 1968].

Among these are neutrons, that are not affected by the magnetic field. They decay, soon after they happen to be in the radiation belts. The resulting protons and electrons are trapped in the radiation belts.

This contribution to the radiation belts are called the **neutron albedo**.

Relativistic dynamics

Relativistic momentum

$$\mathbf{p} = \frac{m\mathbf{v}}{\sqrt{1 - \frac{v^2}{c^2}}} = \gamma m\mathbf{v}$$

$$\gamma \equiv \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}}$$

Relativistic energy

$$E = \frac{mc^2}{\sqrt{1 - \frac{v^2}{c^2}}} = \gamma mc^2$$

Relation between energy and momentum

$$E^2 = p^2 c^2 + m^2 c^4$$

Relativistic dynamics

Rest energy

$$E = mc^2$$

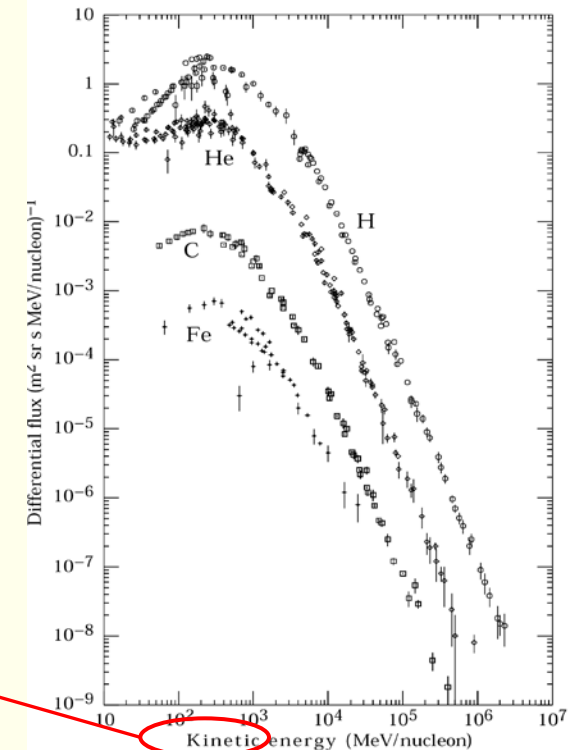
Kinetic energy

$$E_{kin} = E - mc^2 = mc^2 (\gamma - 1)$$

Rest energy of electron: 512 keV ~ 0.5 MeV

Rest energy of proton: 939 MeV ~ 1 GeV

!!!



24.1: Major components of the primary cosmic radiation (from Ref. 1).

