



Last lecture (2)

- Plasma physics 2

Today's lecture (3)

- Solar activity
- Magnetic reconnection \leftrightarrow solar flares
- Solar wind – basic facts



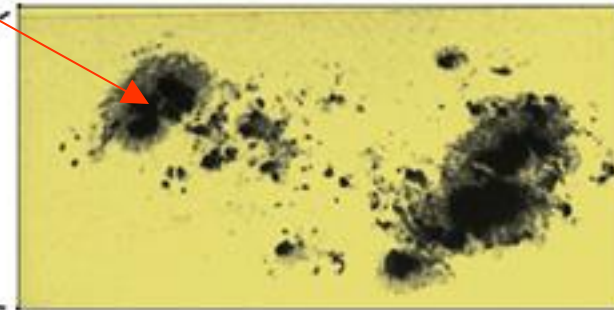
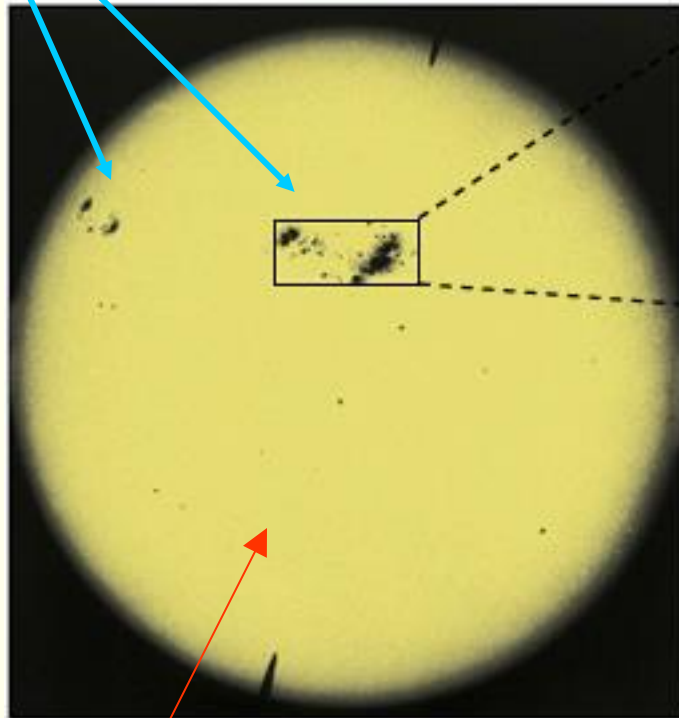
Today

<u>Activity</u>	<u>Date</u>	<u>Time</u>	<u>Room</u>	<u>Subject</u>	<u>Litterature</u>
L1	2/9	10-12	Q33	Course description, Introduction, The Sun 1, Plasma physics 1	CGF Ch 1, 5, (p 110-113)
L2	4/9	10-12	Q21	The Sun 2, Plasma physics 2	CGF Ch 5 (p 114-121), 6.3
L3	8/9	13-15	Q36	Solar wind , The ionosphere and atmosphere 1, Plasma physics 3	CGF Ch 6.1, 2.1-2.6, 3.1-3.2, 3.5, LL Ch III, Extra material
T1	10/9	10-12	Q33	Mini-group work 1	
L4	15/9	13-15	Q31	The ionosphere 2, Plasma physics 4	CGF Ch 3.4, 3.7, 3.8
T2	17/9	10-12	Q33	Mini-group work 2	
L5	19/9	15-17	Q31	The Earth's magnetosphere 1, Plasma physics 5	CGF 4.1-4.3, LL Ch I, II, IV.A
L6	23/9	8-10	Q31	The Earth's magnetosphere 2, Other magnetospheres	CGF Ch 4.6-4.9, LL Ch V.
T3	24/9	14-16	Q21	Mini-group work 3	
L7	29/9	11-13	Q36	Aurora, Measurement methods in space plasmas and data analysis 1	CGF Ch 4.5, 10, LL Ch VI, Extra material
T4	1/10	15-17	Q31	Mini-group work 4	
L8	2/10	15-17	Q34	Space weather and geomagnetic storms	CGF Ch 4.4, LL Ch IV.B-C, VII.A-C
L9	8/10	13-15	Q36	Interstellar and intergalactic plasma, Cosmic radiation, Swedish and international space physics research.	CGF Ch 7-9
T5	9/10	15-17	Q31	Mini-group work 5	
L10	13/10	15-17	Q33	Guest lecture (preliminary): Swedish astronaut Christer Fuglesang	
T6	16/10	10-12	Q36	Round-up	
Written examination	30/10	8-13	M33, M37, M38		

Sunspots

Often seen in pairs

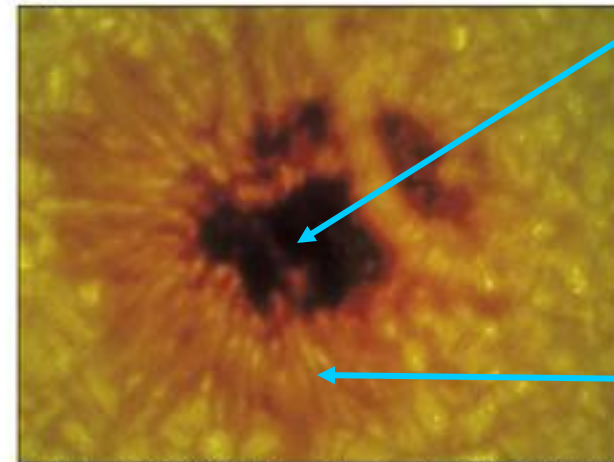
~4000 K



(a)

Umbra

~6000 K

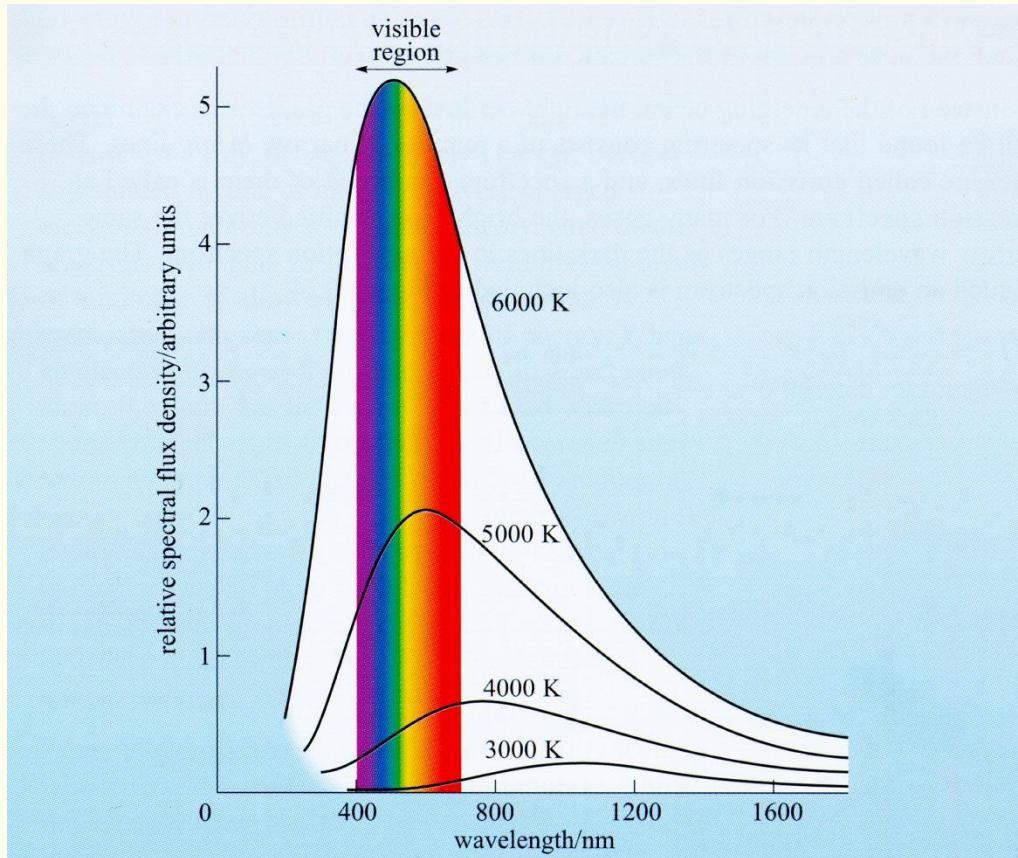


Penumbra

(b) ← 10,000 km →



Black-body radiation



Wien's displacement law

$$\lambda_{peak} = \frac{2.90 \times 10^{-3}}{T}$$

Stefan-Bolzmans law

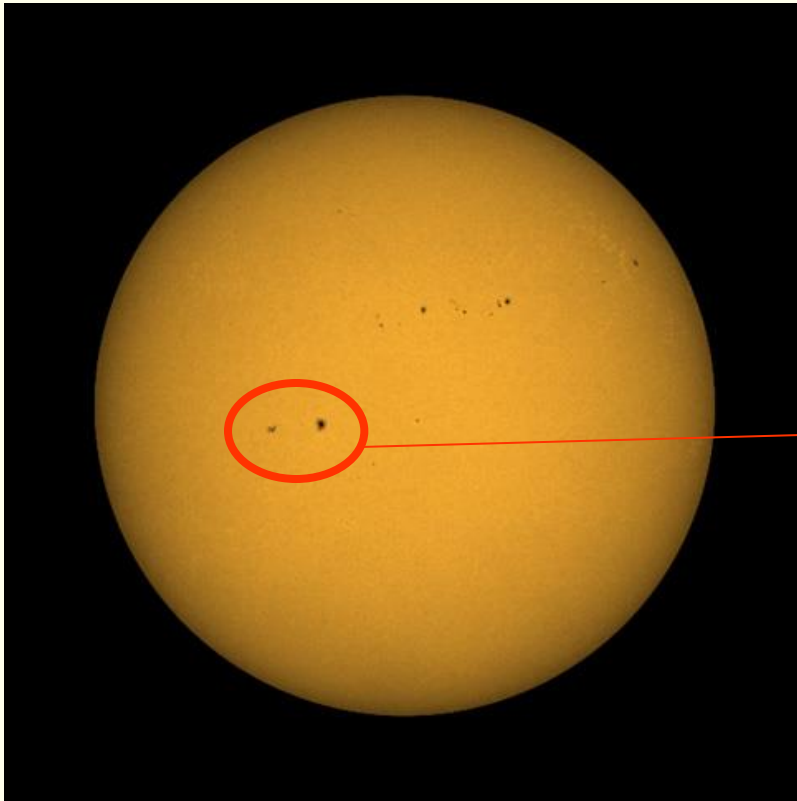
$$J = \sigma_{SB} T^4$$

(J = total energy radiated per unit area per unit time)

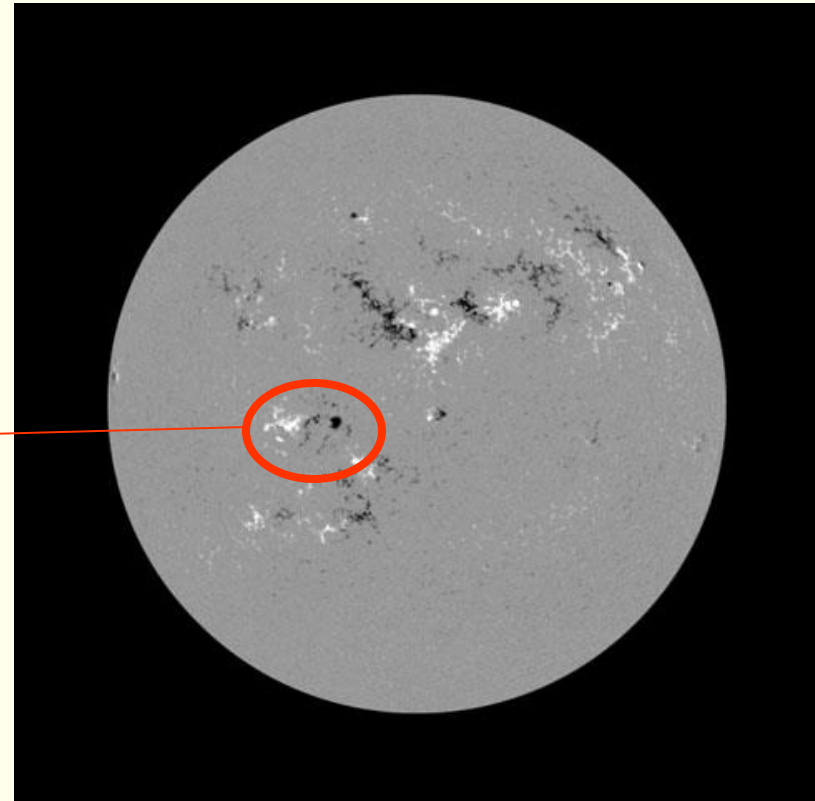
Black-body good approximation for opaque bodies where emitted light is much more likely to interact with the material of the source than to escape.

Sunspots and magnetic fields

Visible light

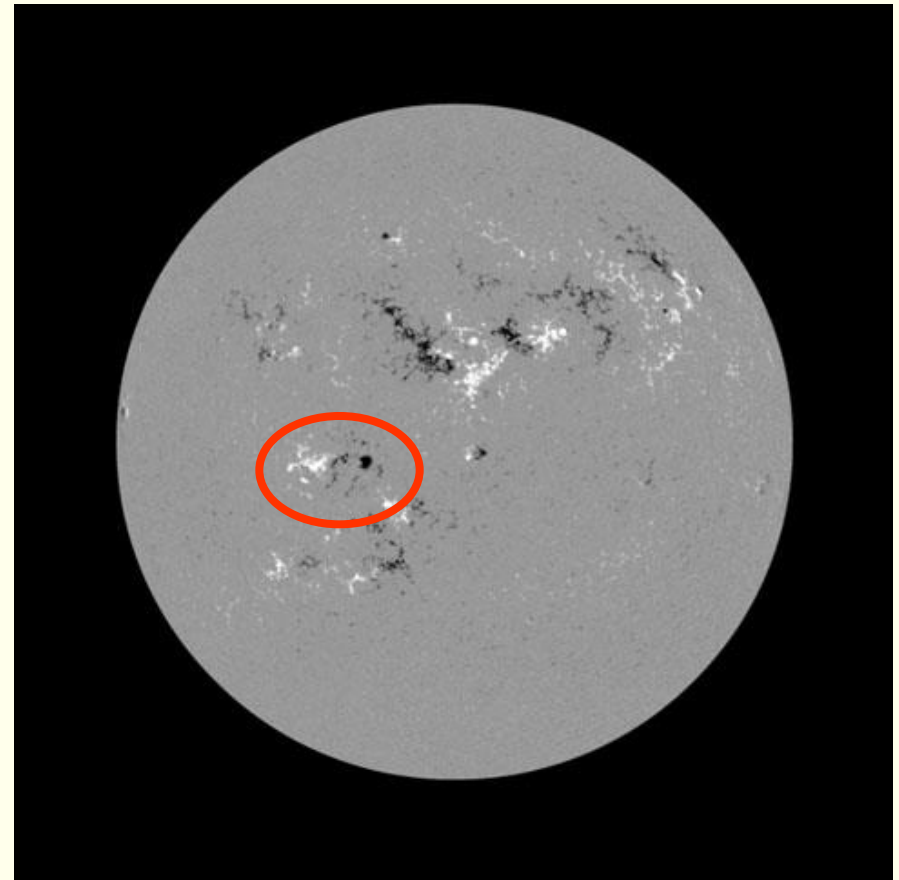
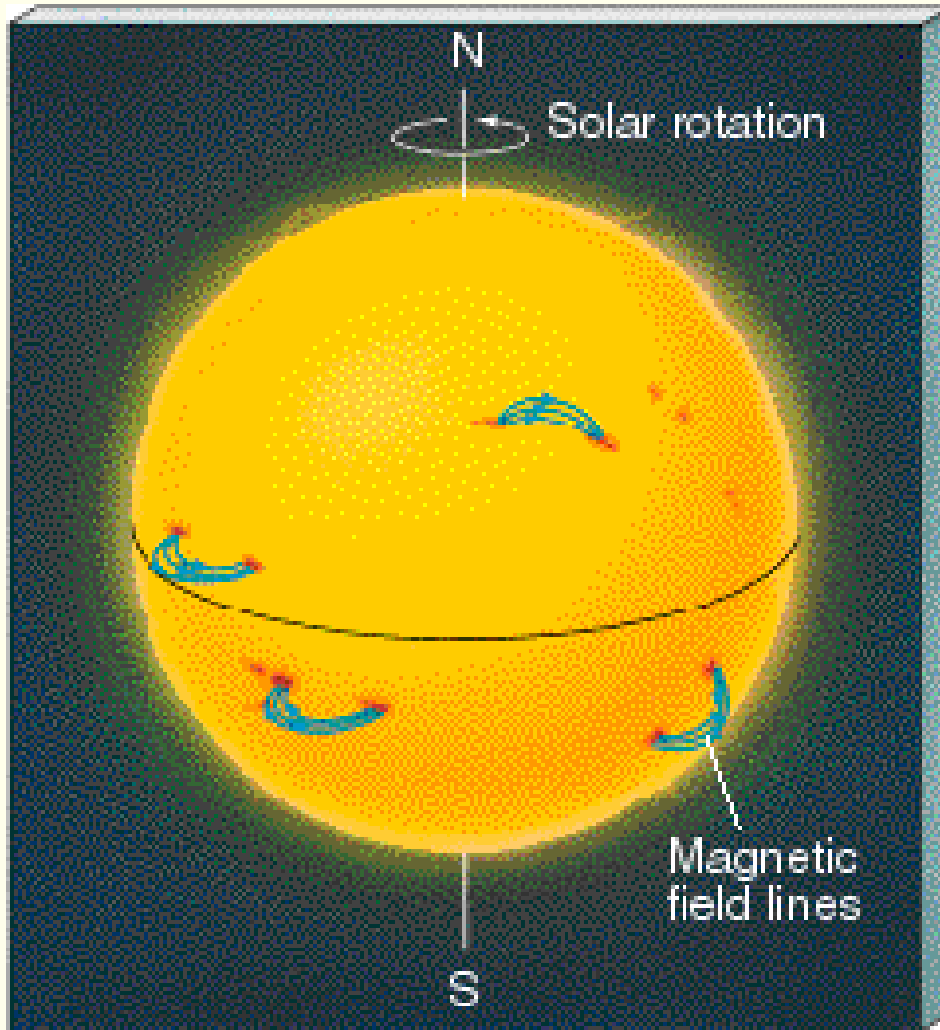