Relativistic gyro radius

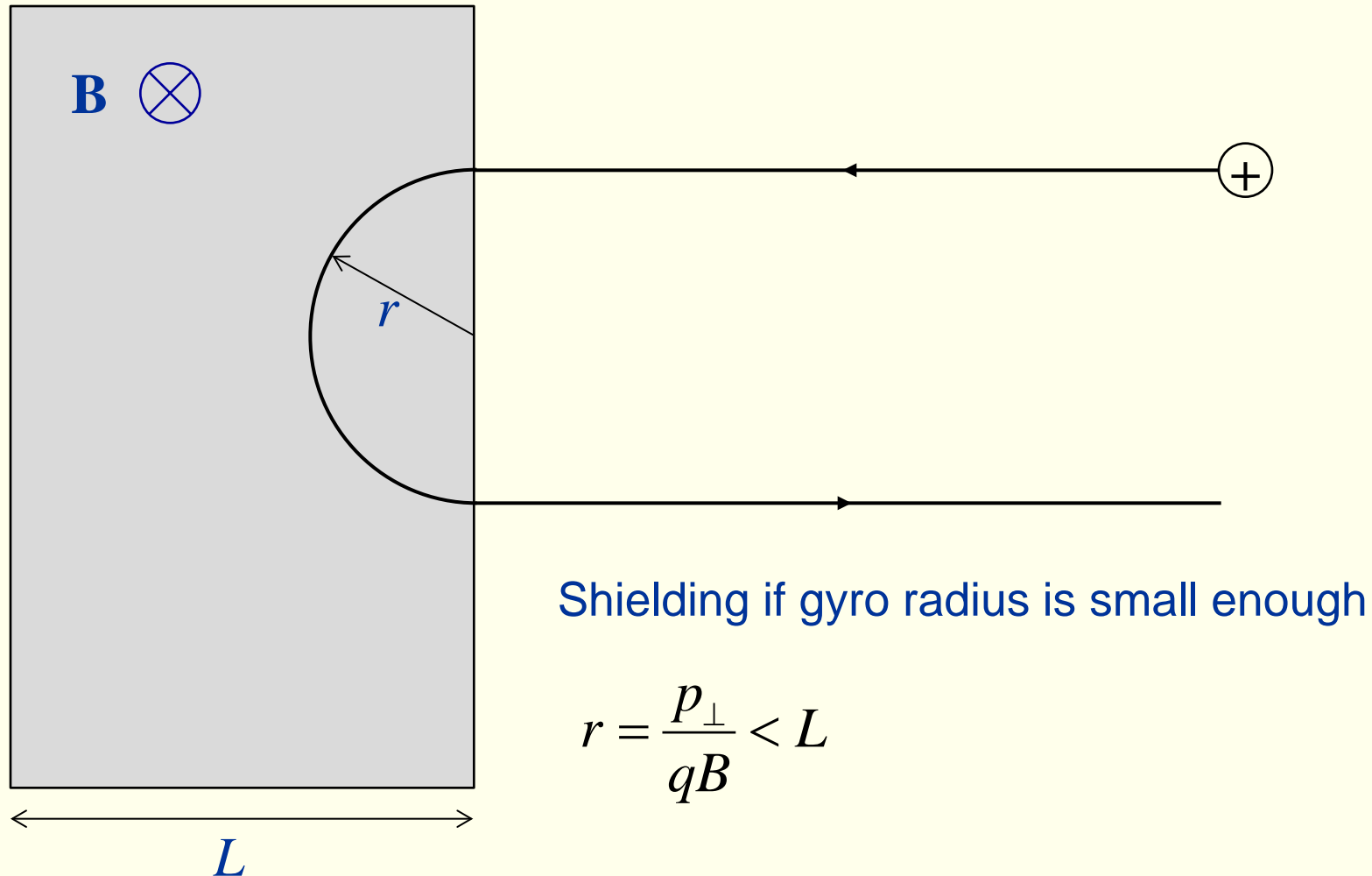
Non-relativistic
gyro radius

$$r_L = \frac{mv_{\perp}}{qB} = \frac{p_{\perp}}{qB}$$

Relativistic
gyro radius

$$r_L = \frac{p_{rel,\perp}}{qB} = \gamma \frac{mv_{\perp}}{qB}$$

Magnetic shielding

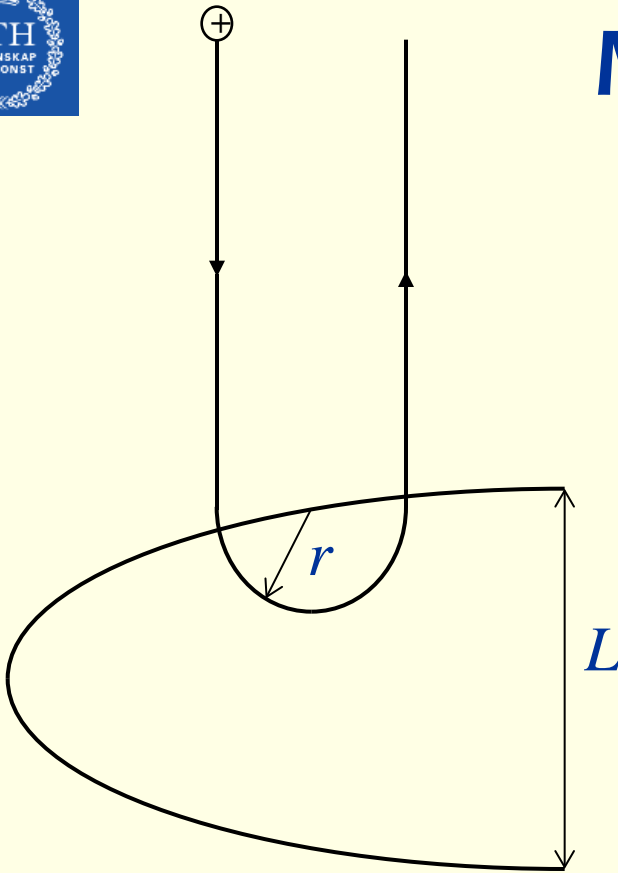


Magnetic shielding of magnetosphere

Shielding if

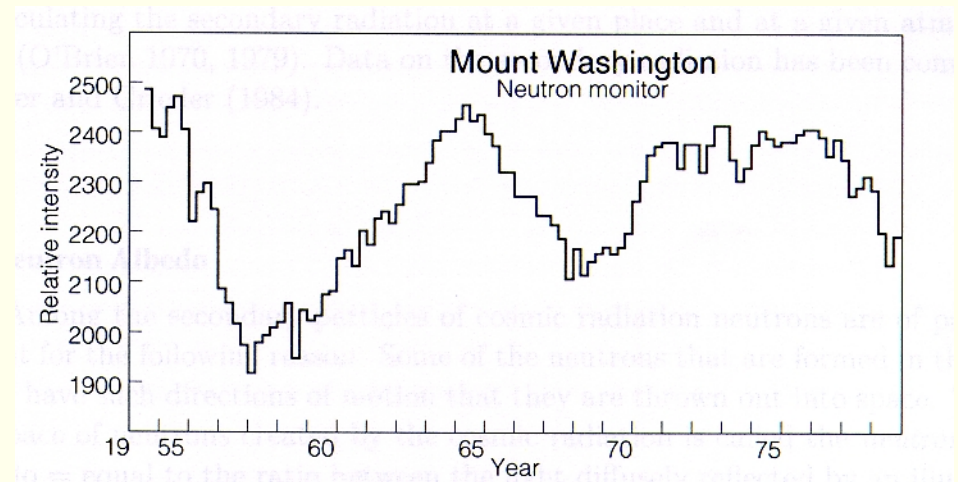
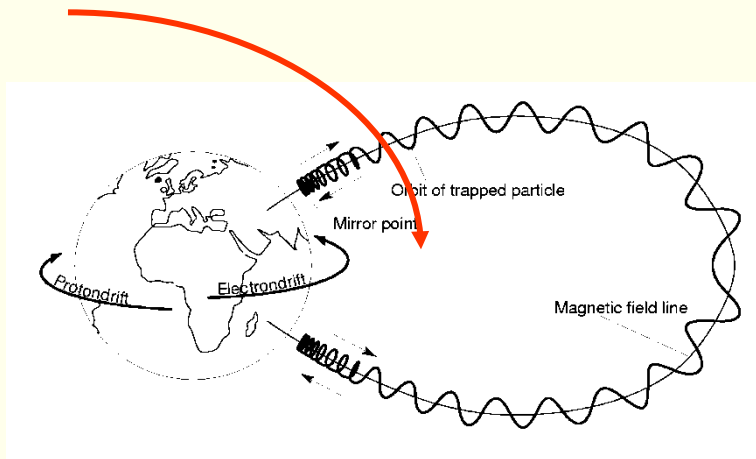
$$r = \frac{p_{\perp}}{qB} < L$$

What will be the maximum energy of cosmic ray particles that will be shielded?



Effect of magnetic field

- Cosmic radiation is affected by magnetic field, as all the smaller the gyro radius, the more difficult it is for the particle to reach Earth.

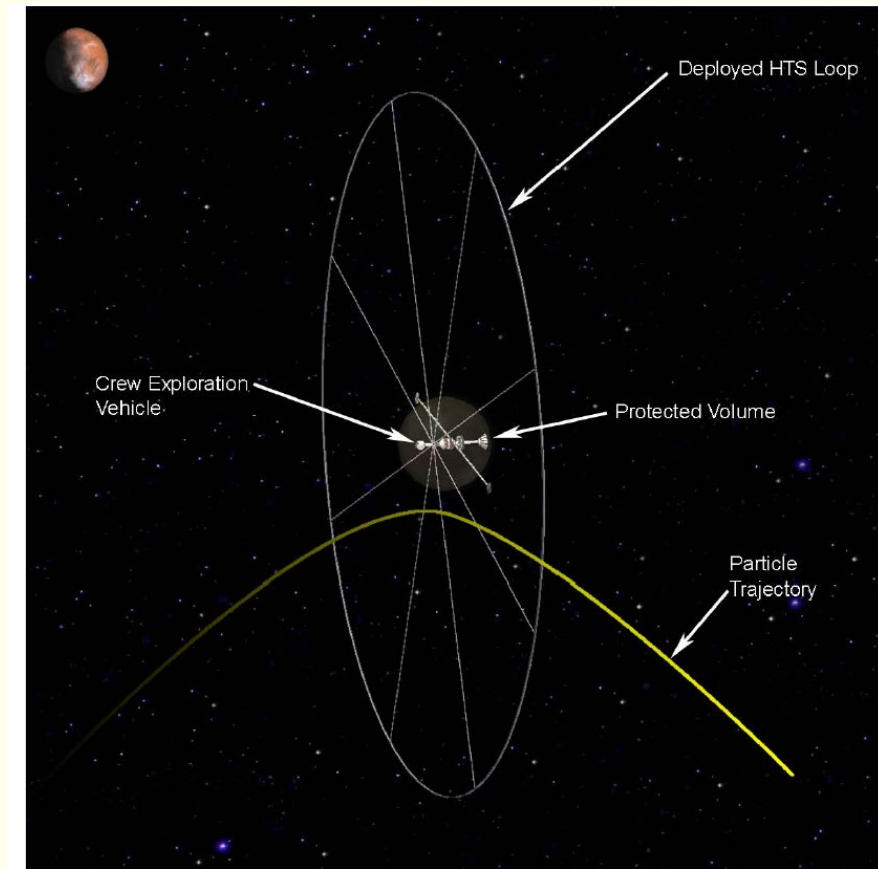


- Gyro radius is $r = p/(eZB)$.
Define rigidity:

$$P = pc/(eZ)$$

- Temporal variations:
 - 27 days (IMF, solar rotation)
 - 11 years (IMF, solar cycle)

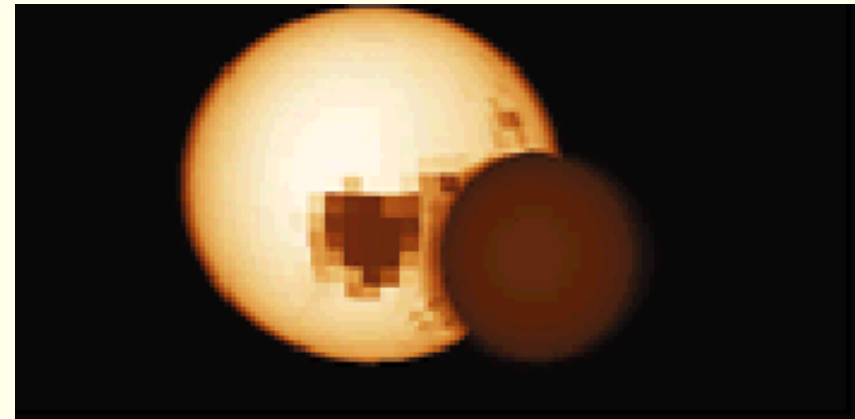
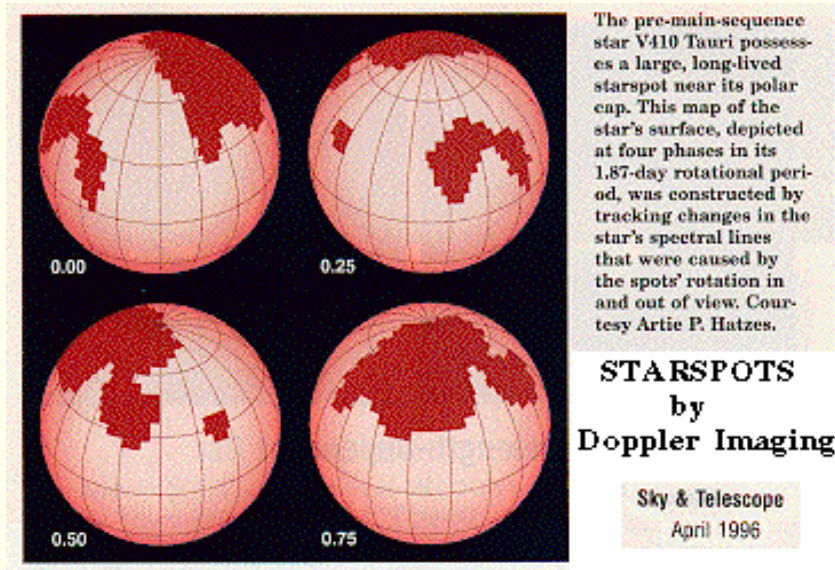
Artificial magnetic shielding of spacecraft





Plasma outside of the solar system

Starspots



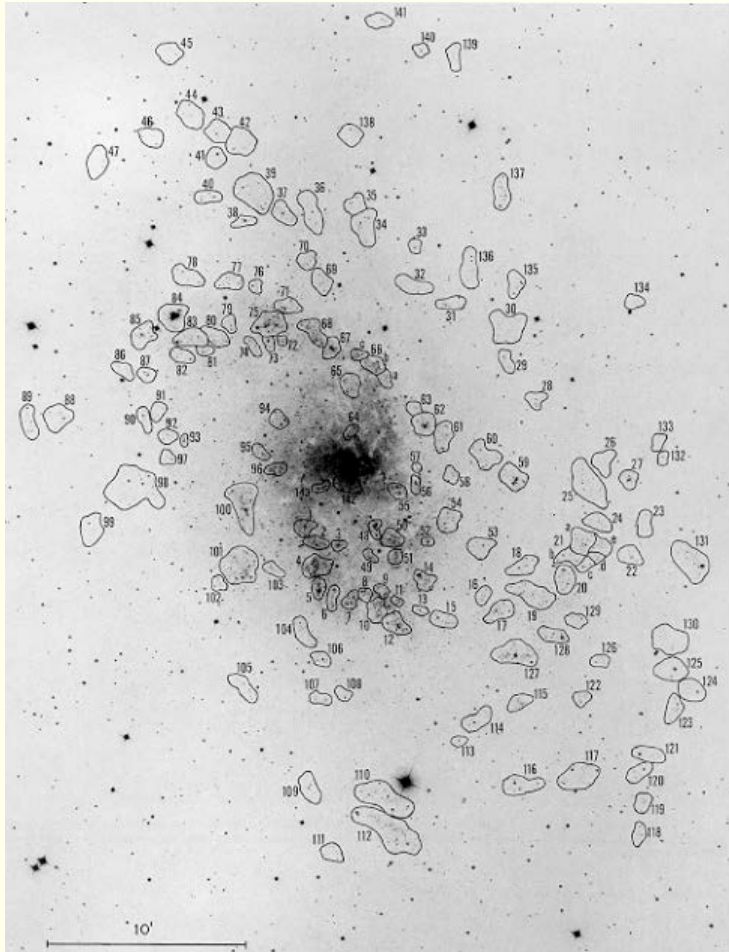
Eclipse mapping, XY Ursae Majoris

Stellar winds

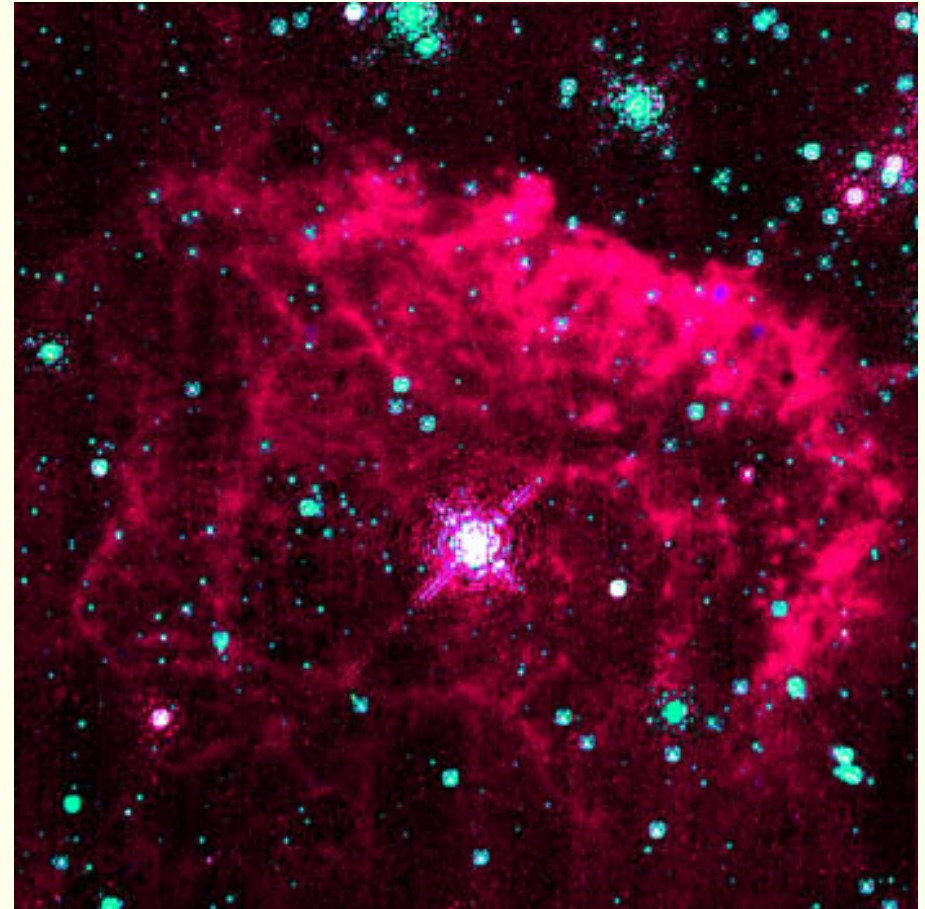
Star	Type	Mass (M_{\odot})	M-dot (M_{\odot}/yr)	v_{∞} (km/s)
α Sco (Antares)	M1.5 Iab-Ib	15	1×10^{-6}	17
Sun	G2V	1	1×10^{-14}	200 – 700
ζ Pup (Naos)	O4I(n)f	59	2.7×10^{-6} 2.4×10^{-6}	– 2,200
P Cyg	"B0Ia" (LBV)	30-60	1.5×10^{-5}	210
WR1	WN5 (W-R)		6×10^{-5}	2,000