Magnetogram



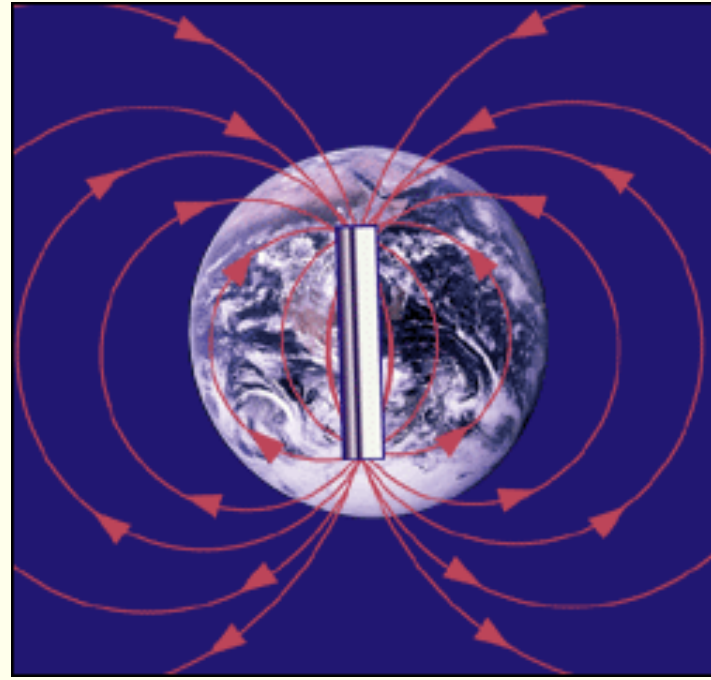
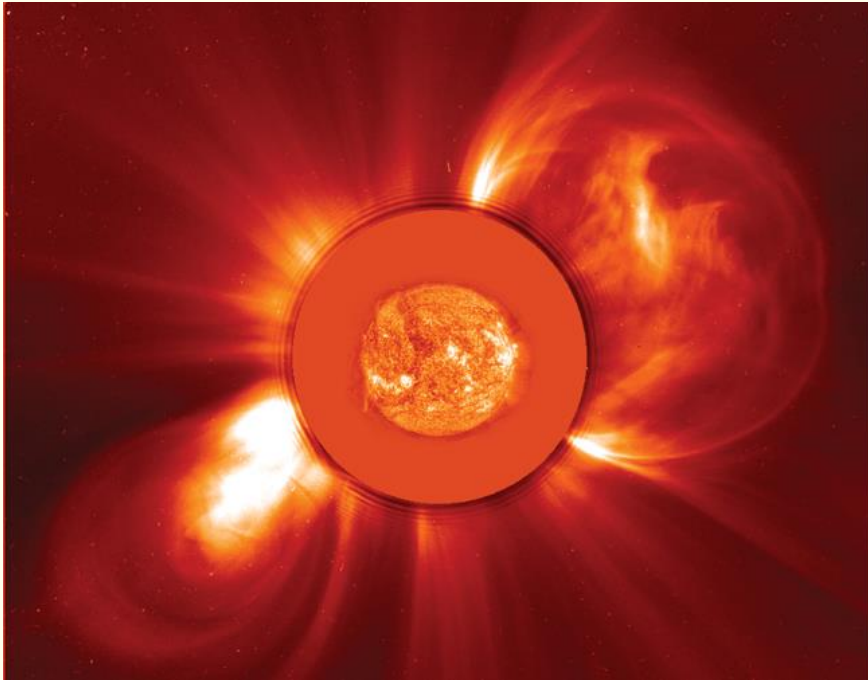
Sunspots are associated with large magnetic fields

Sunspots and magnetic fields

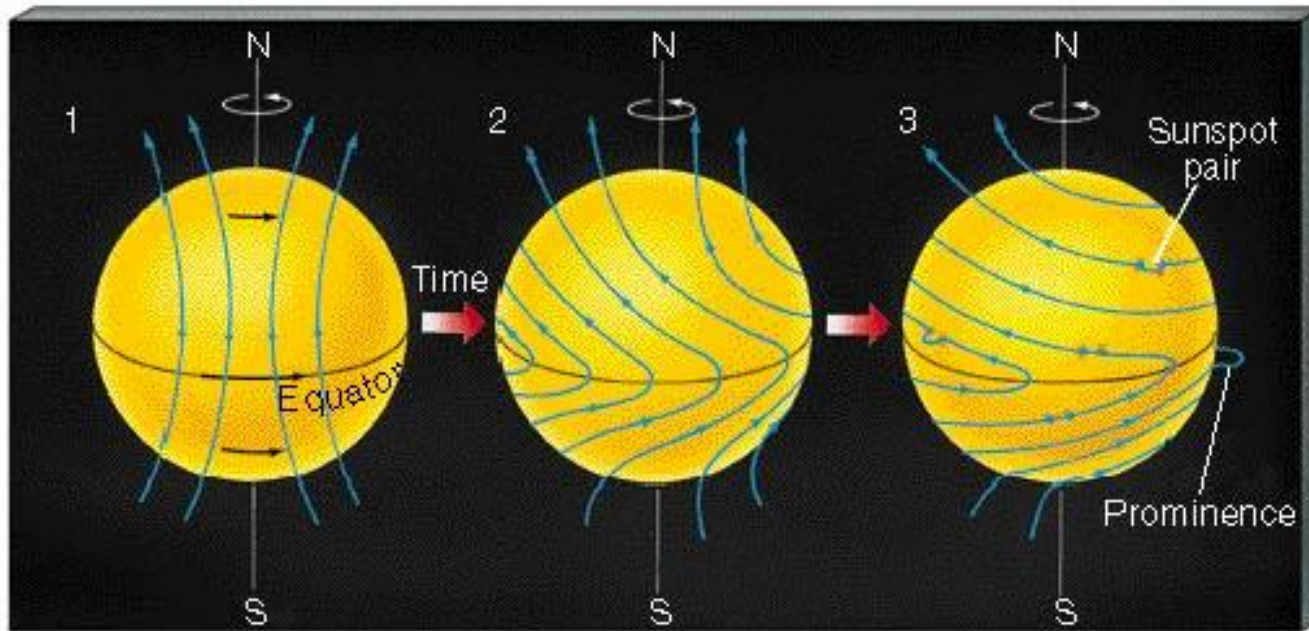


Sun's magnetic field

*First guess/approximation:
a dipole field, just as Earth*



Sunspots and magnetic fields

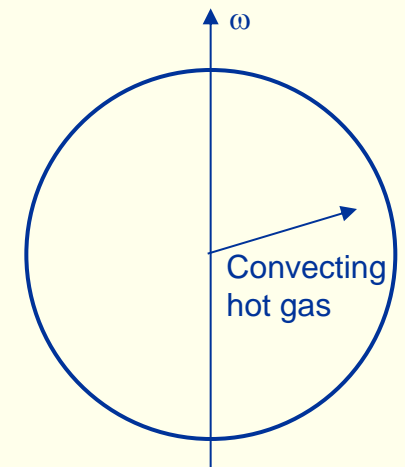


Differential rotation deforms the magnetic field lines. Sometimes a part of the field line may protrude into the solar atmosphere and cause loop, which may be associated with a pair of sunspots. (More complicated behaviour may of course also occur.)

Sun's rotational period as function of latitude λ

$$T_{rot} = \frac{25}{(1 - 0.19 \sin^2 \lambda)}$$

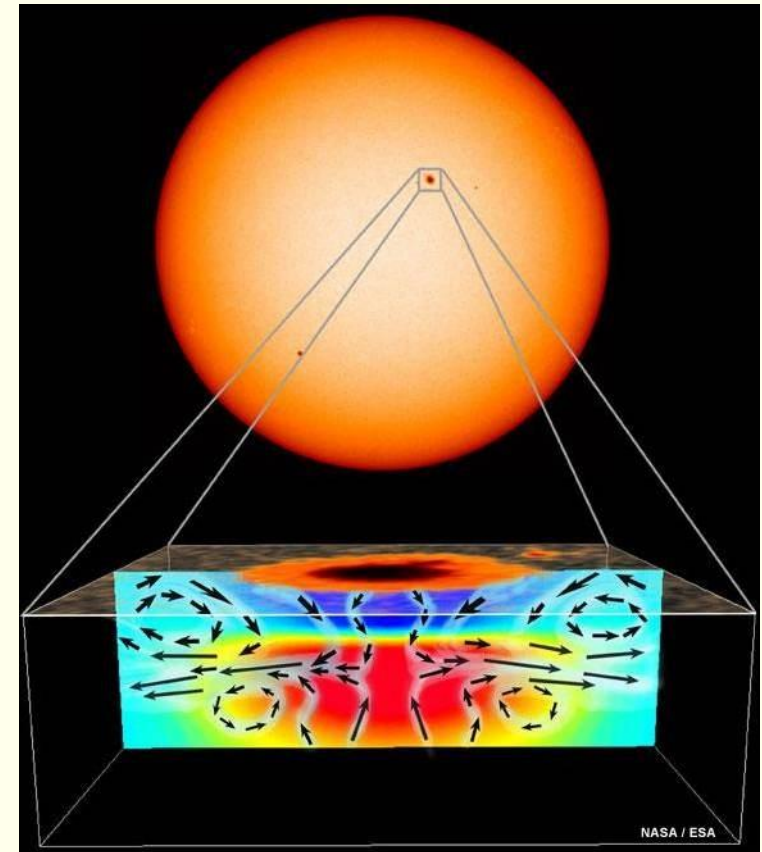
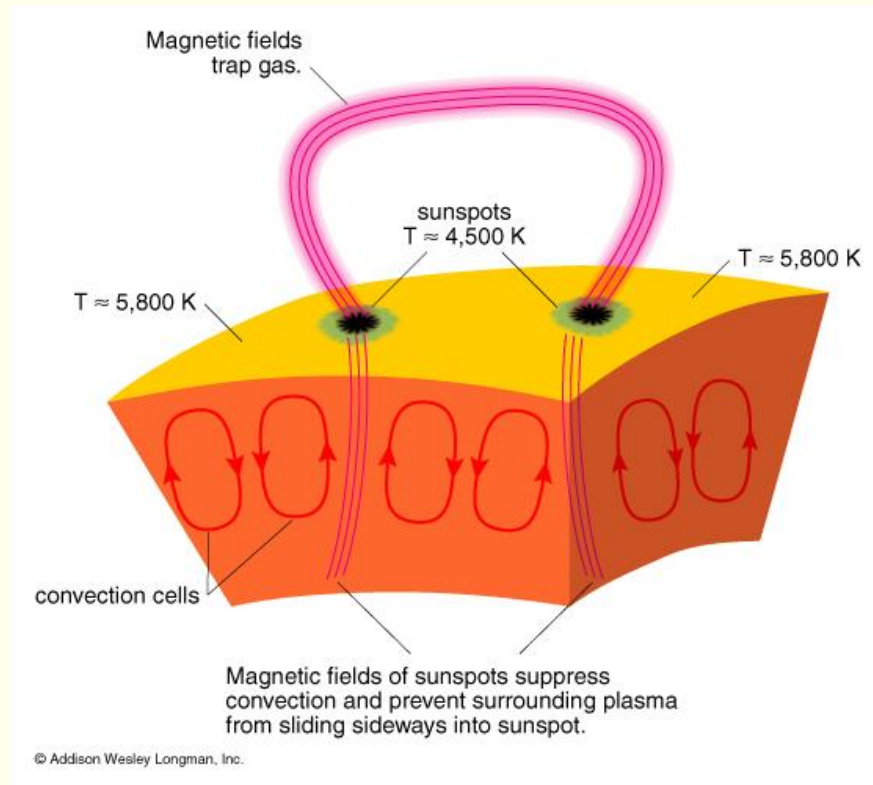
Differential rotation



Sunspots and magnetic fields



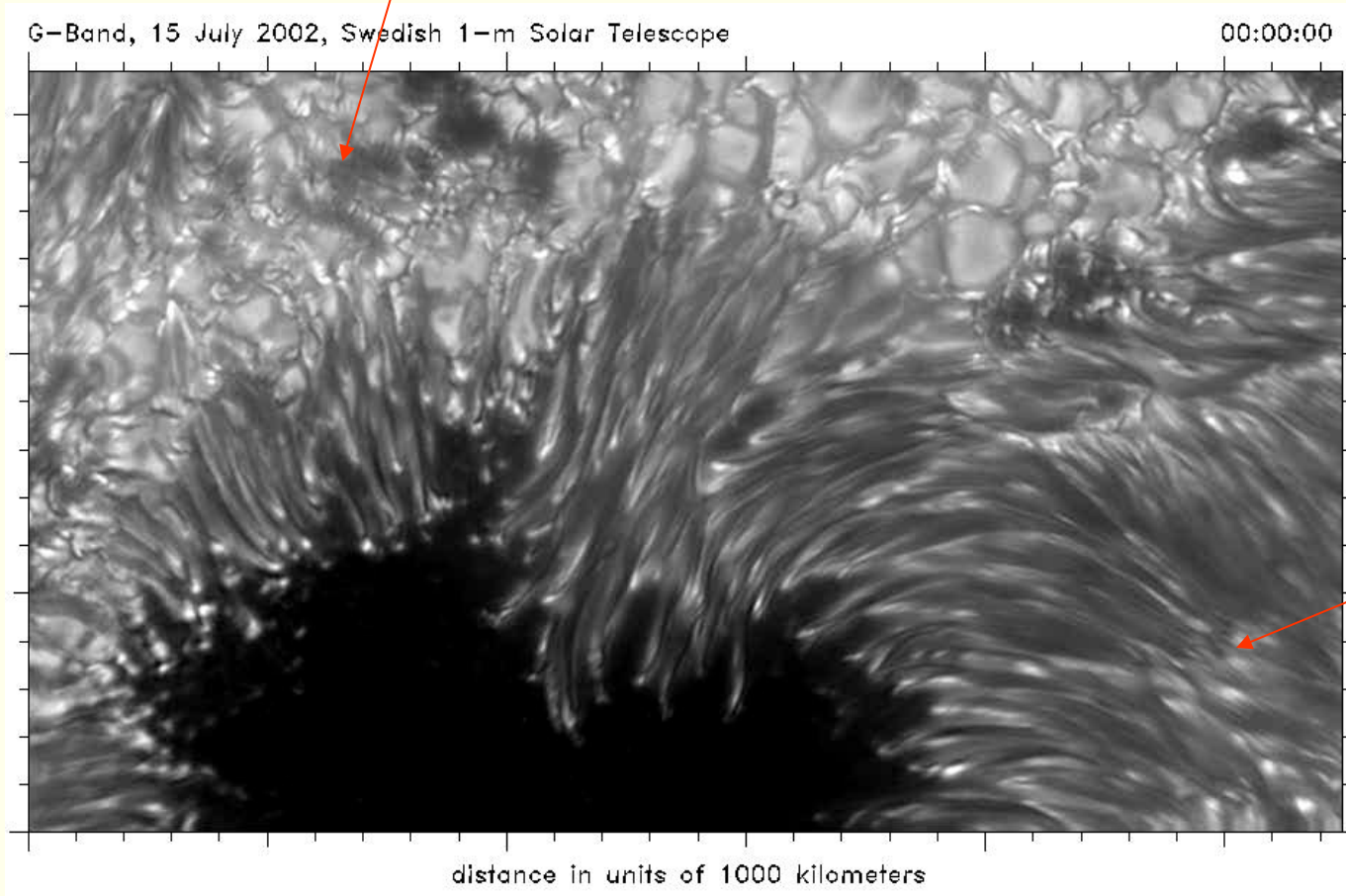
Sunspots



One theory is that the large magnetic field in the sunspots affects the convection of hot matter from the solar interior, so that it will not reach the surface.

Sunspots, convection

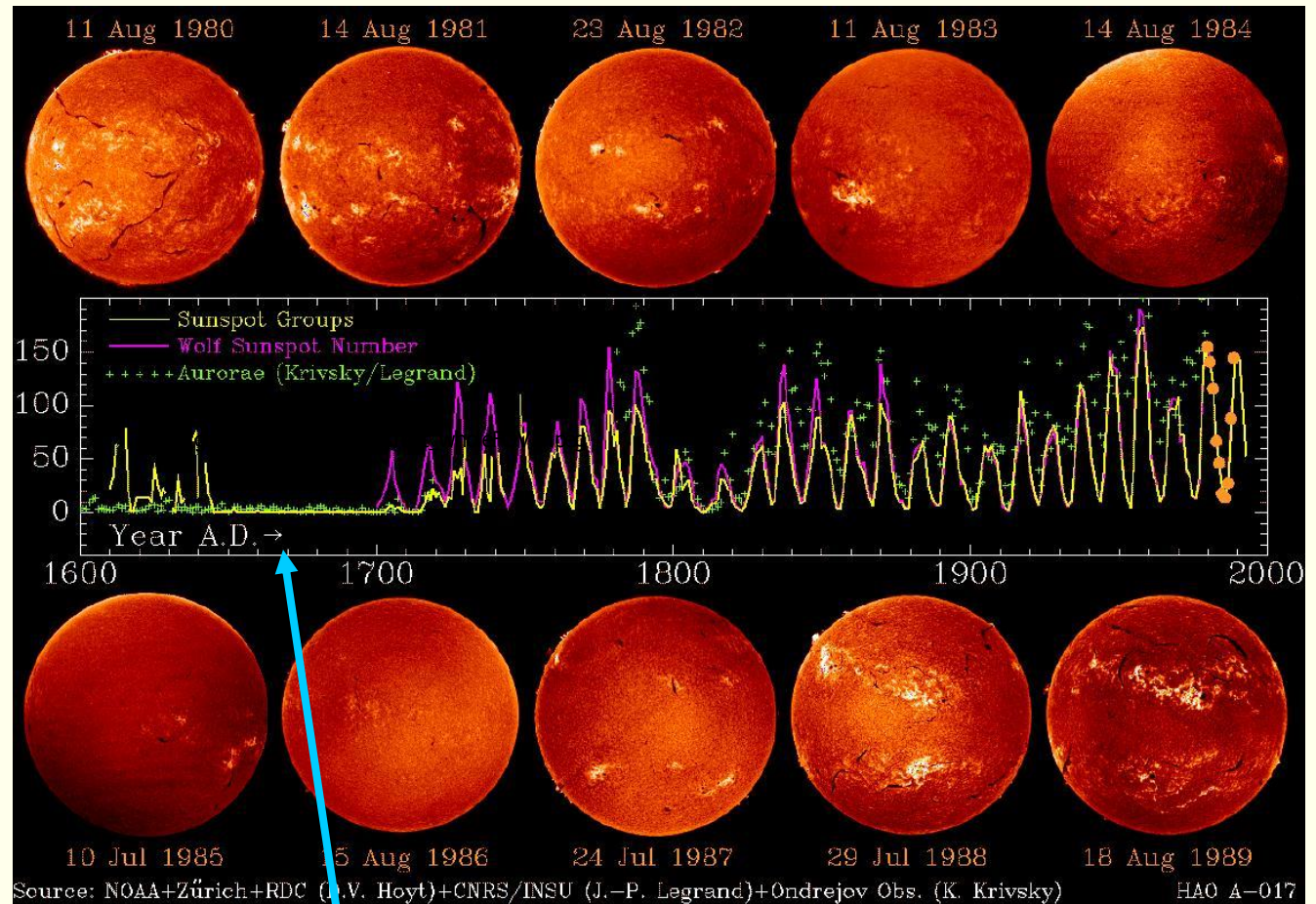
Convection cells
(granulation)



Convection cell
patter perturbed
by magnetic field

Sunspot cycle (solar cycle)

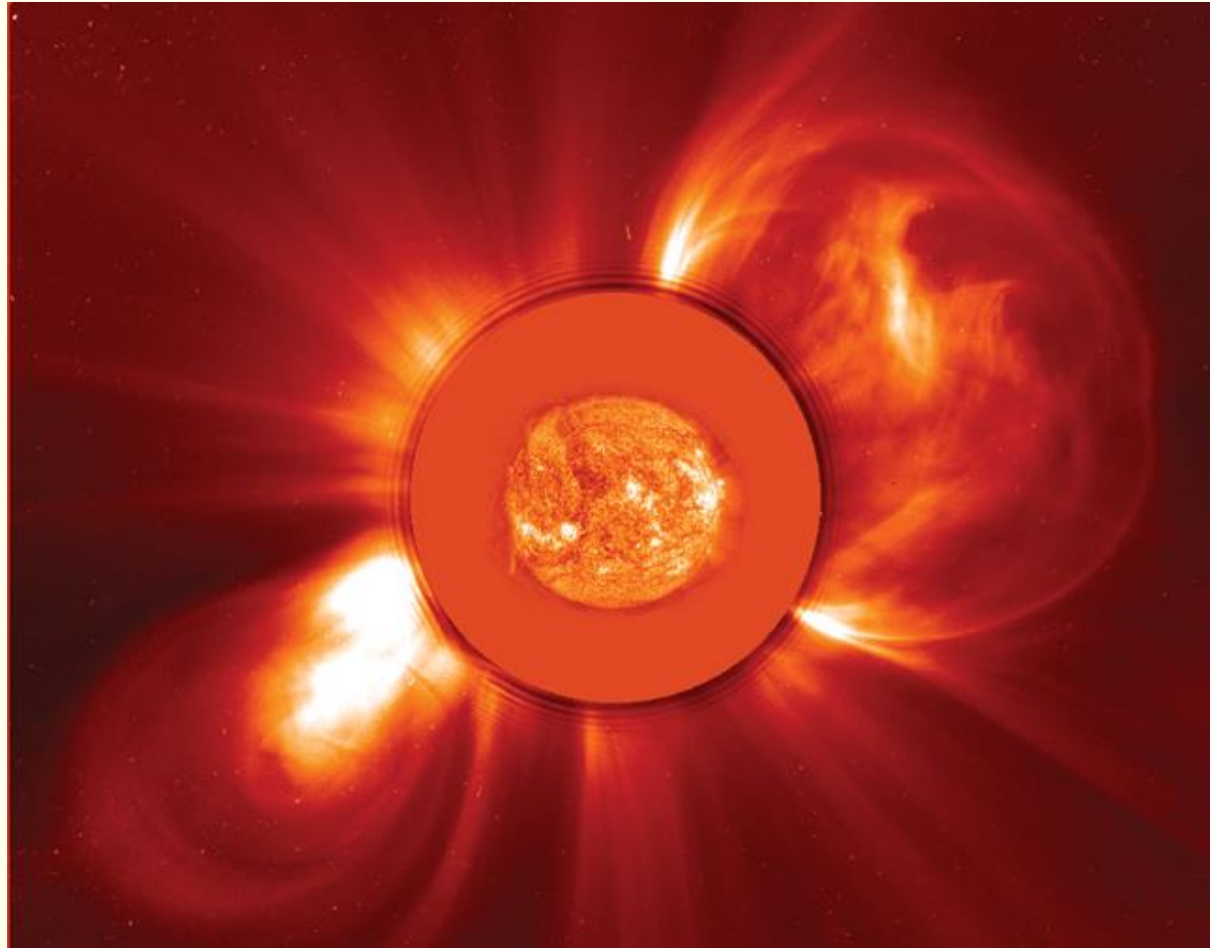
- $T \approx 11 \pm 1$ years
- The solar cycle is a manifestation of the changing solar magnetic field
- The Maunder minimum was associated with cold climate and no aurora.



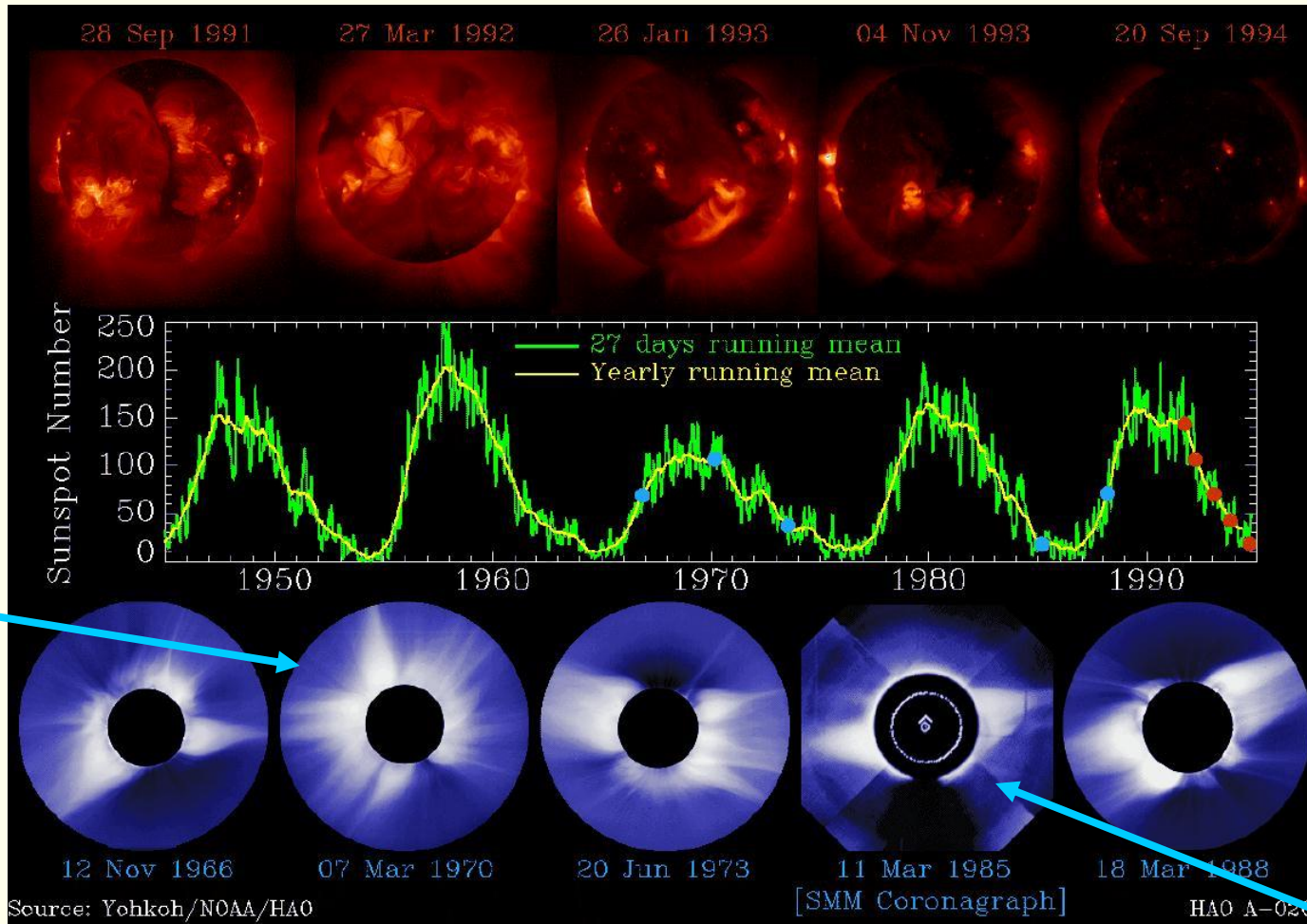
Maunder minimum

Solar magnetic field as organizing factor

Sun's dipole magnetic field



Solar magnetic field as organizing factor

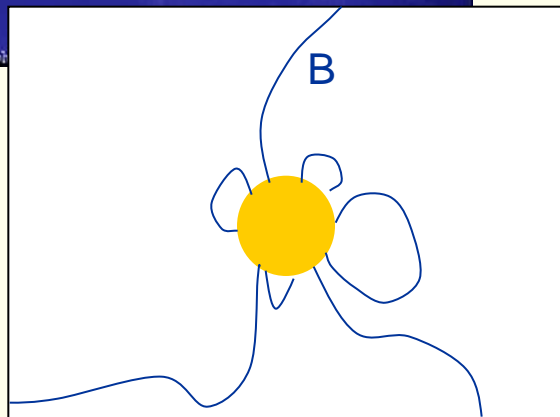


Maximum

Minimum

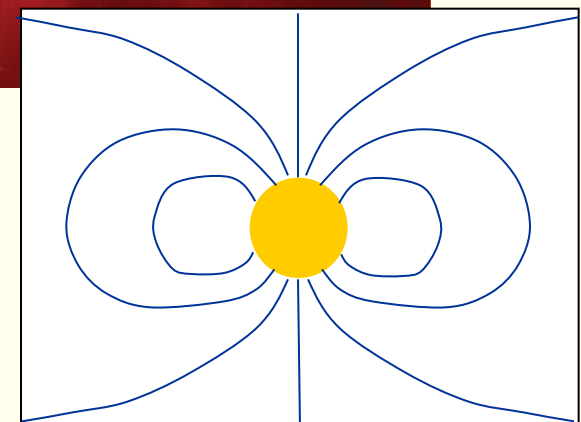
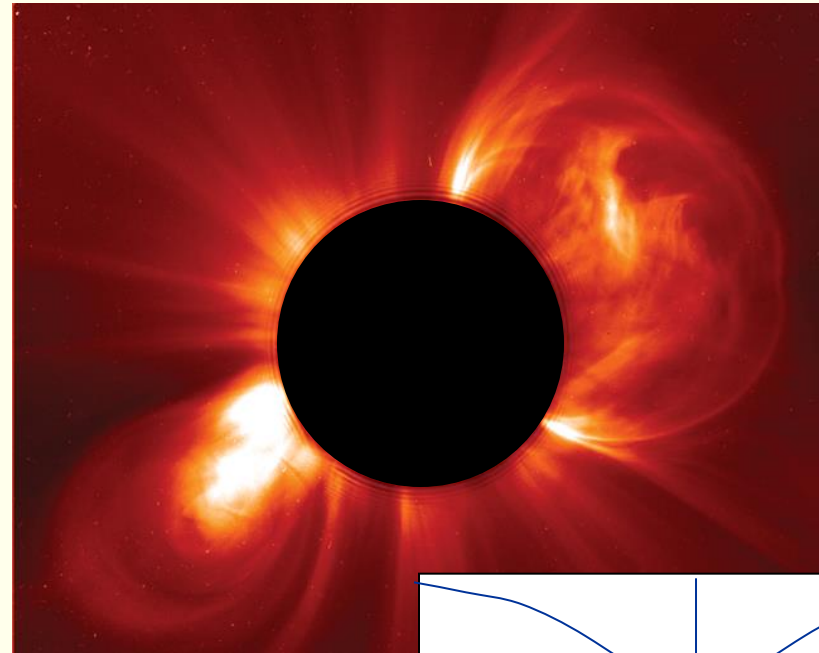
Solar magnetic field as organizing factor

Maximum



Maximum: weak, irregular magnetic field

Minimum



Minimum: large, regular dipole-like field

The Babcock Model

The Solar Magnetic Cycle

Magnetic field line

Sun

a)

For simplicity, a single line of the solar magnetic field is shown.

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d)

Differential rotation wraps the sun in many turns of its magnetic field.

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b)

Differential rotation drags the equatorial part of the magnetic field ahead.

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Bipolar sunspot pair

e)

Where loops of tangled magnetic field rise through the surface, sunspots occur.

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c)

As the sun rotates, the magnetic field is eventually dragged all the way around.

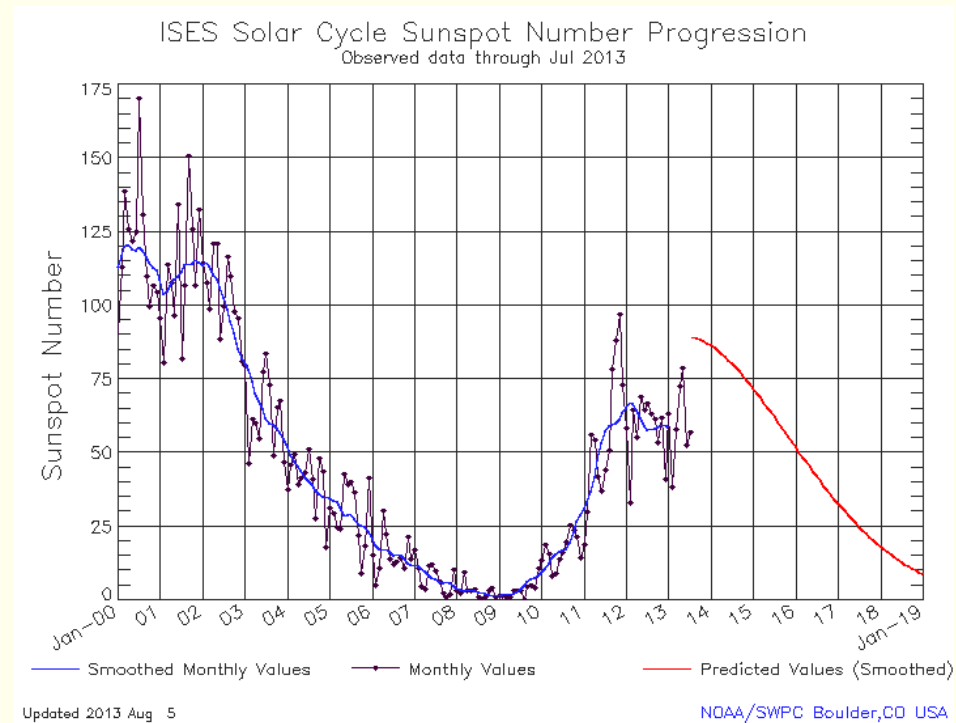
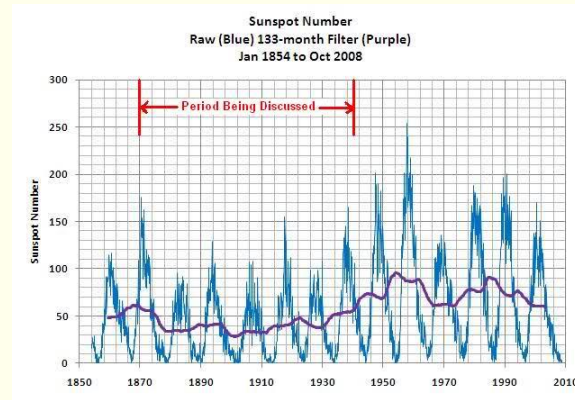
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Eventually, the magnetic field lines become so contorted and tense that the field resets, but with the whole field flipped...
Why? No-one really knows...