~20 % of the mass during the star's life time

Stellar winds



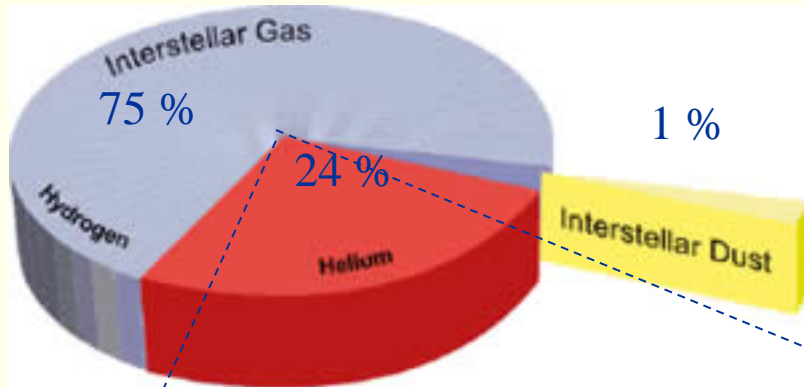
Doppler measurements of stellar winds



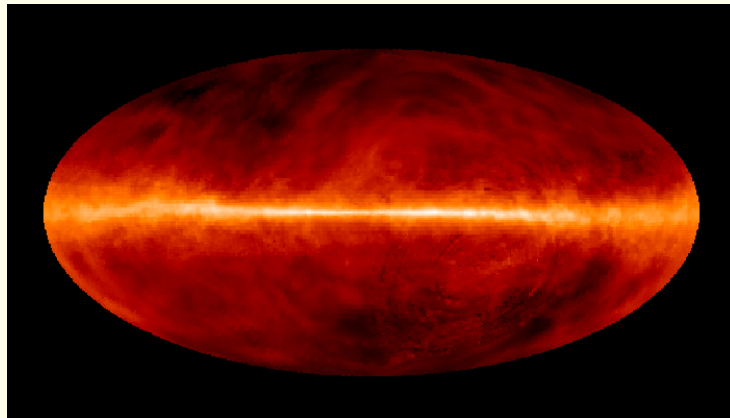
Pistol nebula – probably created by massive outflow of stellar plasma

Interstellar plasma

Interstellar matter (10 % of Milky Way mass)



H I regions (neutral hydrogen)



H II regions
(emission nebulae)

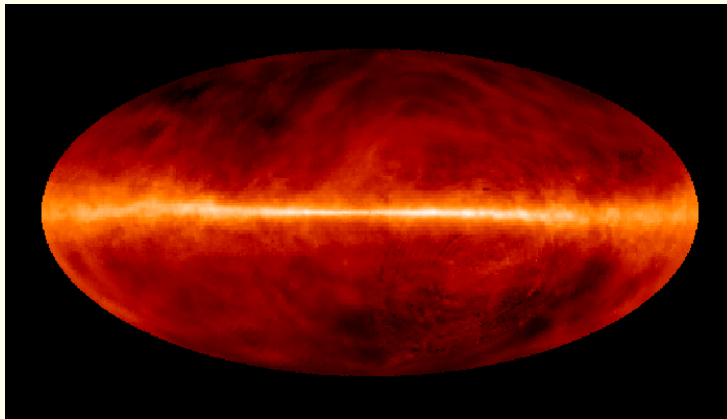


Horsehead nebula

Trifid nebula

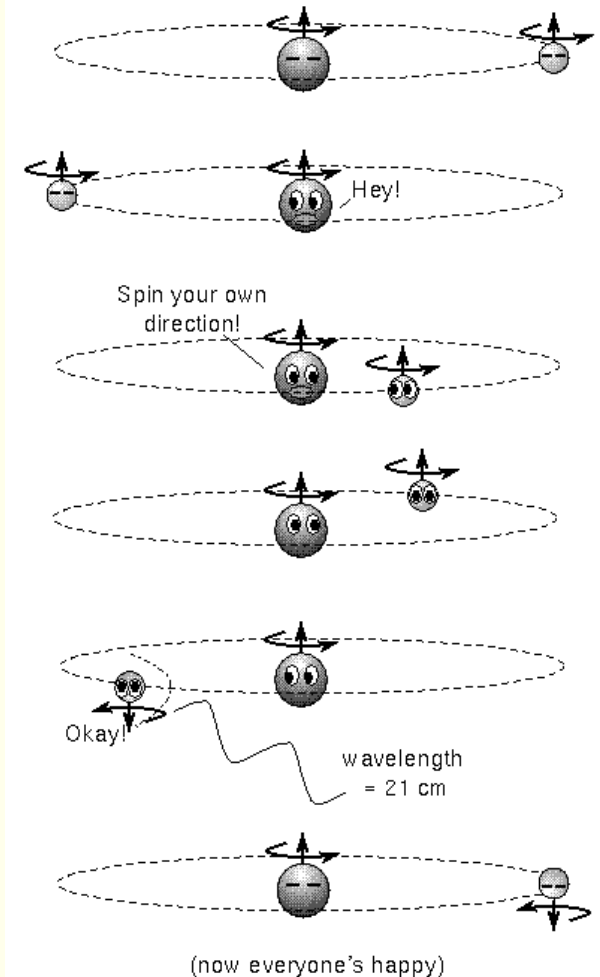
H I regions

- *Not reached by UV radiation from stars*
- *Either diffuse or concentrated as **interstellar clouds***
- *Mostly contains unionized hydrogen, but also some ionized Ca*
- *Density of diffuse part is $0.1 - 50 \text{ cm}^{-3}$*
- *Ionization degree $\sim 0.01 \%$*
- *$T \sim 50 - 100 \text{ K}$*
- *$B \sim 0.1 \text{ nT}$*



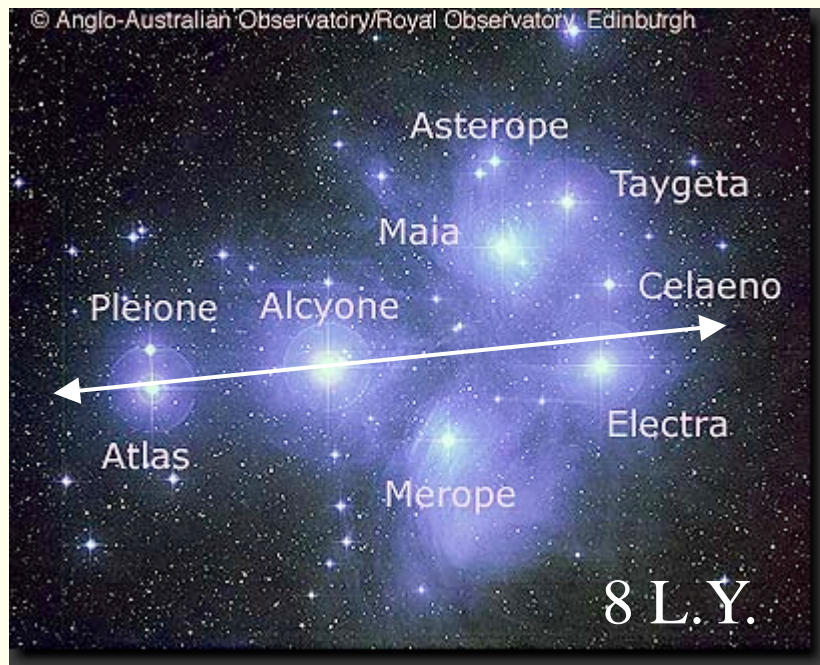
Distribution of interstellar H I gas in the Northern sky, observed at the 21 cm radio spectral line.

Neutral atomic Hydrogen creates 21 cm radiation



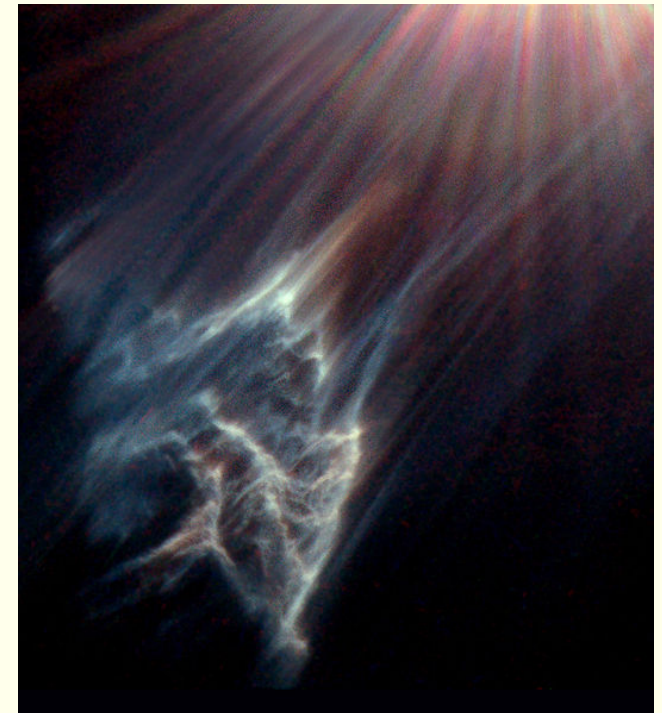
H1 regions are reservoirs of material for star formation

Stars are formed by gravitational collaps of interstellar clouds



Pleiades cluster

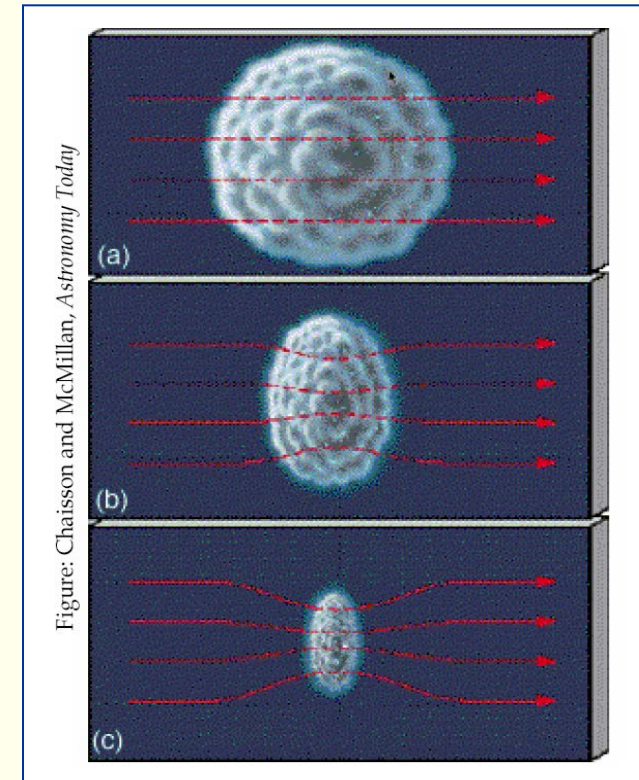
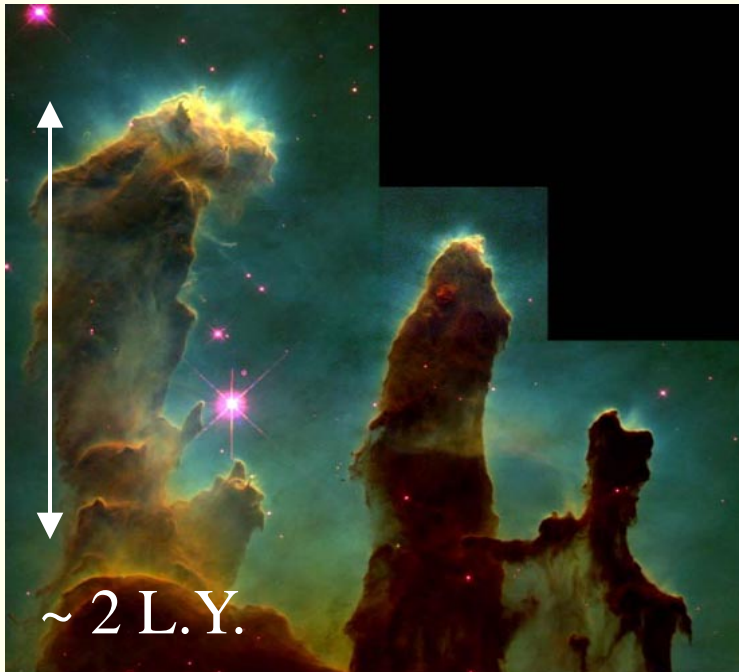
Closeup of region close to Merope



The emissions are caused by reflection by the dust particle component of the clouds.

H I regions are reservoirs of material for star formation

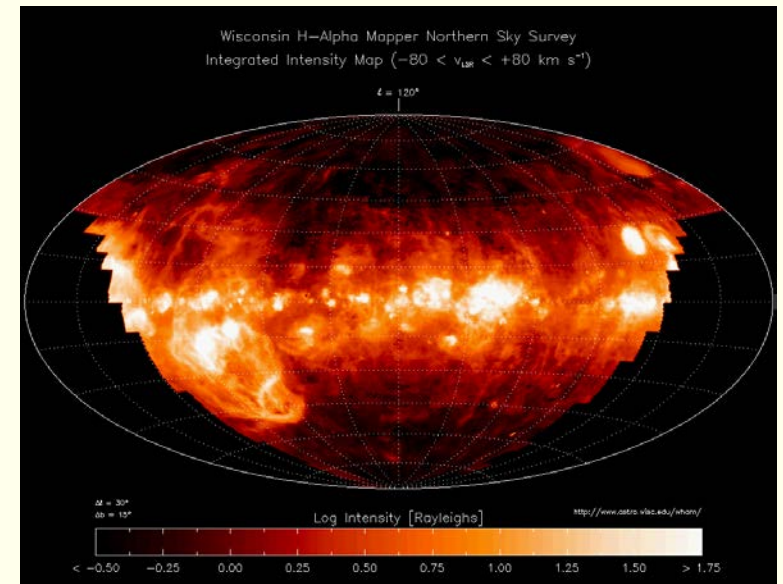
The interstellar medium is turbulent, and localized density enhancements (clouds) are often created. These may contain molecular Hydrogen and dust.



The small ionized part of the cloud can collapse more easily along B than across it, because of the gyro motion, creating a pancake form. Centrifugal forces may also be important.