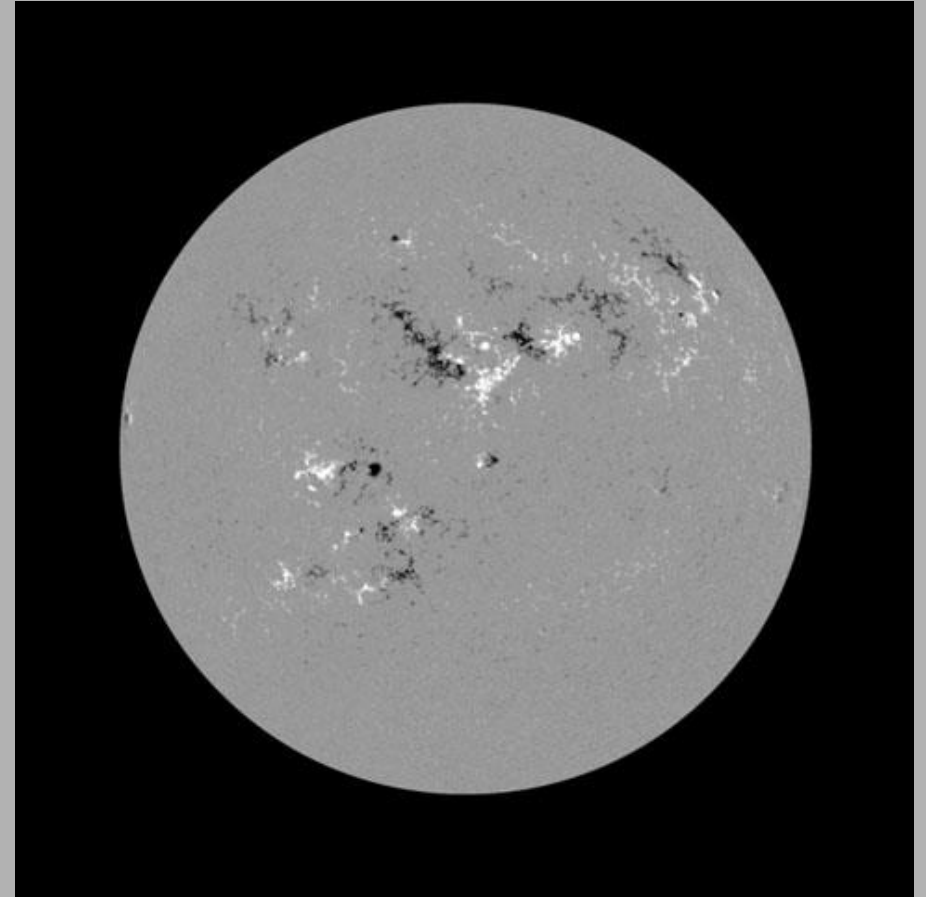


Where are we today?

Prediction by
National Weather
Service Space Weather
Prediction Centre



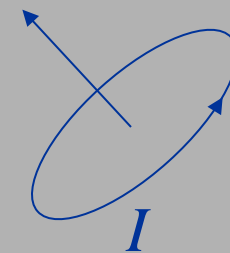
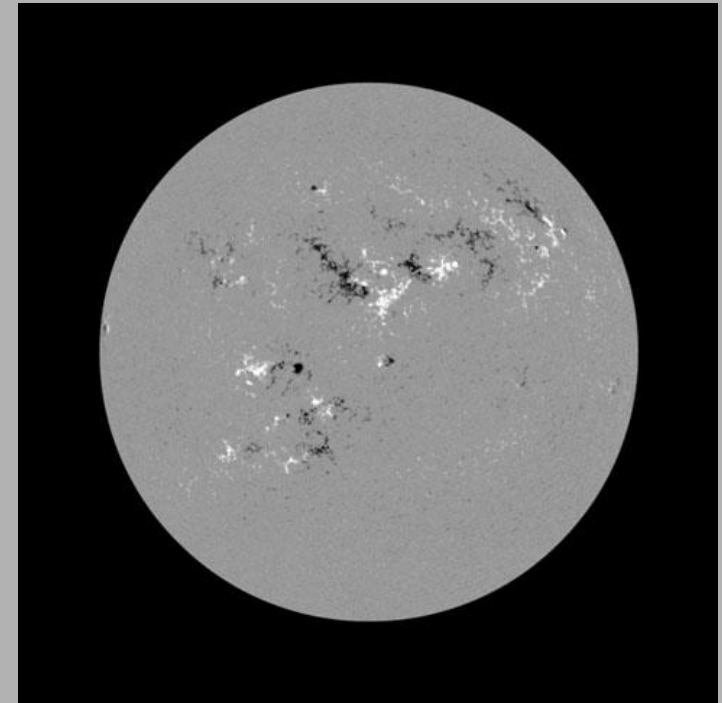
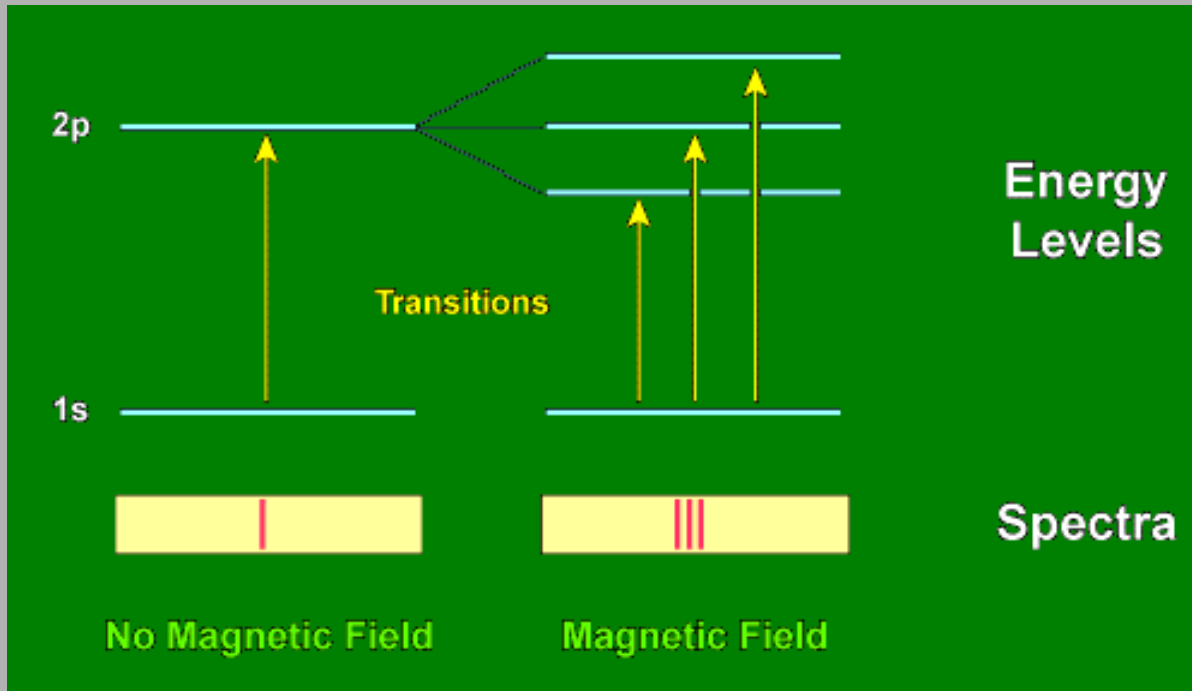
Think about this



How can we measure the magnetic field on the solar surface???

Zeeman effect:

In the presence of a magnetic field electron orbits with different angular momentum will interact with B in slightly different ways. Thus the energy levels will split up. The larger B , the larger split.



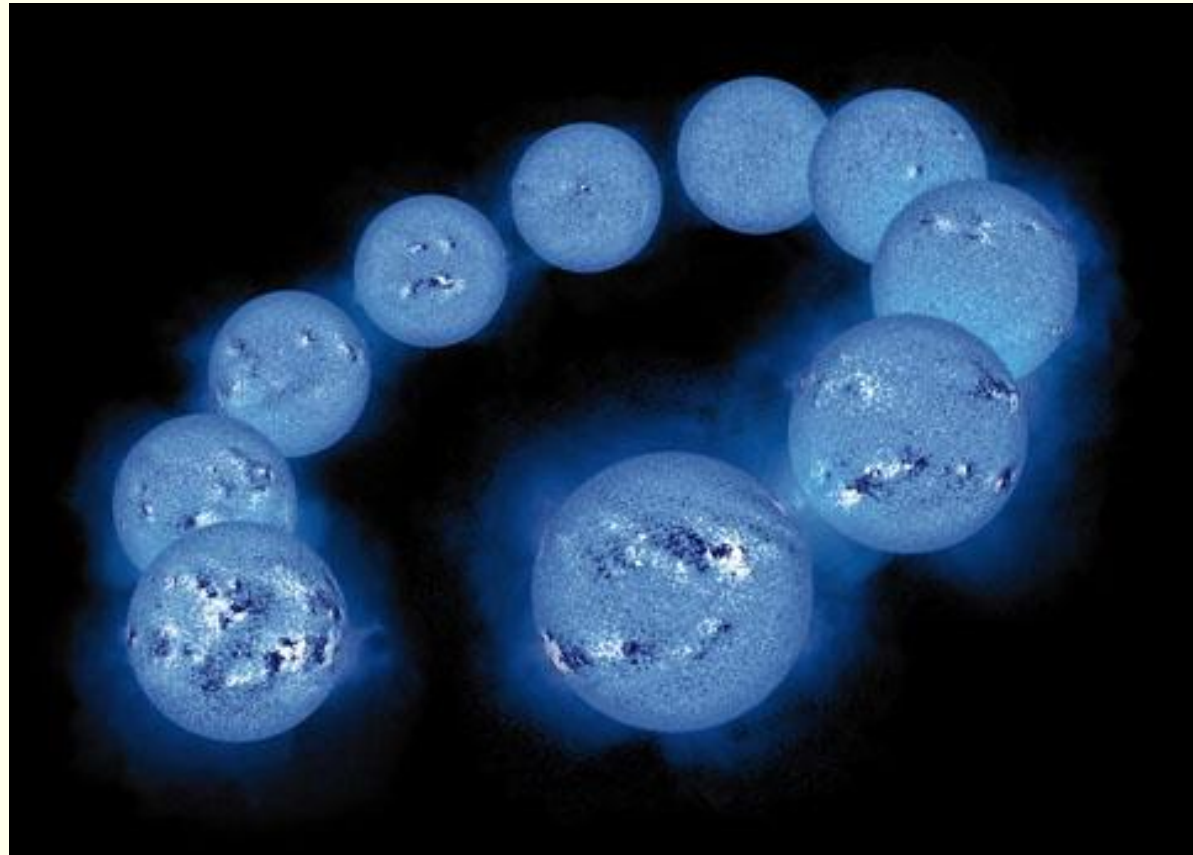
$$W = -\mu \cdot B$$

$$\mu = IA$$

Solar activity in general

On the solar surface there are various dynamical irregularities and structures.

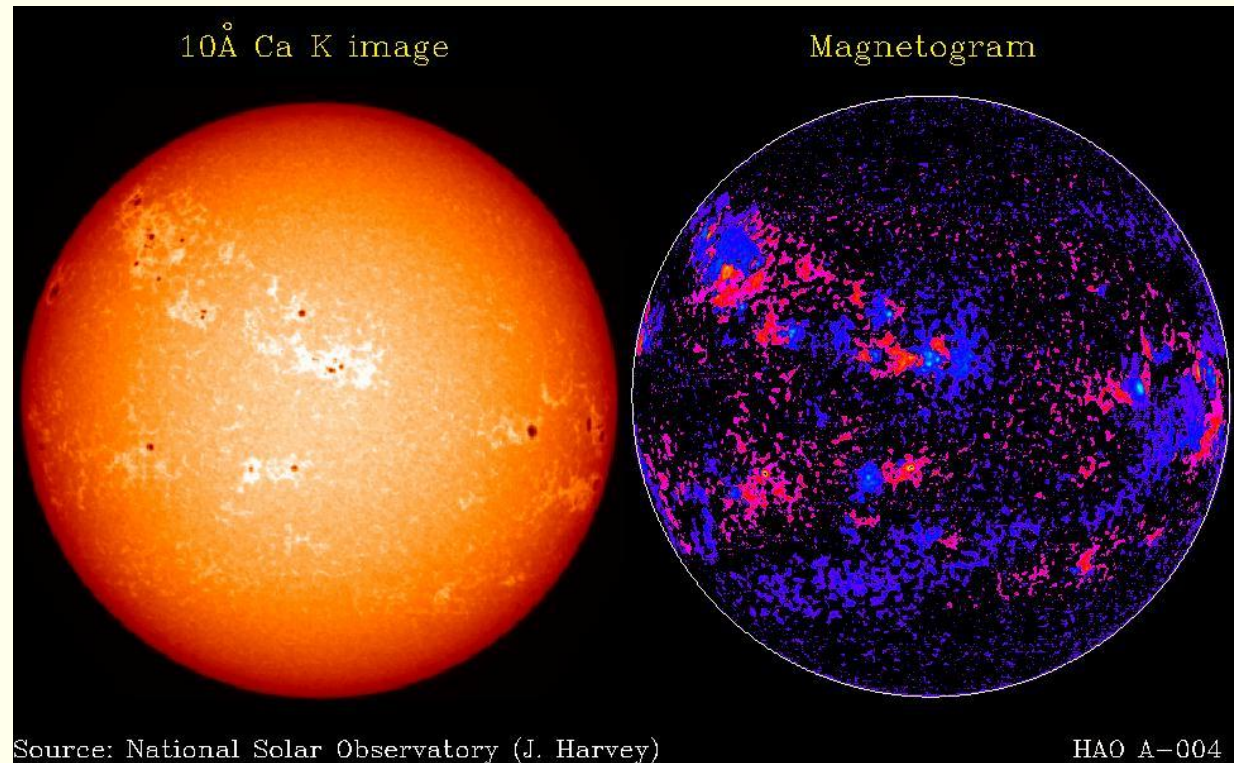
These are given the general name "solar activity" or "active regions".



Magnetograms during a solar cycle

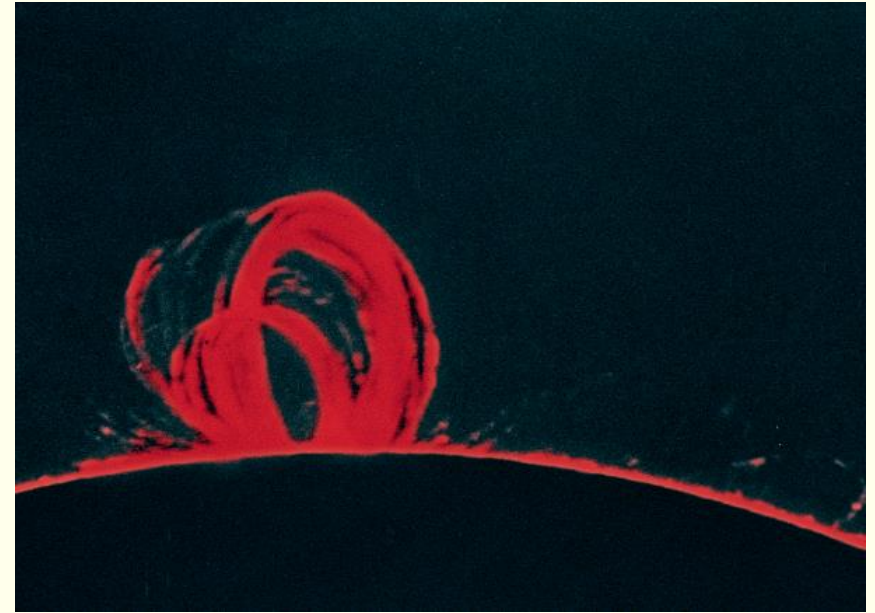
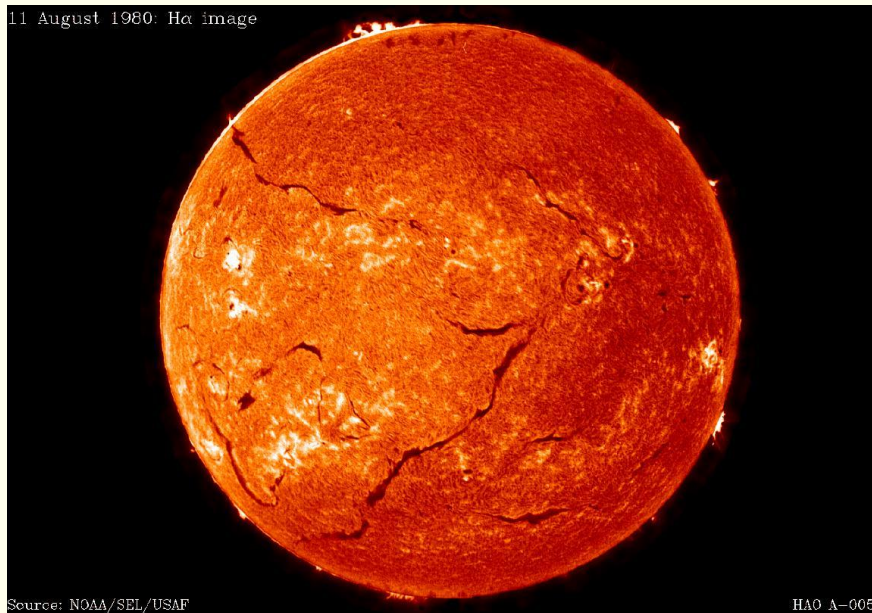
Active regions

- Sunspots:
 $B \sim 100 - 400 \text{ mT}$
- Plages:
 $B \sim 10 - 50 \text{ mT}$
- Rest of solar surface:
 $B \sim 0,1 - 0,3 \text{ mT}$



Prominences

When viewed from above they are called “filaments”