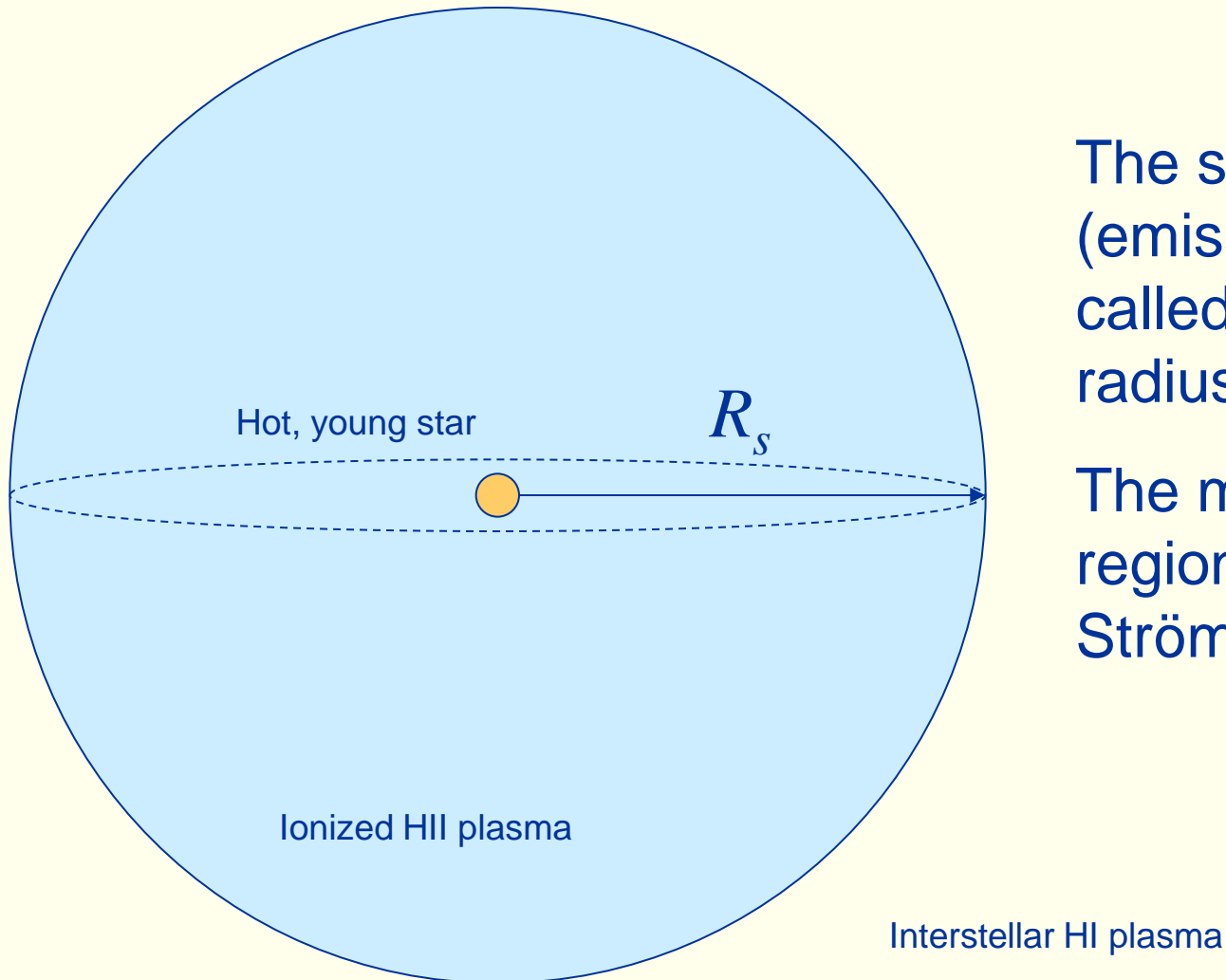
Interstellar plasma — HII regions

- Reached by UV radiation by young hot stars.
- Mostly contains ionized hydrogen
- Approx. same density as HI regions.
- Ionization degree $\sim 100\%$
- $T \sim 10\,000\text{ K}$
- $B \sim 1\text{ nT}$



Distribution of interstellar HII gas in the Northern sky

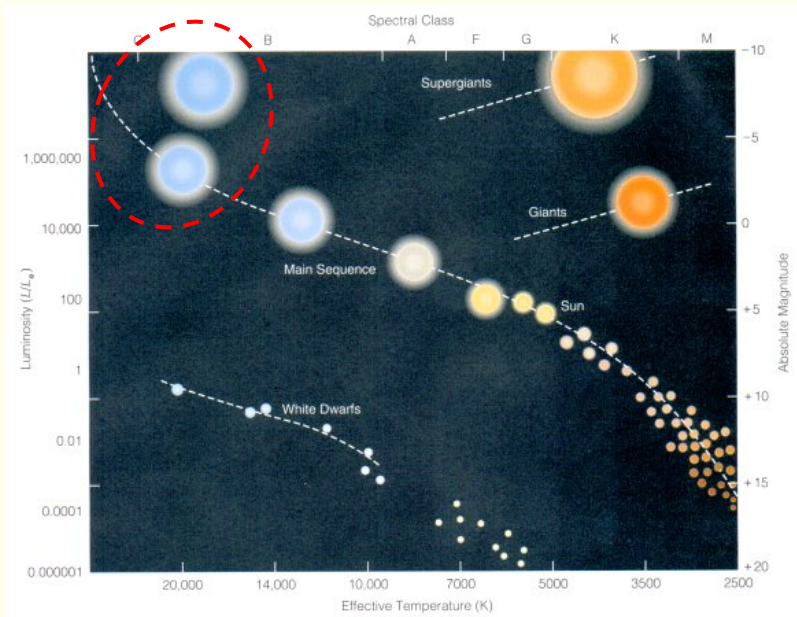
Strömgren sphere



The size of the HII region (emission nebula) is called the Strömgren radius, R_s .

The modelled, spherical region is called a Strömgren sphere.

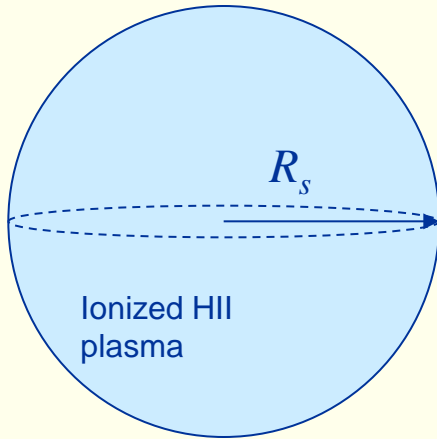
Strömgren sphere



Hertzsprung-Russell diagram

- A hot star ($> 30\,000\text{ K}$) emits significant numbers of photons with energy $> 13.6\text{ eV}$ (ionization energy for H I) $\leftrightarrow \lambda < 912\text{ \AA} = \text{EUV radiation}$
- The star emits N_{UV} photons/s
- Interstellar plasma originally contains n_0 H I atoms
- The absorption cross section of H I is very high, so EUV radiation is quickly absorbed and we can assume 100 % ionization ratio.

Strömgren radius



- The recombination rate inside the Strömgren radius is

$$r = \alpha_H n_e n_p = \alpha_H n_e^2 = \alpha_H n_H^2$$

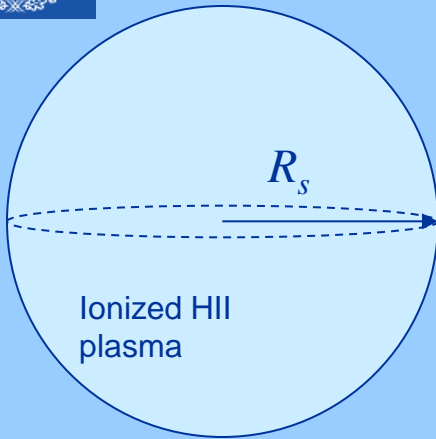
- In equilibrium, we have

$$N_{UV} = rV = \alpha_H n_H^2 \frac{4\pi R_s^3}{3} \Rightarrow$$

$$R_s = \left(\frac{3N_{UV}}{4\pi\alpha_H n_H^2} \right)^{1/3}$$

→ Hotter star
→ Denser gas

Strömgren radius



Interstellar HI plasma

$$\alpha_H \approx 3 \times 10^{-13} \text{ cm}^3 \text{ s}^{-1}$$

N_{UV} can be determined by considering black-body radiation properties of the star (Temperature and surface area). For a hot, young star it can be $\sim 10^{49} \text{ s}^{-1}$. For a typical HII density of $n_H = 35 \text{ cm}^{-3}$, what is the Strömgren radius in light years?

$$R_s = \left(\frac{3N_{UV}}{4\pi\alpha_H n_H^2} \right)^{1/3}$$

Blue

0.2 L.Y.

Yellow

2000 L.Y.

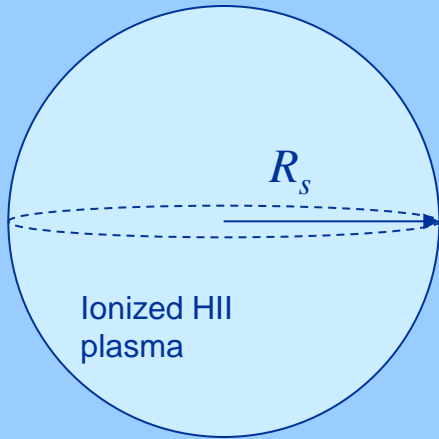
Red

20 L.Y.

Green

$2 \times 10^5 \text{ L.Y.}$

Strömgren radius



Interstellar HI plasma

N_{UV} can be determined by considering black-body radiation properties of the star (Temperature and surface area). For a hot, young star it can be $\sim 10^{49} \text{ s}^{-1}$. For a typical HI density of $n_H = 35 \text{ cm}^{-3}$, we get

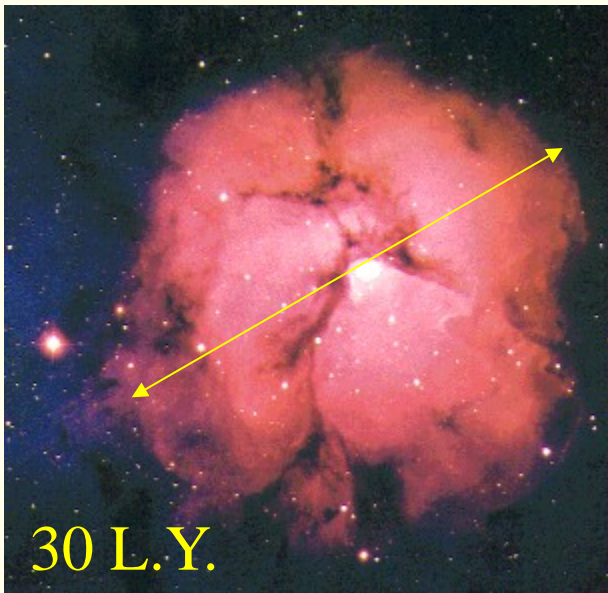
$$\alpha_H \approx 3 \times 10^{-13} \text{ cm}^3 \text{ s}^{-1}$$

Red

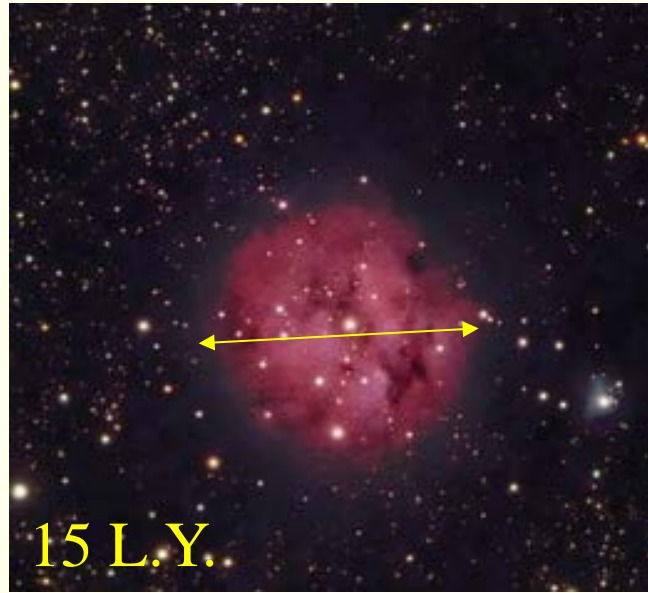
$$R_s = \left(\frac{3N_{UV}}{4\pi\alpha_H n_H^2} \right)^{1/3} = \left(\frac{3 \cdot 10^{49}}{4\pi \cdot 3 \cdot 10^{-19} \cdot (3.5 \cdot 10^7)^2} \right)^{1/3} =$$

$$1.9 \cdot 10^{17} \text{ m} = 20 \text{ L.Y.}$$

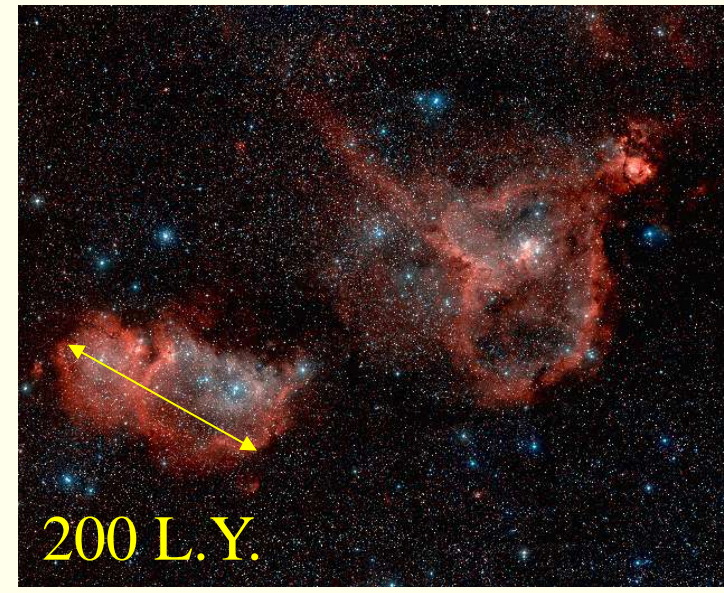
Emission nebulae



Trifid nebula (Messier 20)



IC5146

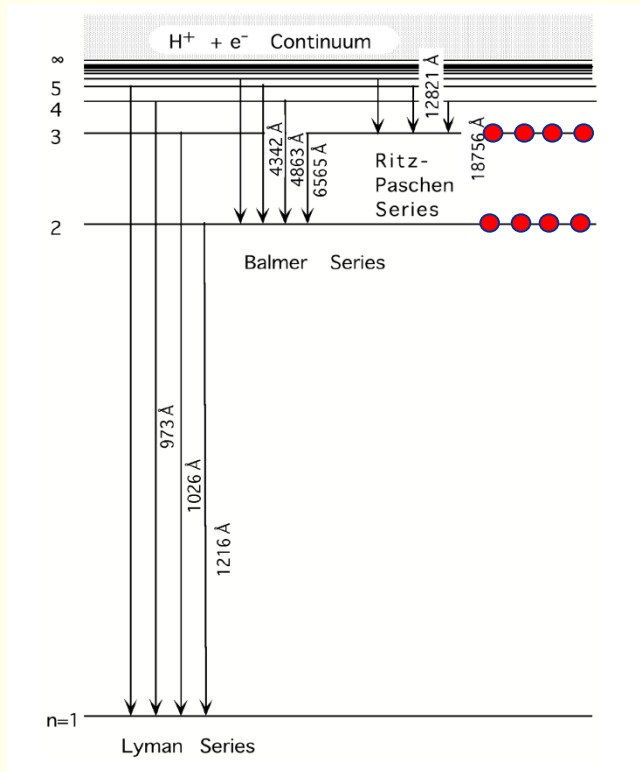


*Heart and Soul nebulae
(IC1805, IC1848)*

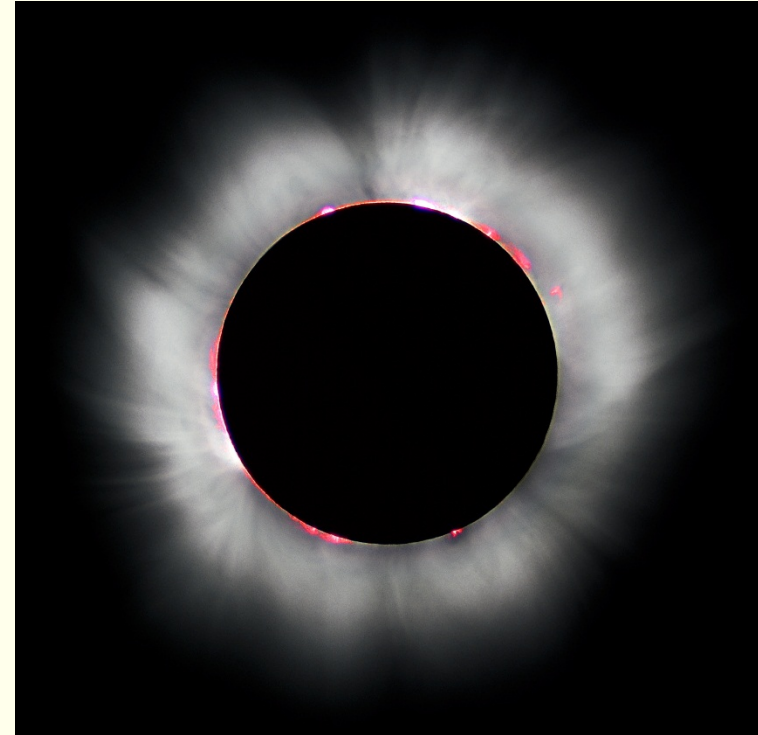
- Emission nebulae often appear red, due to a prominent emission in the Balmer series
- May be non-spherical due to
 - *Gradients in the background medium*
 - *Multiple stars at the core*

Why is the chromosphere red?