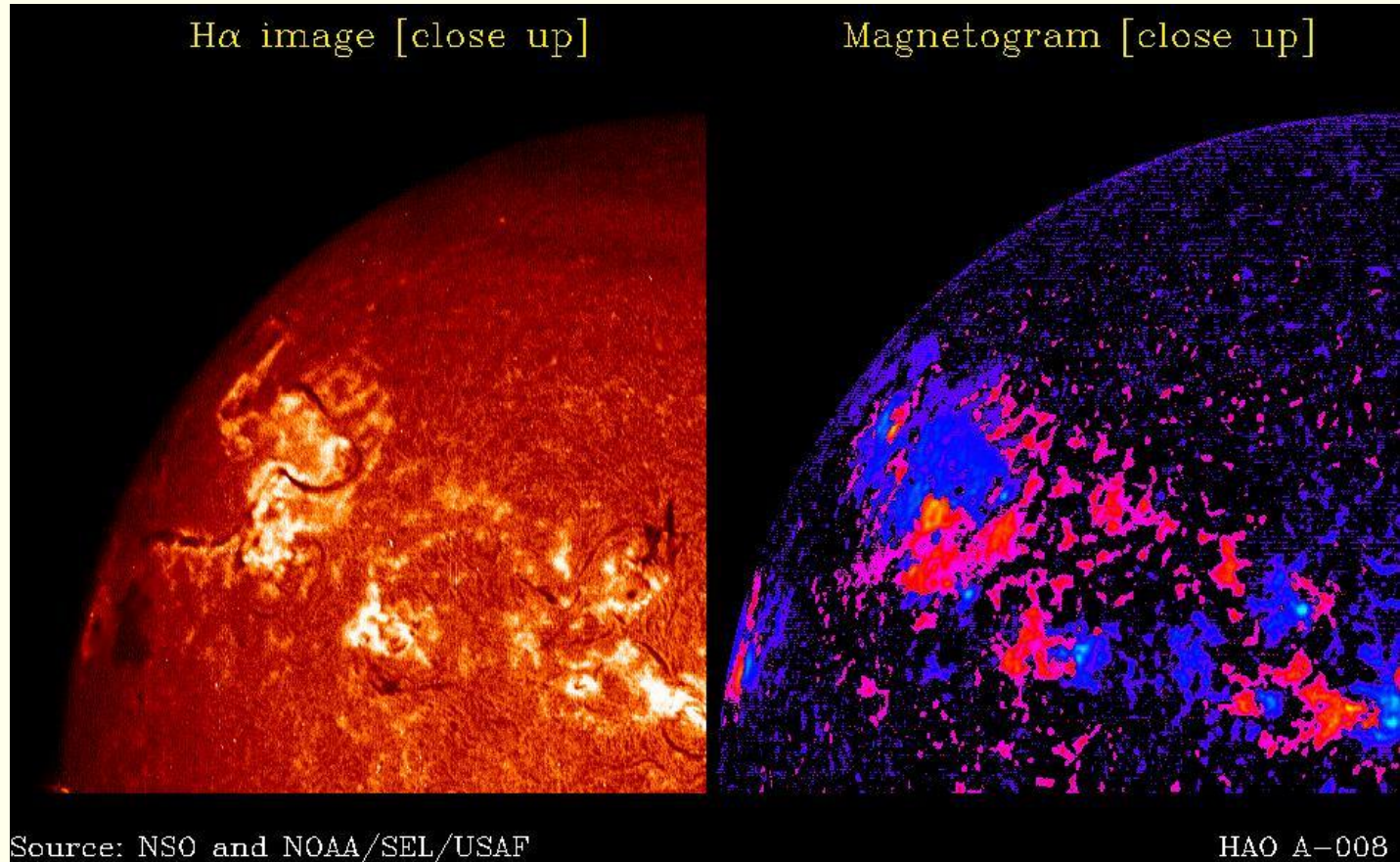


Viewed from the side: prominences

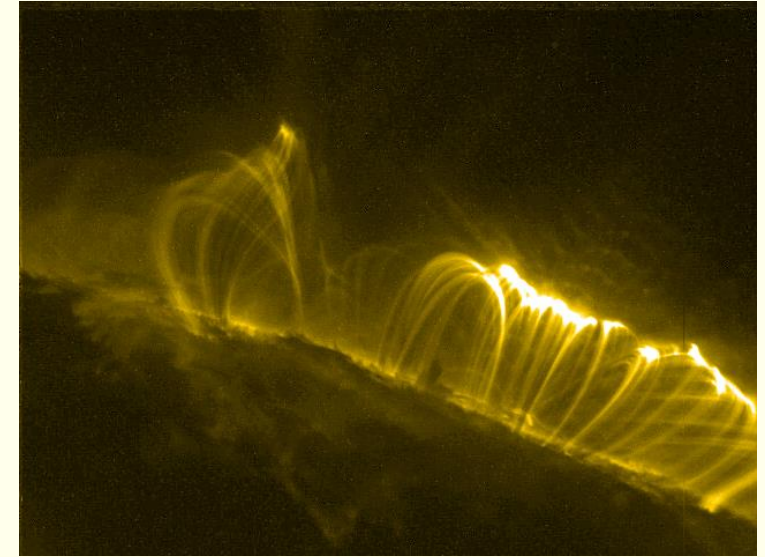
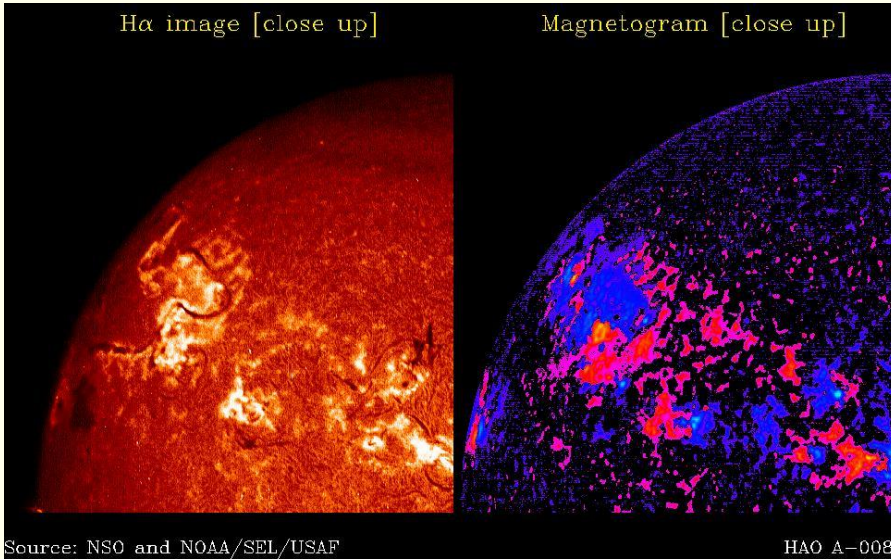
Possibly they are hotter plasma, their lower density to give them buoyancy,
But most theories consider them to be colder material, supported by magnetic field lines.

Prominences

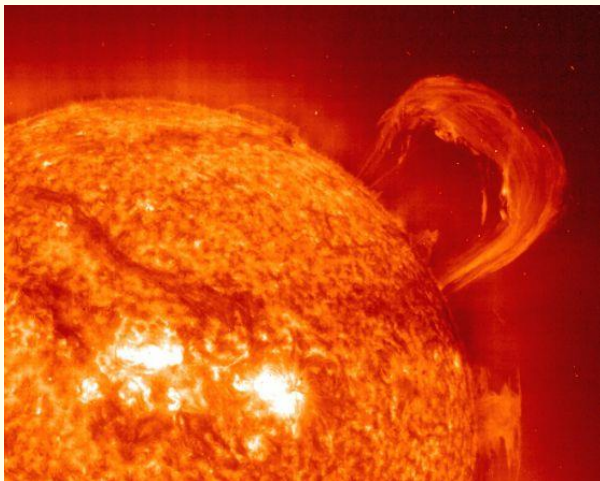
Prominences are often observed at the border between regions of different magnetic polarity.



Prominences = filaments

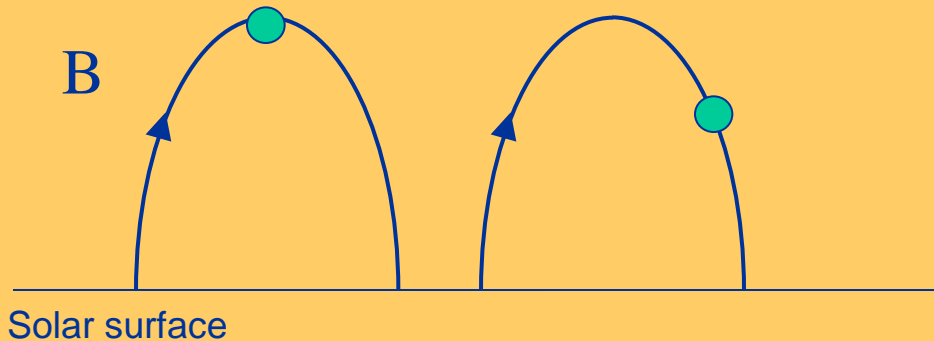


Interpretation: street of coronal loops along the border between polarities



Alternatively: one single, large loop makes up the prominence/filament.

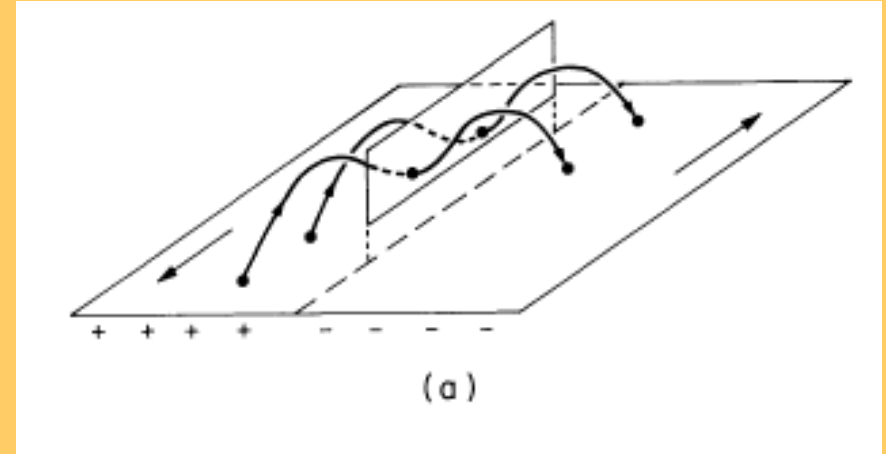
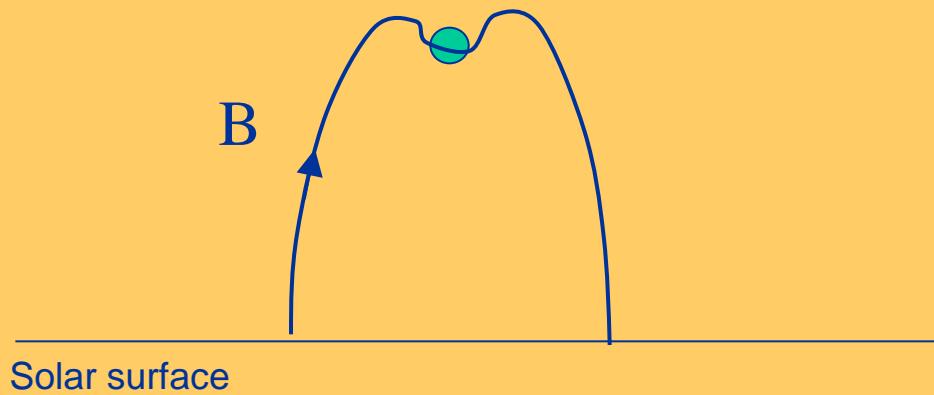
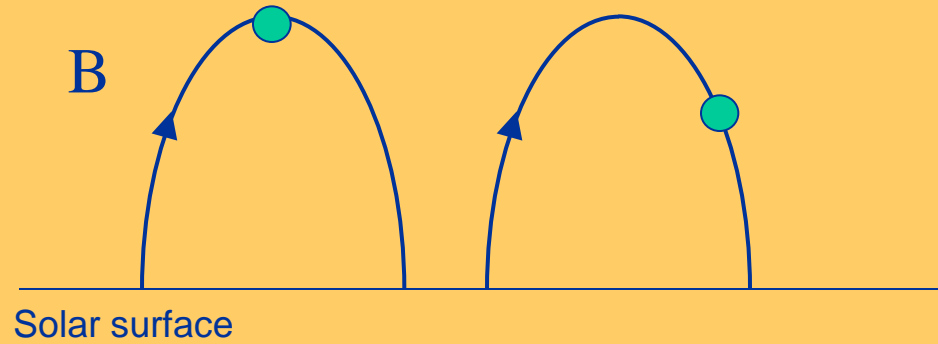
Think about this:



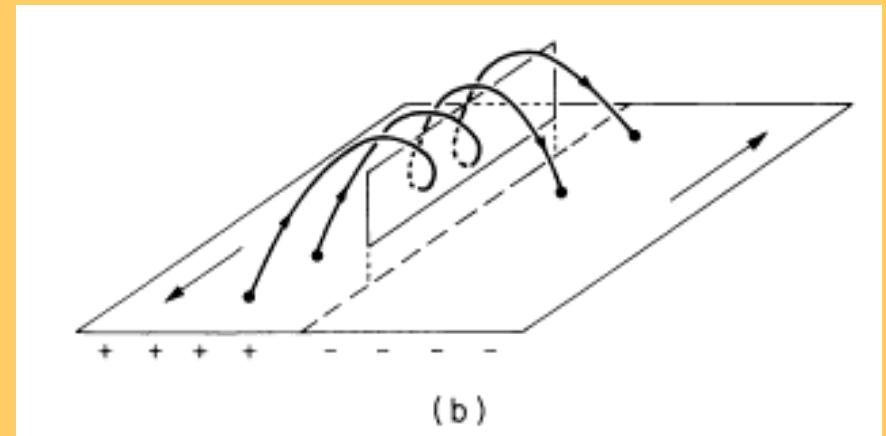
Plasma can only move along field lines. Due to gravity a plasma element at the top will "fall down" from the top by the slightest disturbance.

Can you think of a slight modification of the field line which may support the plasma element in a stable way?

Think about this:



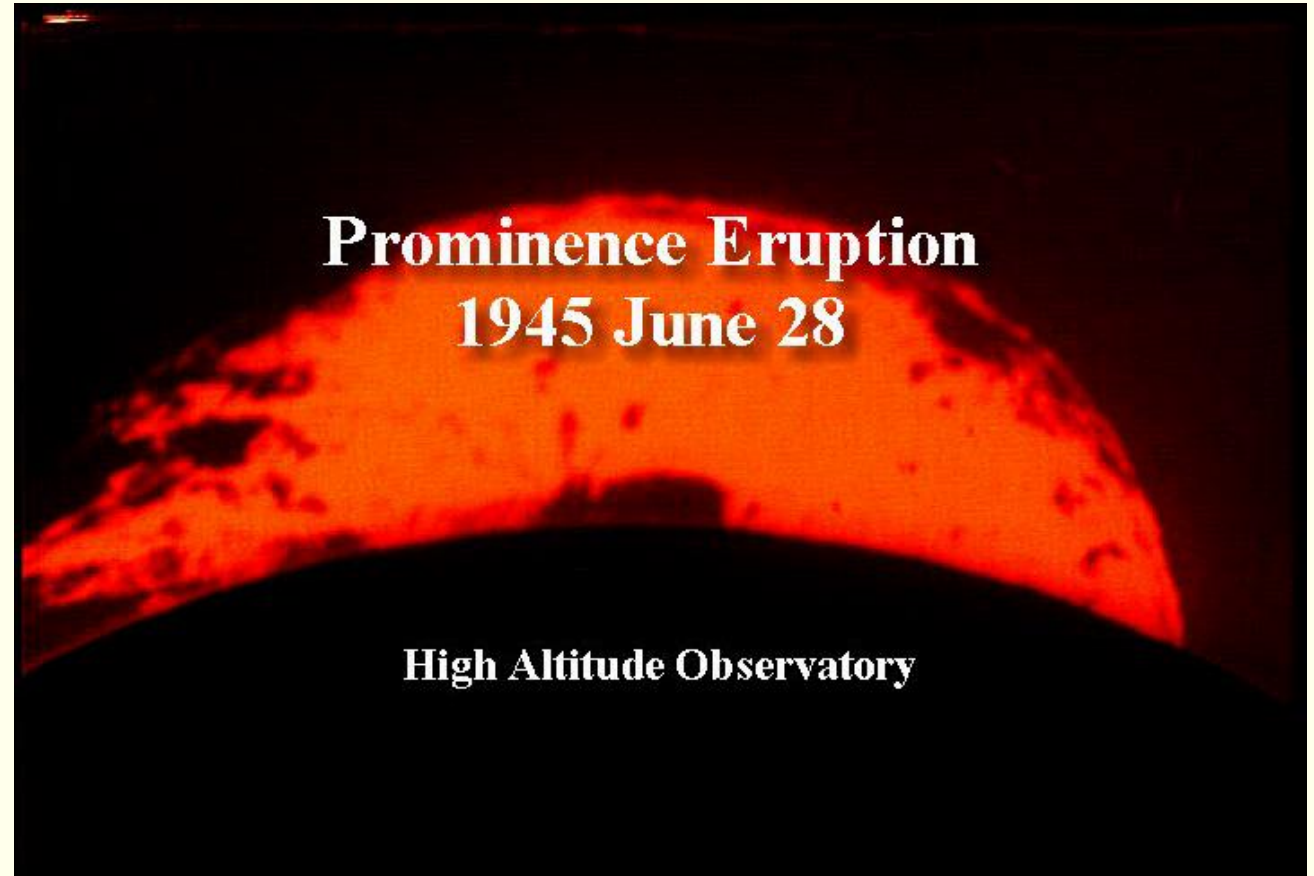
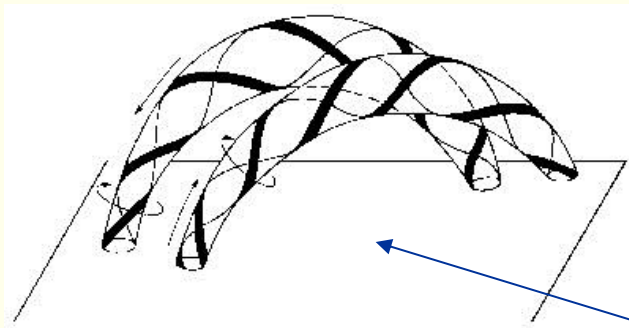
Kippenhahn-Schlüter model