Hydrogen spectrum

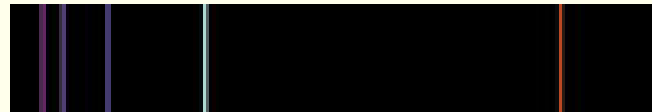


T_2
 T_1

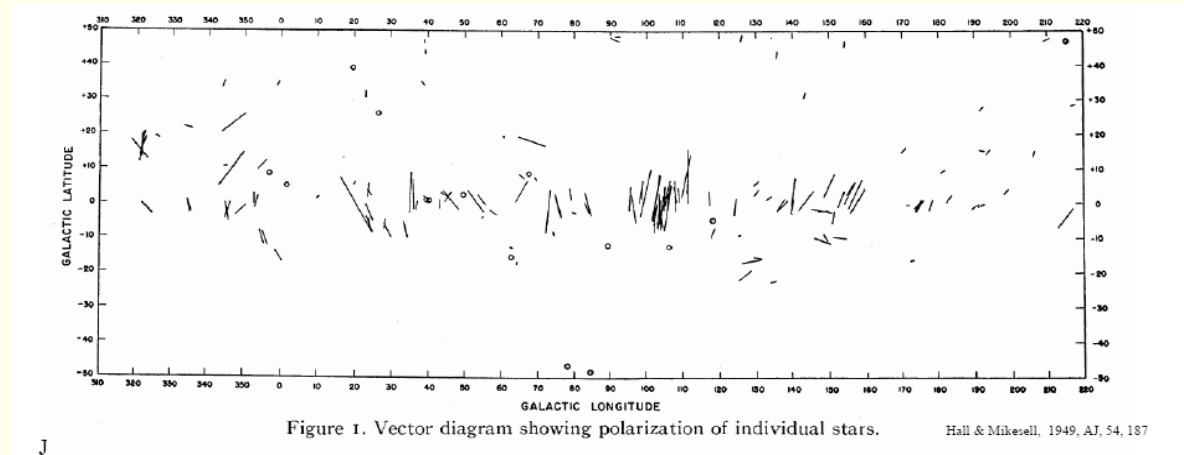


H γ H β
434 nm 486 nm

H α
656 nm



Interstellar magnetic field



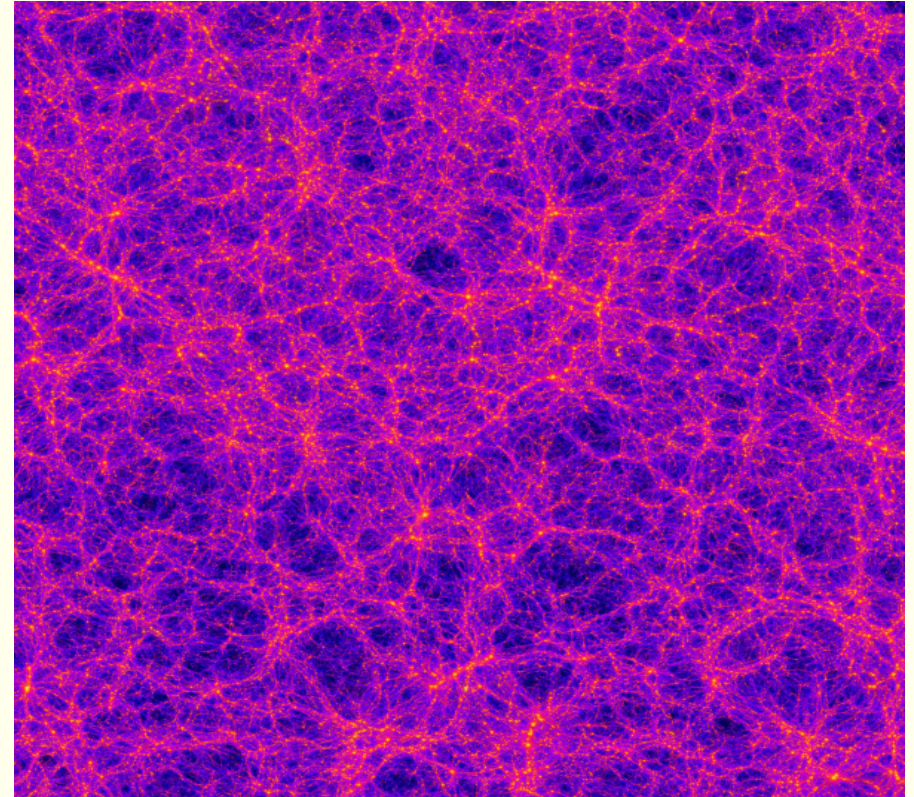
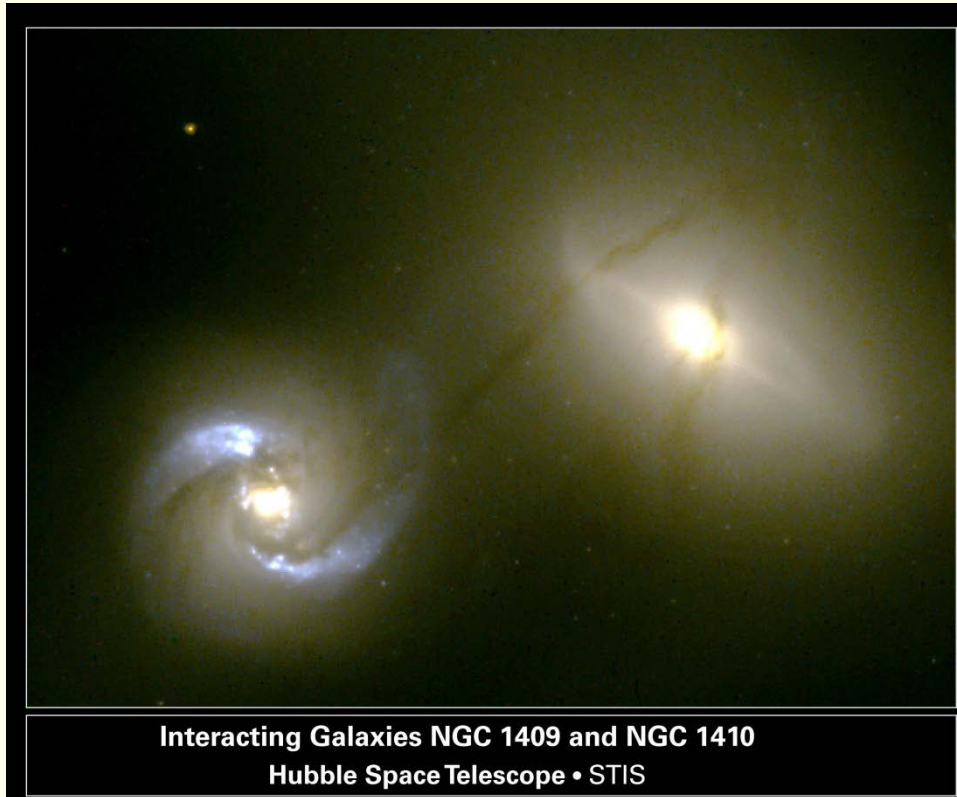
HI regions: ~ 0.1 nT

HII regions: ~ 1 nT

Magnetic field important also in the interstellar medium!

Intergalactic matter

$2.7 \cdot 10^9$ light years



Computer simulation of intergalactic mass distribution



Intergalactic plasma

- Mostly made up of “bridges” between galaxies ($\sim 10^6$ l.y.) (Radius of Milky Way is $\sim 10^4$ l.y.)
- Detected by radio telescope measurements of synchrotron radiation from energetic electrons.
- Typical densities are 10^{-4} cm^{-3}
- Typical magnetic field: $B \sim 10^{-2} \text{ nT}$



Last Minute!



Last Minute!

- What was the most important thing of today's lecture? Why?
- What was the most unclear or difficult thing of today's lecture, and why?
- Other comments