Kuperus-Raadu model

Erupting prominences

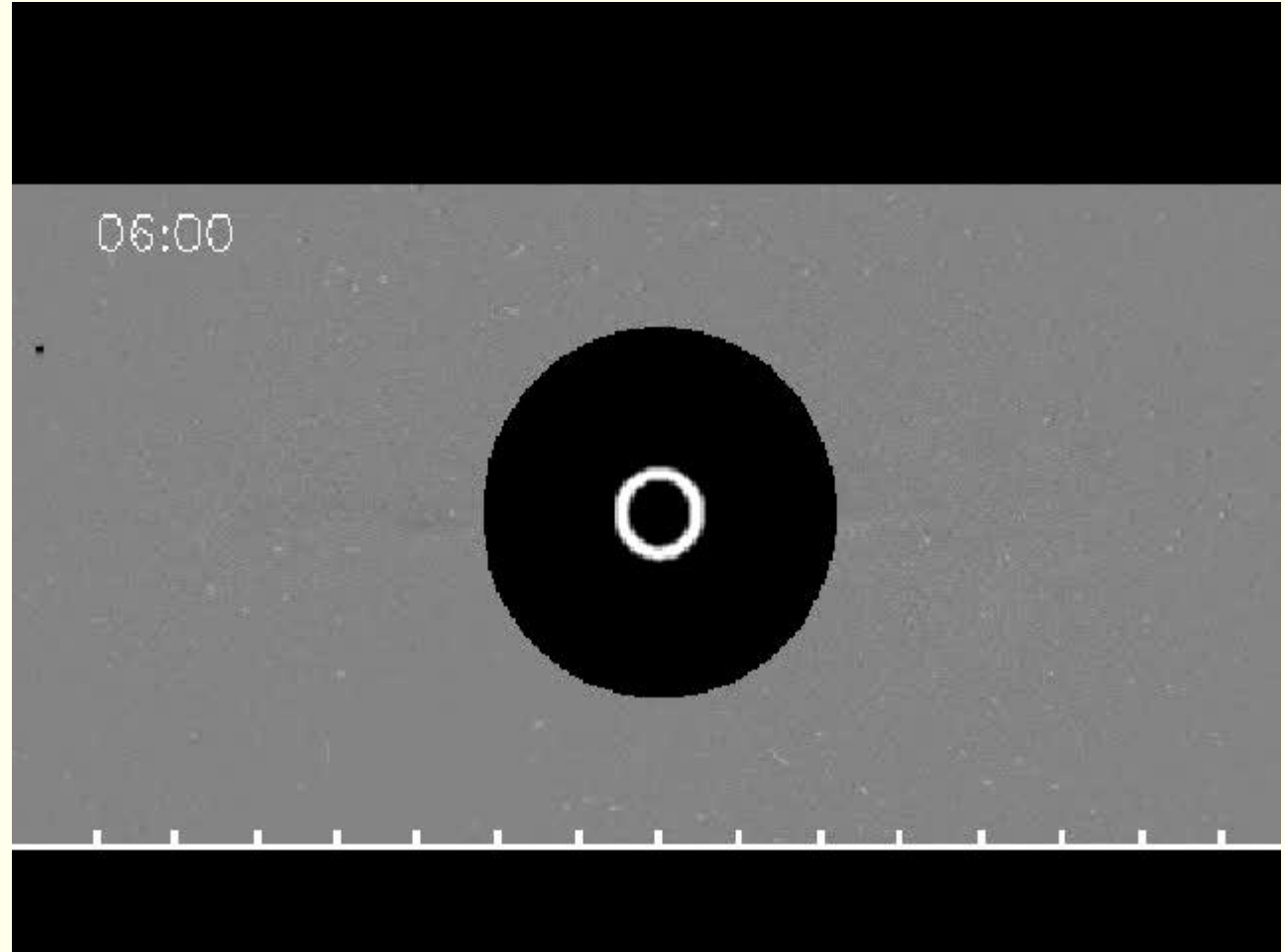
Sometimes the prominences may go unstable and release the energy stored in the magnetic fields.



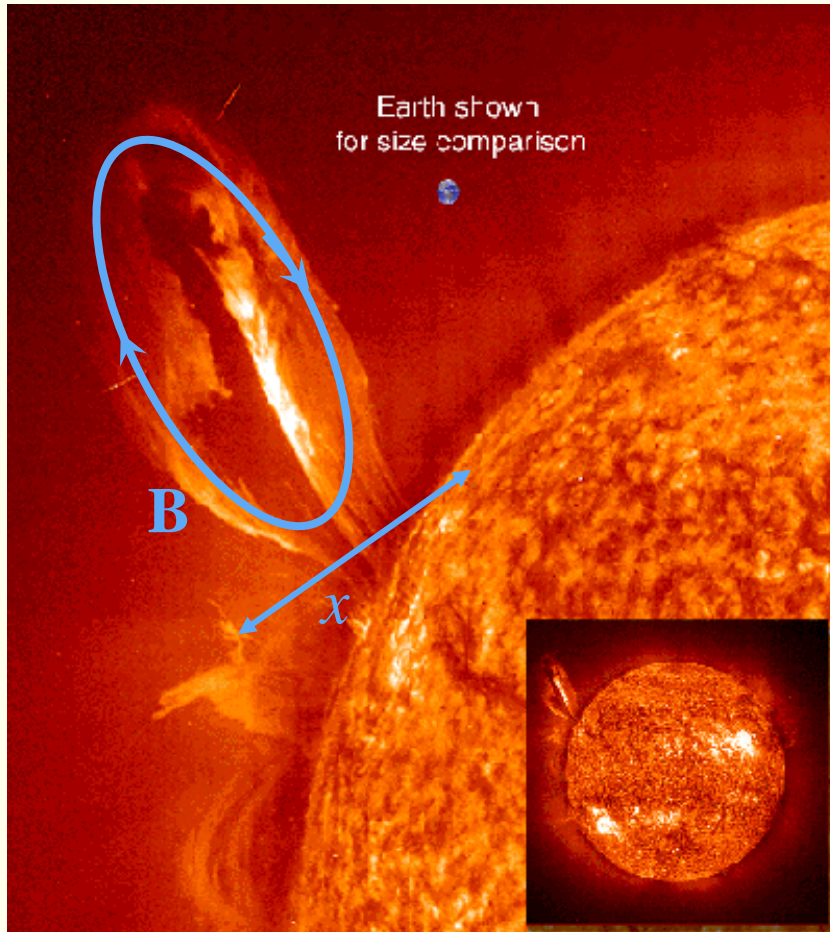
Twisted magnetic field lines store additional energy

Coronal mass ejections – CME

- Often associated with ***prominences***, ***solar flares*** or “***helmet streamers***”, but the exact mechanisms are not known
- May contain up to 10^{13} kg matter
- May have velocities of up to 1000 km/s

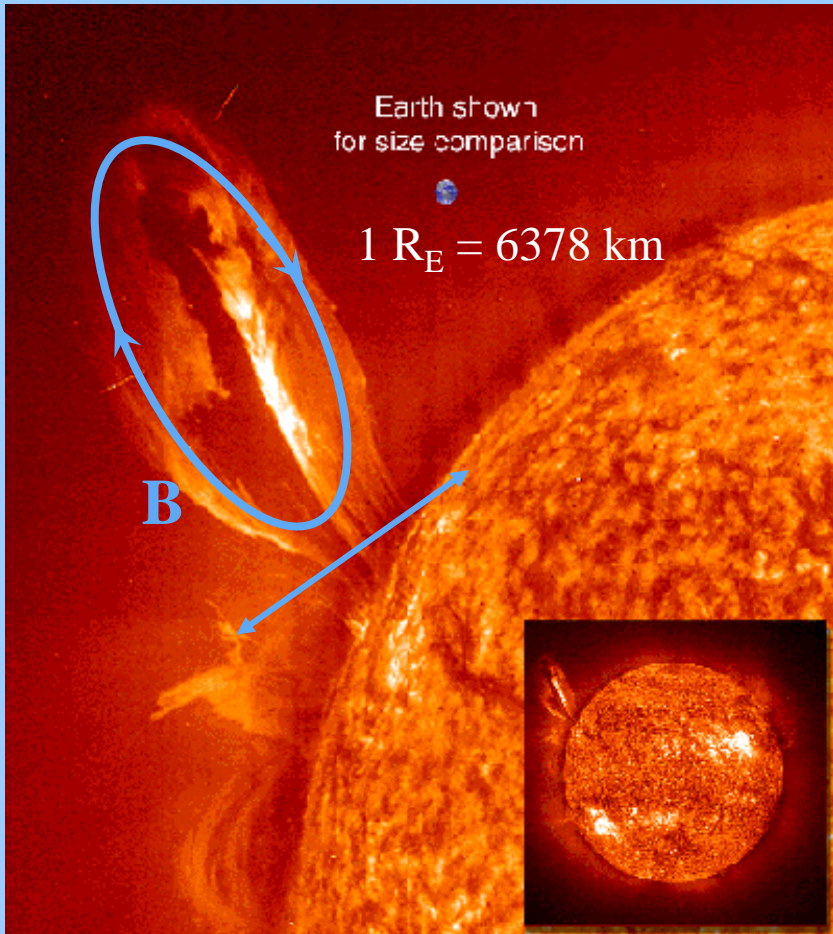


Coronal mass ejections



CME are sometimes called “magnetic clouds”, because of their magnetic field configuration.

Coronal mass ejections



Estimate the kinetic energy of this CME!
(*Order of magnitude!*)

Suppose the density ρ of the plasma in the cloud is 1000 times denser than the plasma in the lower corona, which is $\rho \approx 10^{-18} \text{ kg/m}^3$

Suppose the CME velocity is $v = 1000 \text{ km/s}$

Red $W = 10^{12} \text{ J}$

Blue $W = 10^{17} \text{ J}$

Yellow $W = 10^{22} \text{ J}$

Green $W = 10^{27} \text{ J}$



$$r \approx 20 R_E$$

$$V_{CME} \approx 4\pi r^3/3 \approx 4\pi \cdot 20^3 \cdot (6378 \cdot 10^3)/3 \approx 9 \cdot 10^{24} \text{ m}^3$$

$$m_{CME} = V_{CME} \cdot \rho_{CME} = 9 \cdot 10^{24} \cdot 10^{-15} \approx 10^{10} \text{ kg}$$

Maybe the cloud is not fully filled with matter, but I will assume that that is a relatively small correction.

$$W_{CME} = m_{CME} v_{CME}^2 = 10^{10} \cdot (1000 \cdot 10^3)^2 \approx 10^{22} \text{ J}$$

Yellow $W_{CME} = 10^{22} \text{ J}$

C.f. nuclear reactor: $P \approx 1 \text{ GW}$.

In one year: $W \approx 10^{16} \text{ J}$

Solar flare

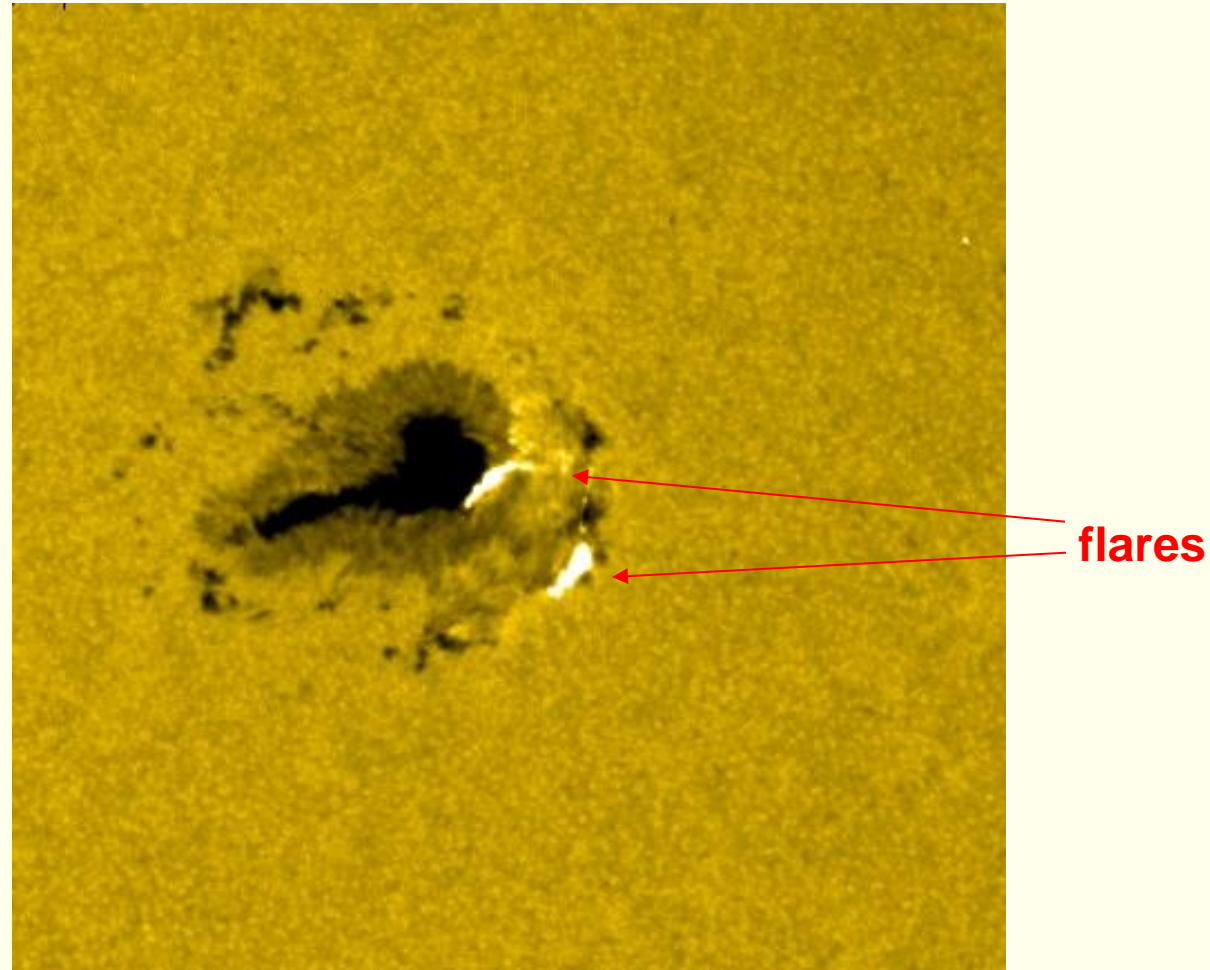
1972, August 07, Big Bear Solar Observatory

- Solar flares are explosive intensifications in X-ray, UV and visible light.
- Intensification in X-ray may be up to a factor 10^4
- Last for $\sim 1 - 60$ min.



Solar flares

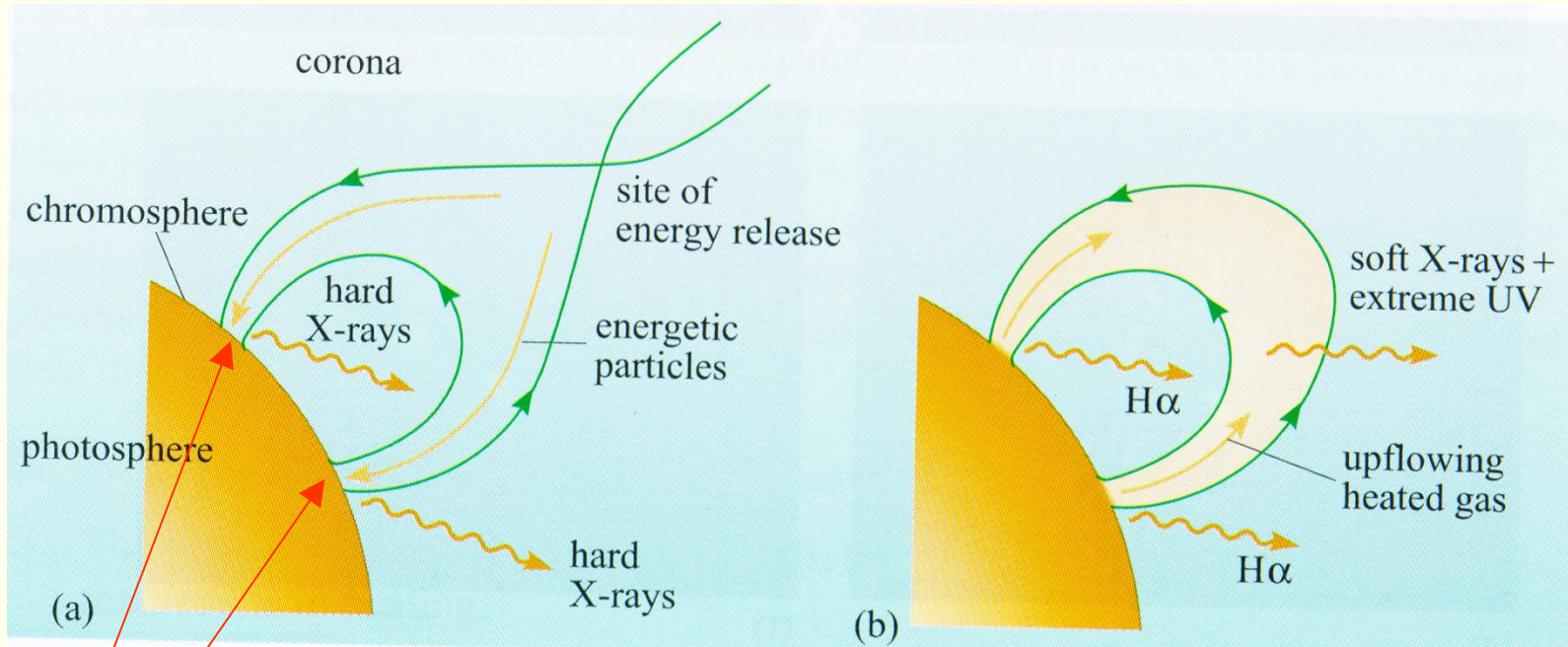
Size of solar flares is comparable to sunspots.



Solar flare

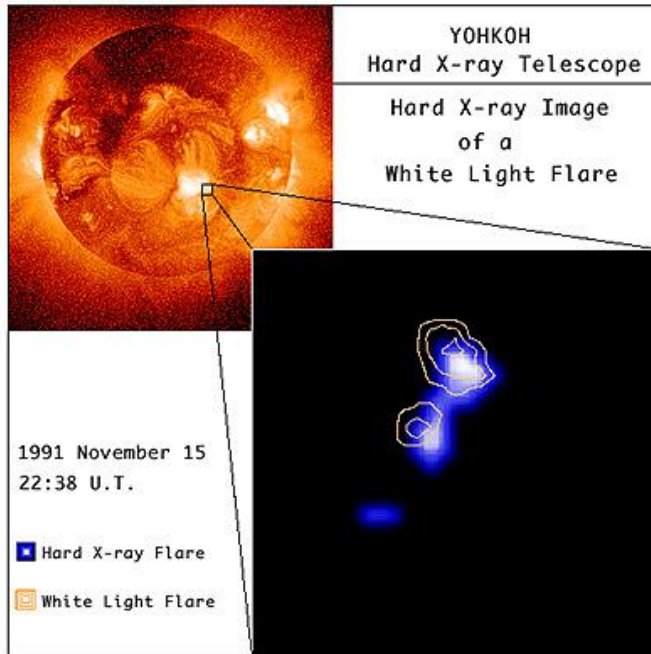


Solar flare mechanism

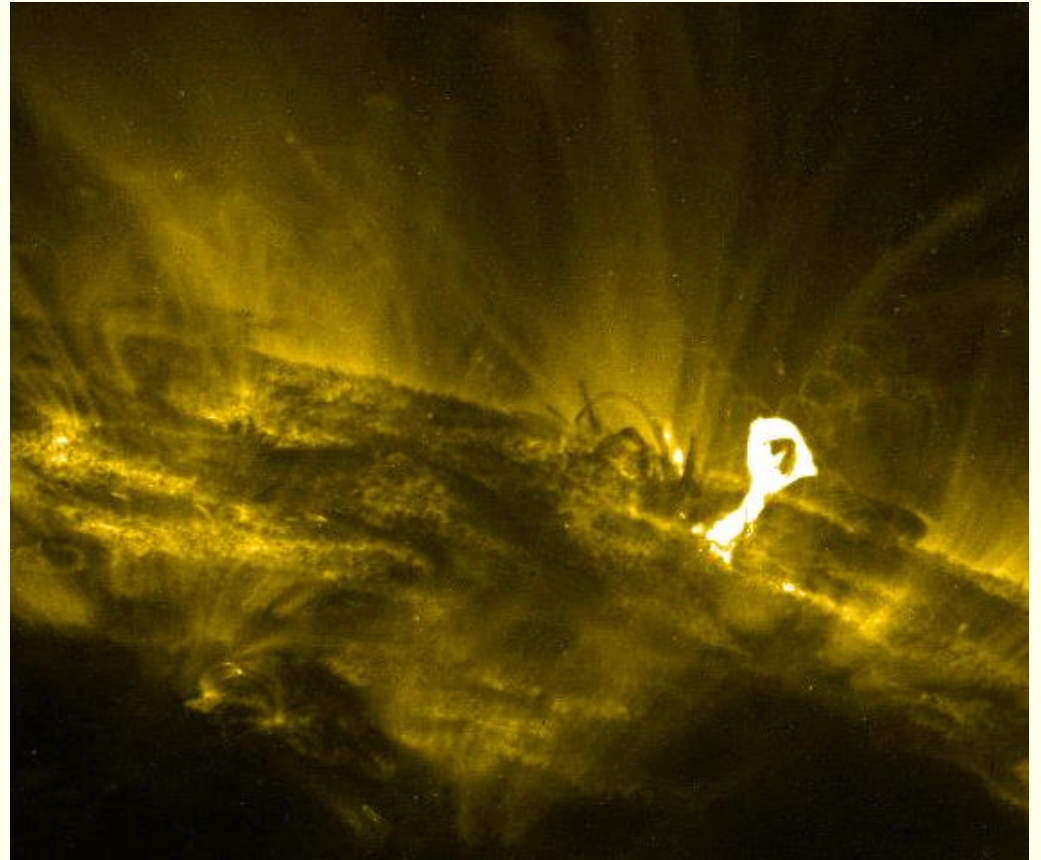


Electrons are accelerated, collide with solar surface (photosphere) and emit bremsstrahlung (X-rays).

Solar flare observations

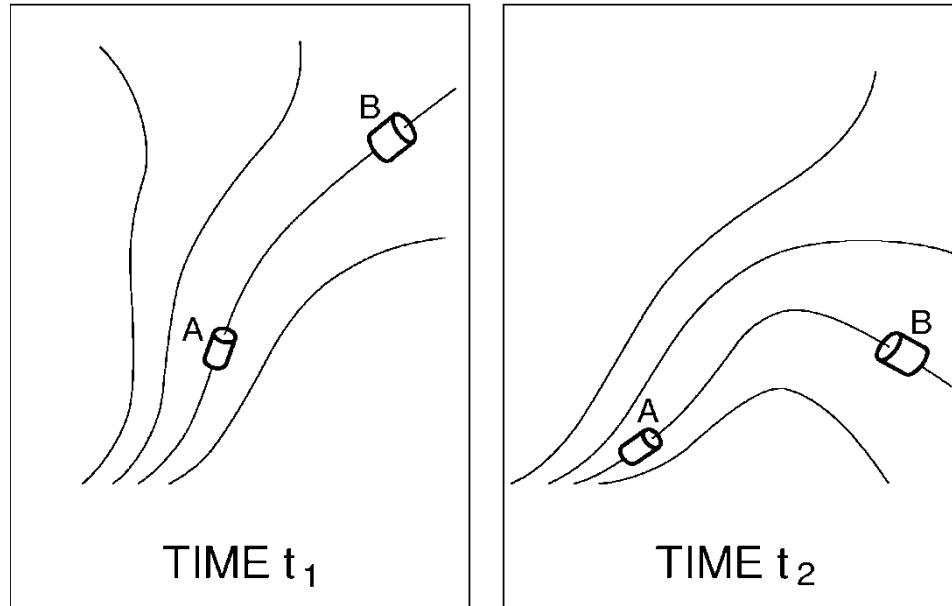


(a) double signature of x-ray emissions at foot of flare



(b) coronal loop filled with hot gas

Frozen in magnetic field lines



In fluid description of plasma two plasma elements that are connected by a common magnetic field line at time t_1 will be so at any other time t_2 .

This applies if the magnetic Reynolds number is large:

$$R_m = \mu_0 \sigma l_c v_c \gg 1$$

An example of the collective behaviour of plasmas.

Frozen in magnetic flux *PROOF II*

$$\frac{\partial \mathbf{B}}{\partial t} = \underbrace{\nabla \times (\mathbf{v} \times \mathbf{B})}_A + \underbrace{\frac{1}{\mu_0 \sigma} \nabla^2 \mathbf{B}}_B$$

Order of magnitude estimate:

$$\frac{A}{B} = \frac{\nabla \times (\mathbf{v} \times \mathbf{B})}{\frac{1}{\mu_0 \sigma} \nabla^2 \mathbf{B}} \approx \frac{\frac{v \Delta B}{L}}{\frac{\Delta B}{\mu_0 \sigma L^2}} = v L \mu_0 \sigma \equiv R_m$$

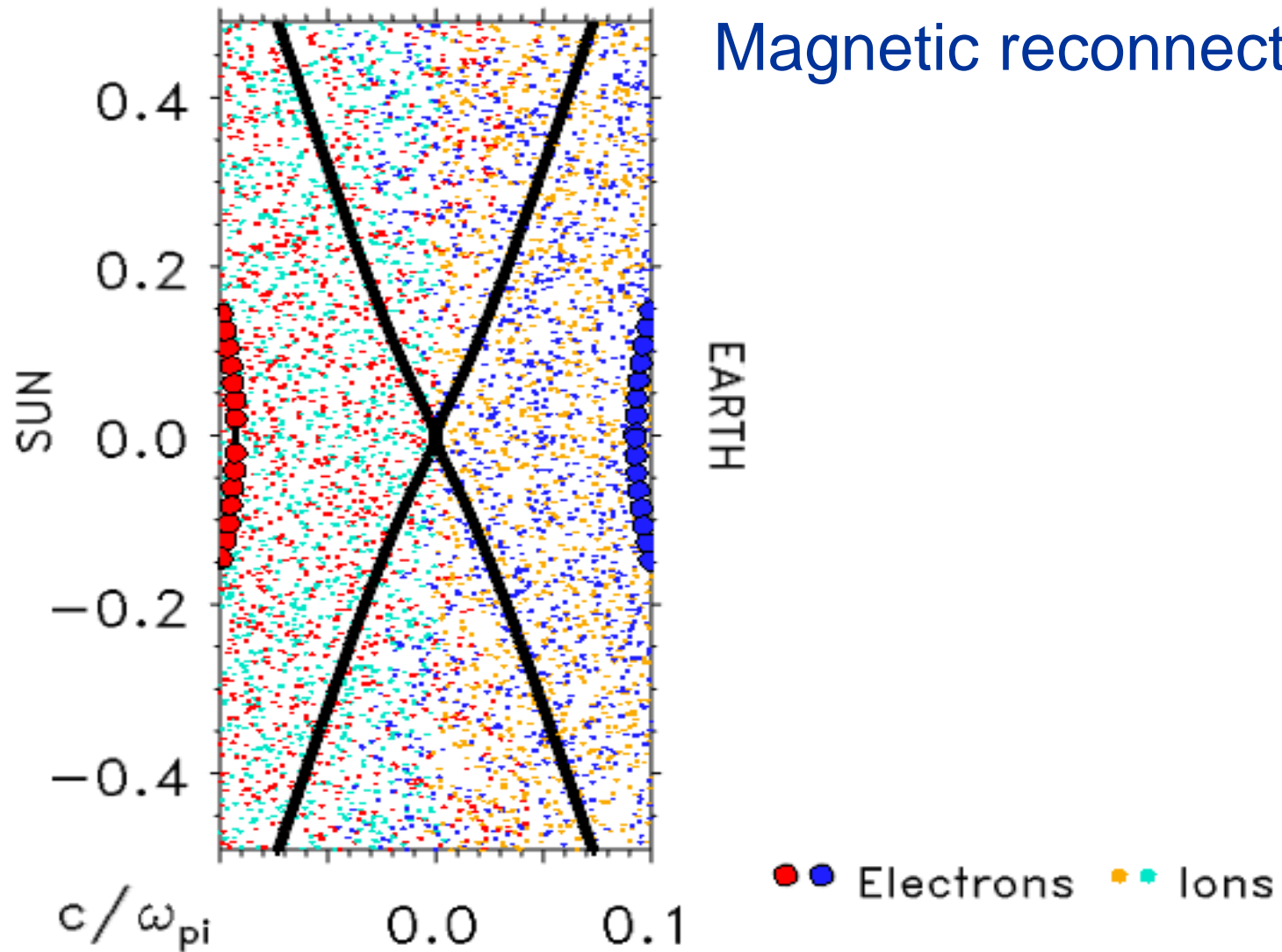
Magnetic Reynolds number R_m :

$$R_m \gg 1 \Rightarrow \frac{\partial \mathbf{B}}{\partial t} = \nabla \times (\mathbf{v} \times \mathbf{B})$$

Frozen-in fields!

$$R_m \ll 1 \Rightarrow \frac{\partial \mathbf{B}}{\partial t} = \frac{1}{\mu_0 \sigma} \nabla^2 \mathbf{B}$$

Diffusion equation!



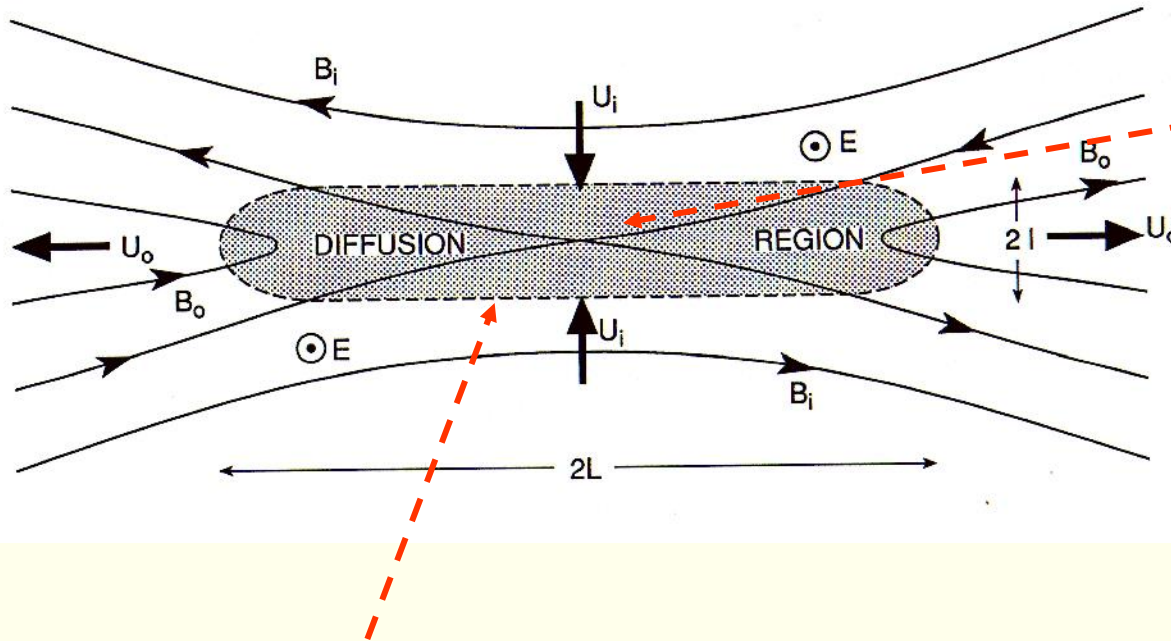
Reconnection

In 'diffusion region':

$$R_m = \mu_0 \sigma l v \sim 1$$

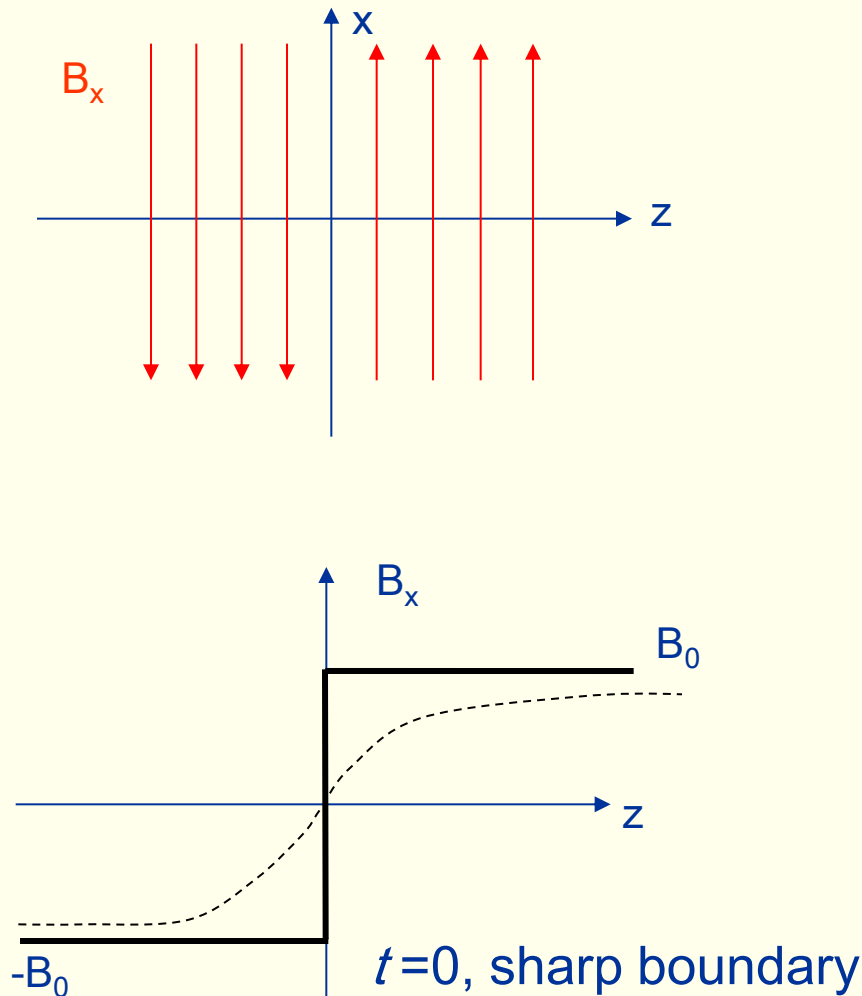
Thus: **condition** for frozen-in magnetic field breaks down.

A second **condition** is that there are two regions of magnetic field pointing in *opposite* direction:



- Field lines are “cut” and can be re-connected to other field lines
- **Magnetic energy is transformed into kinetic energy ($U_o \gg U_i$)**
- **Plasma from different field lines can mix**

Reconnection in 1D



$$\frac{\partial \mathbf{B}}{\partial t} = \frac{1}{\mu_0 \sigma} \nabla^2 \mathbf{B} \quad \rightarrow \quad \frac{\partial B_x}{\partial t} = \frac{1}{\mu_0 \sigma} \frac{\partial^2 B_x}{\partial z^2}$$

Diffusion equation! Has solution

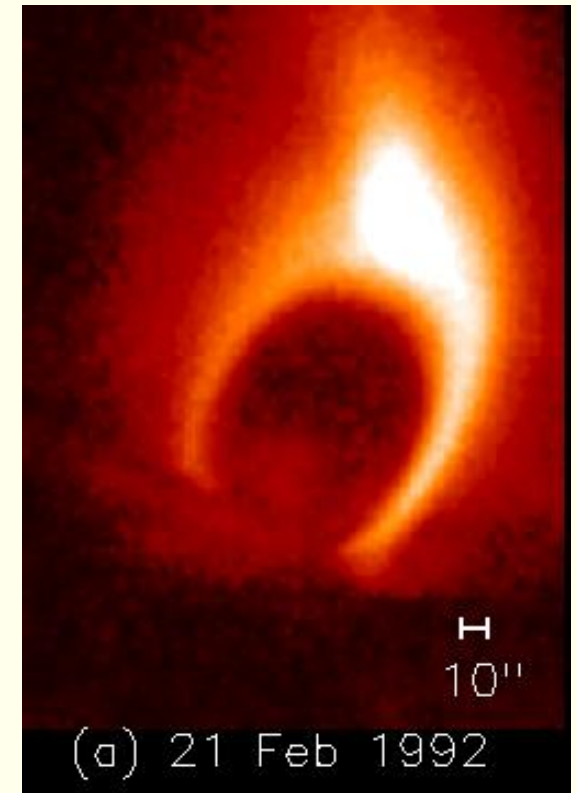
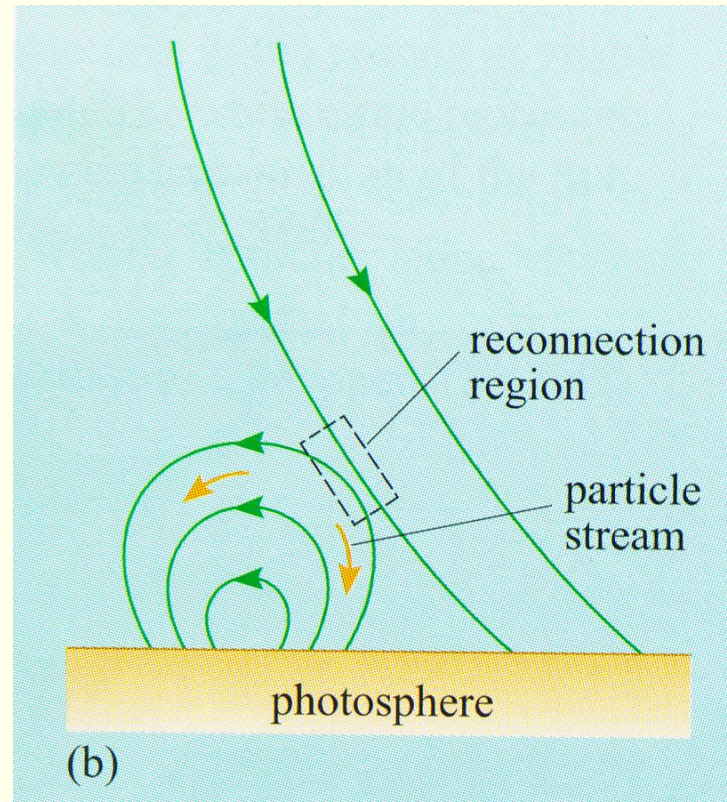
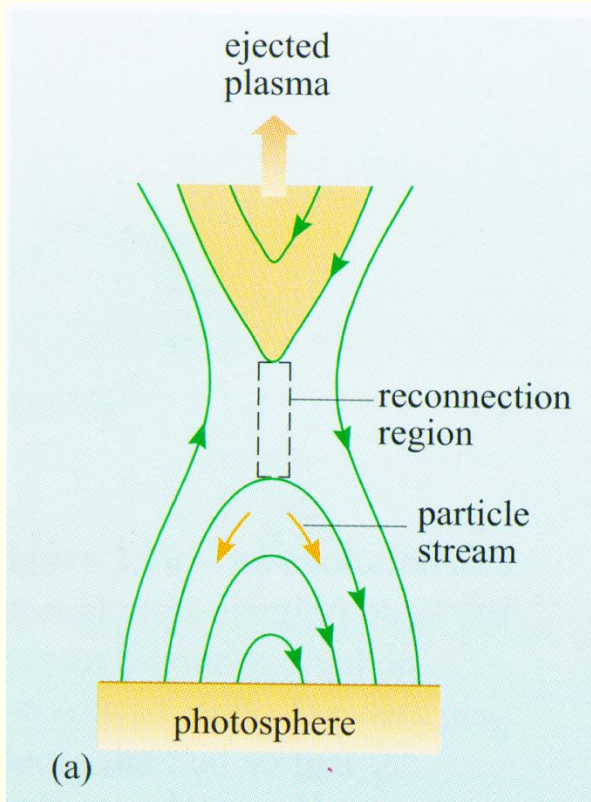
$$B_x(z, t) = B_0 \operatorname{erf} \left(\left[\frac{\mu_0 \sigma}{4t} \right]^{1/2} z \right)$$

The total magnetic energy then decreases with time:

$$W_B = \int_{-\infty}^{\infty} \frac{B^2}{2\mu_0} dx dy dz$$

The magnetic energy is converted into heat and kinetic energy in 2D

Solar flare *energization mechanism*



Two possible reconnection geometries

Classification of flares

Old system

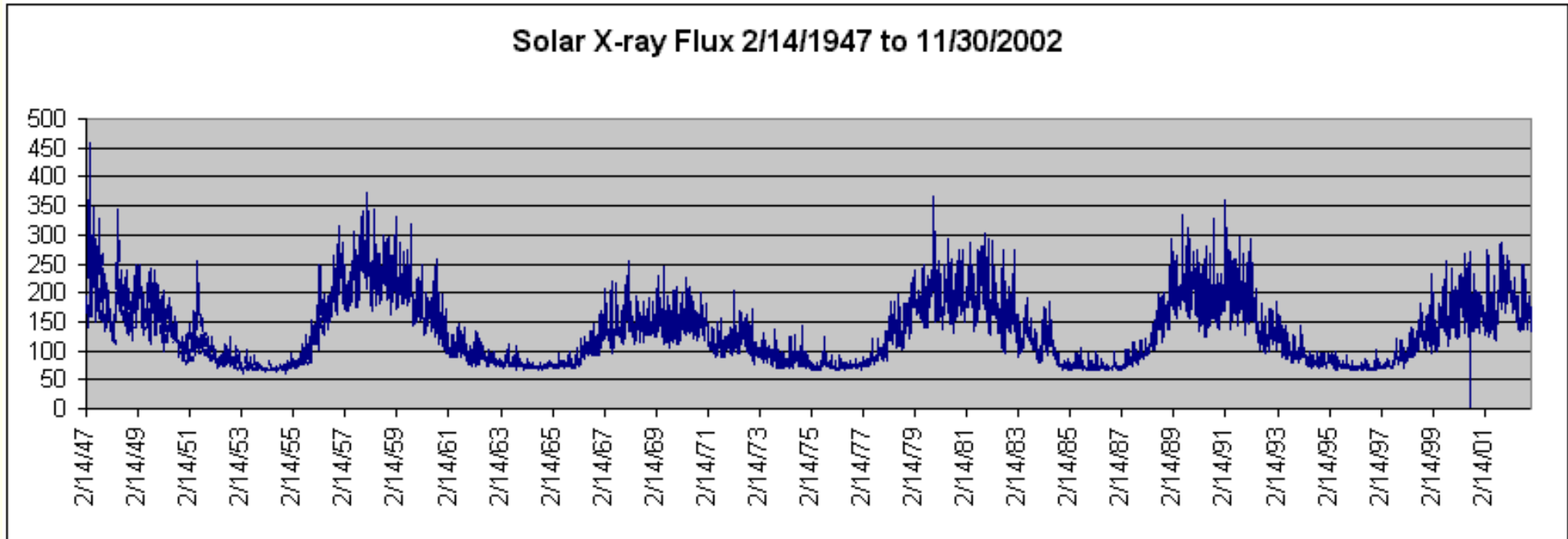
Denomination	Area ($^{\circ}$) ²
S	< 2.0
1	2.1 – 5.1
2	5.2 – 12.4
3	12.5-24.7
4	> 24.7

New system

Denomination	Maximum flux of X-ray radiation (W/m ²) (near Earth 0.1-0.8 nm)
<i>An</i>	$n \times 10^{-8}$
<i>Bn</i>	$n \times 10^{-7}$
<i>Cn</i>	$n \times 10^{-6}$
<i>Mn</i>	$n \times 10^{-5}$
<i>Xn</i>	$n \times 10^{-4}$

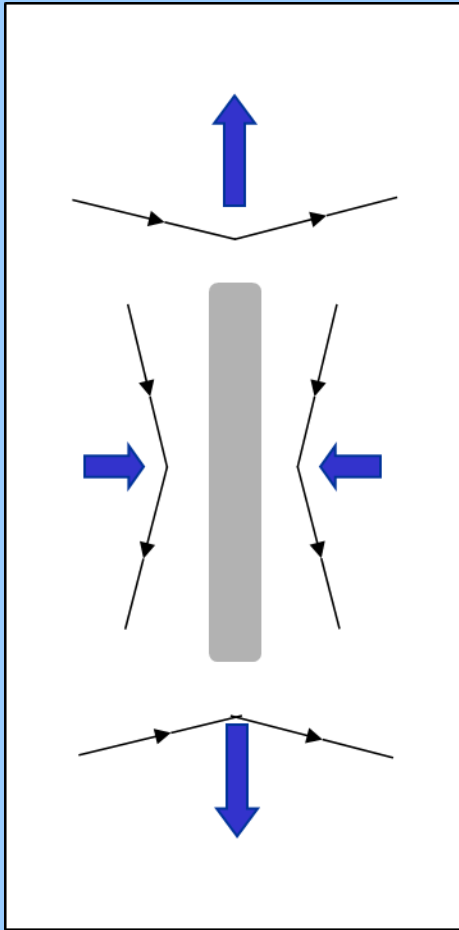
Recent X ray flux measurements

Solar X-ray Flux 2/14/1947 to 11/30/2002

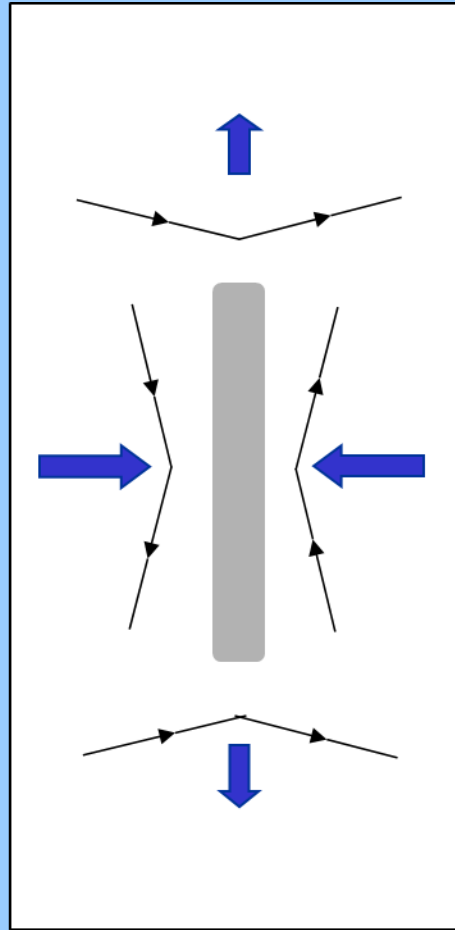


<http://www.swpc.noaa.gov/> Space Weather Prediction Centre

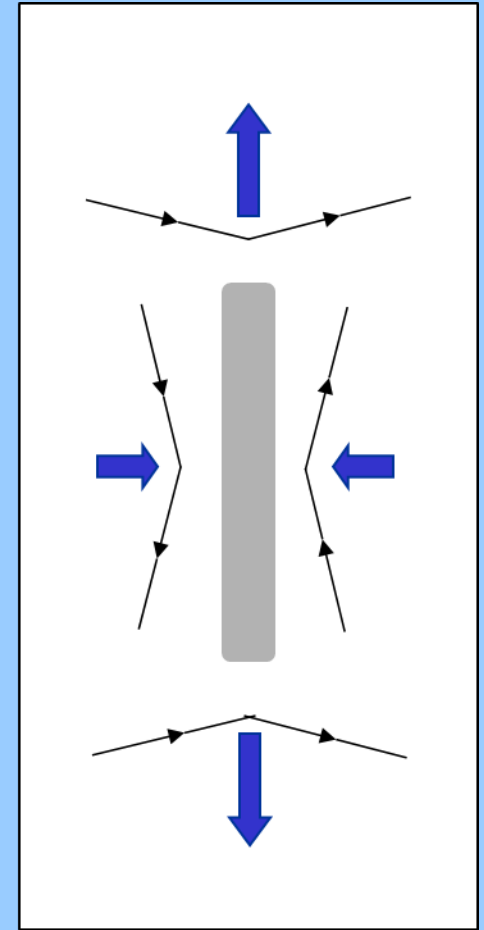
Magnetic reconnection



Green

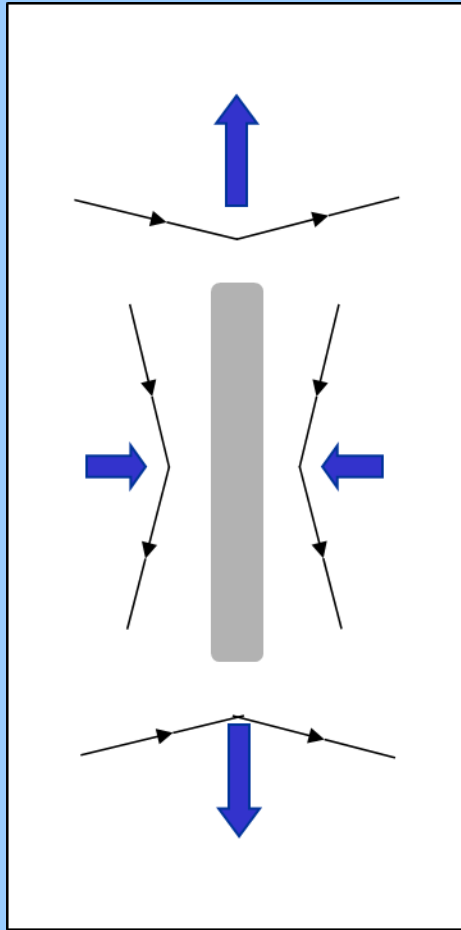


Yellow

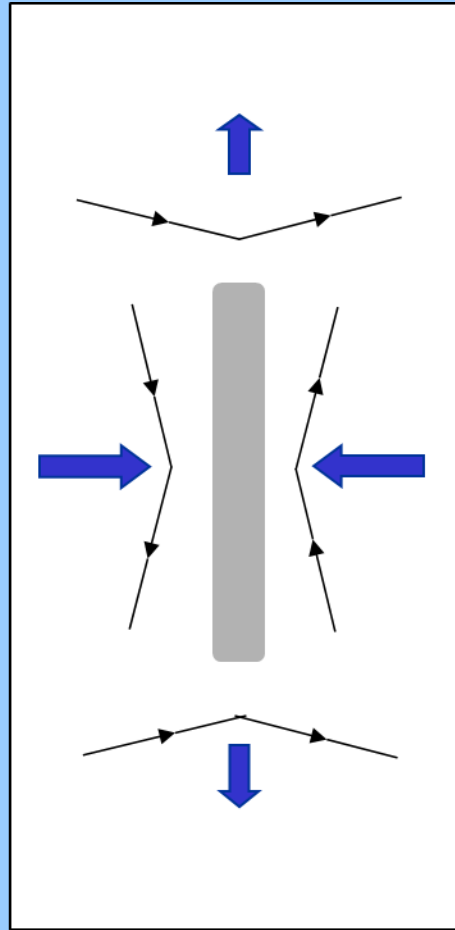


Red

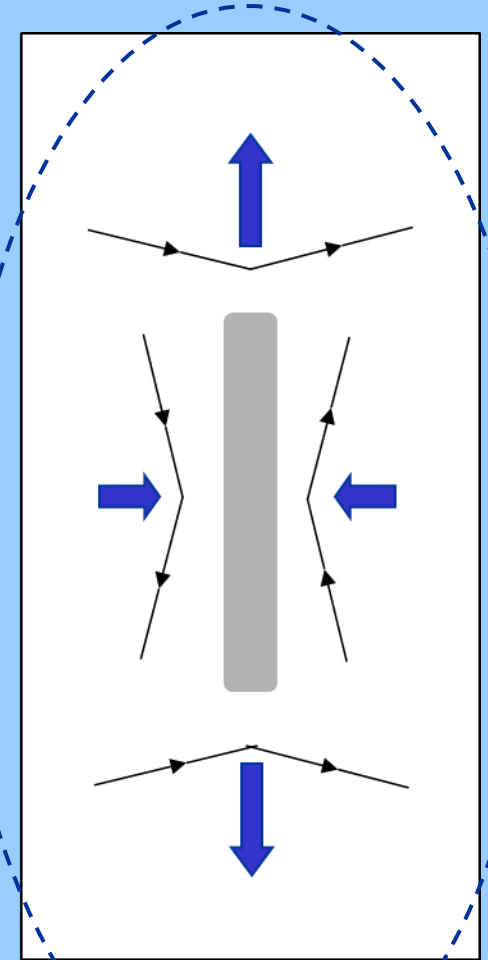
Magnetic reconnection



Green



Yellow



Red

Think about this:

What determines the form of the spiral of the water from a rotating lawn sprinkler?

